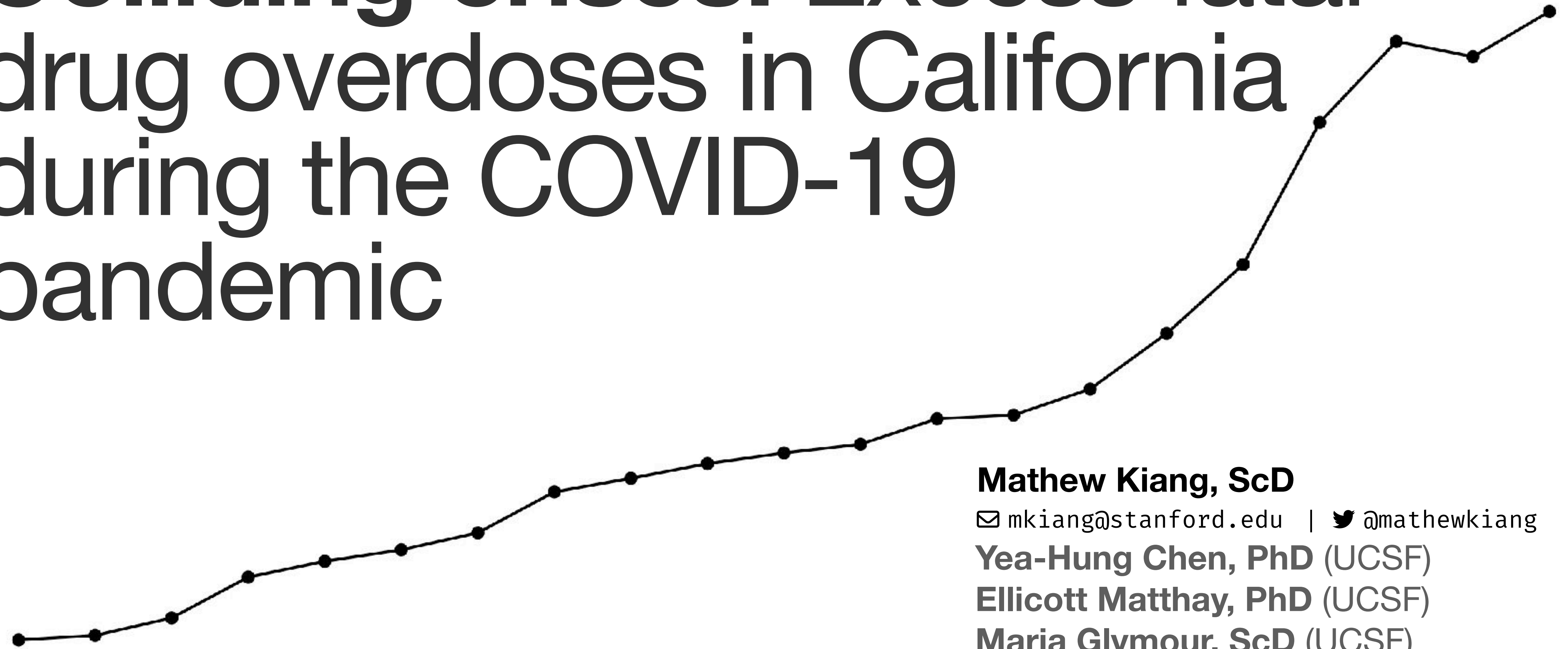


Colliding crises: Excess fatal drug overdoses in California during the COVID-19 pandemic



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Yea-Hung Chen, PhD (UCSF)

Ellicott Matthay, PhD (UCSF)

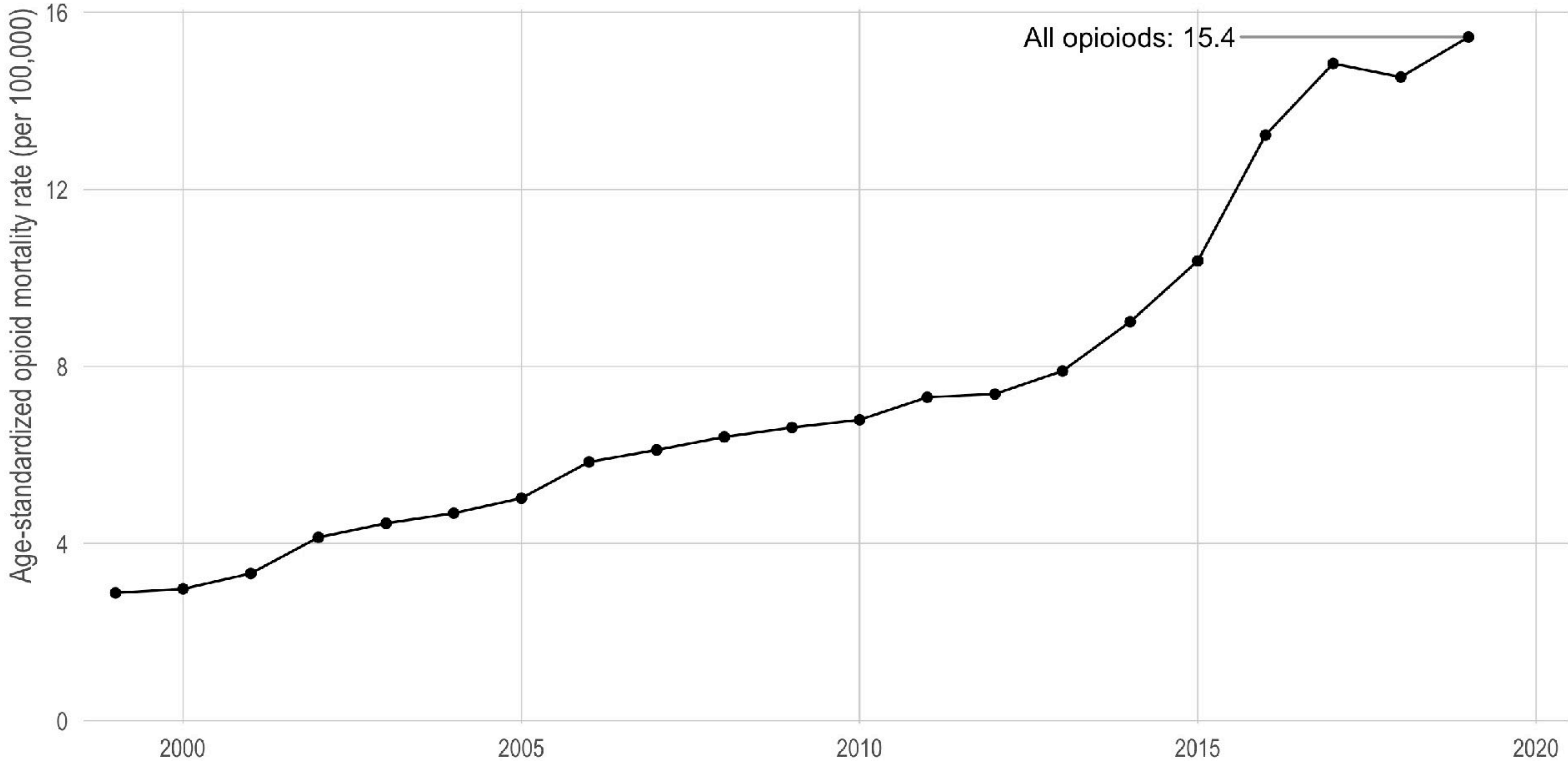
Maria Glymour, ScD (UCSF)

Kirsten Bibbins-Domingo, MD PhD (UCSF)

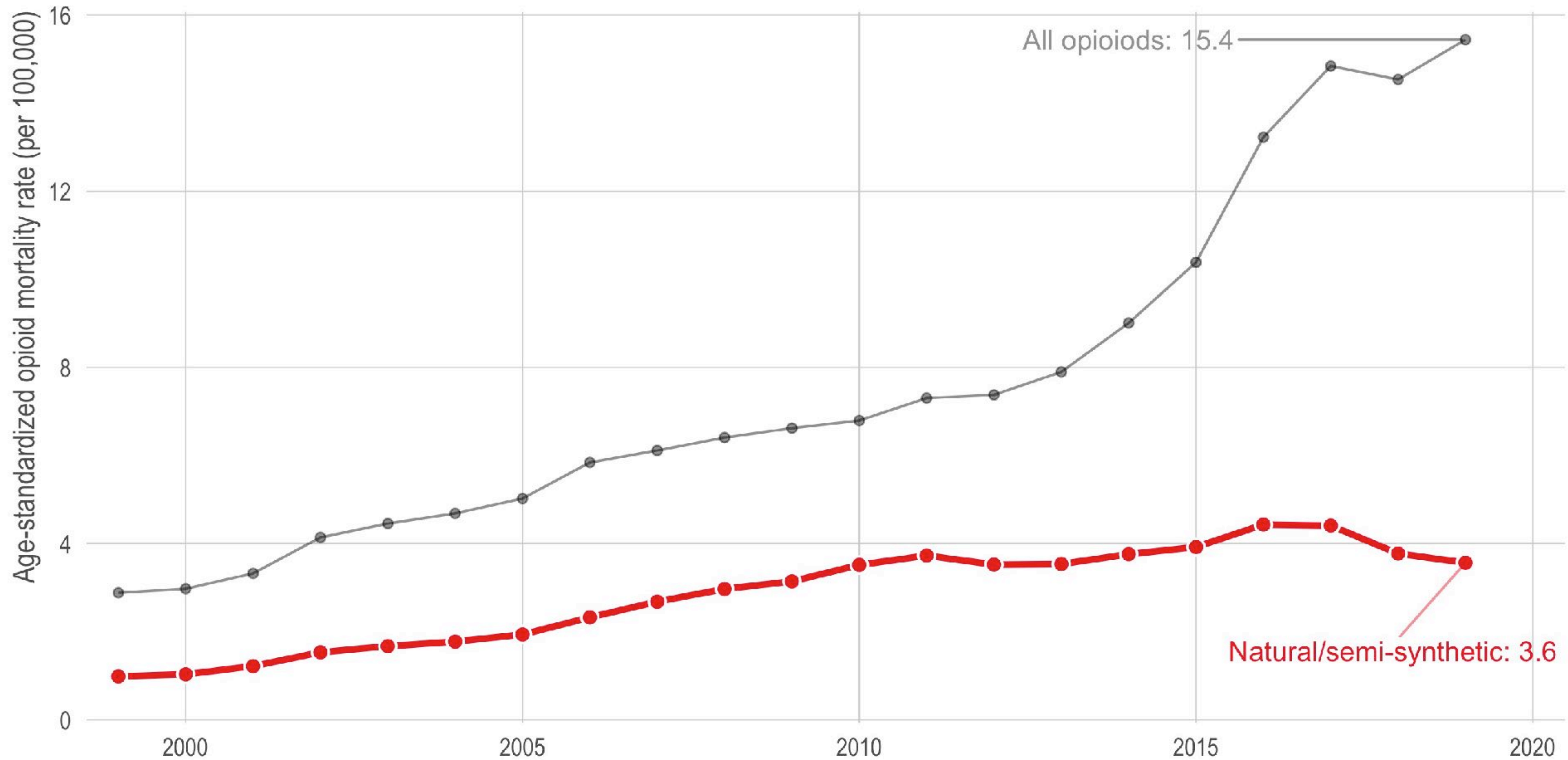
Keith Humphreys, PhD (Stanford)

Kristy Arthur, PhD (CDPH)

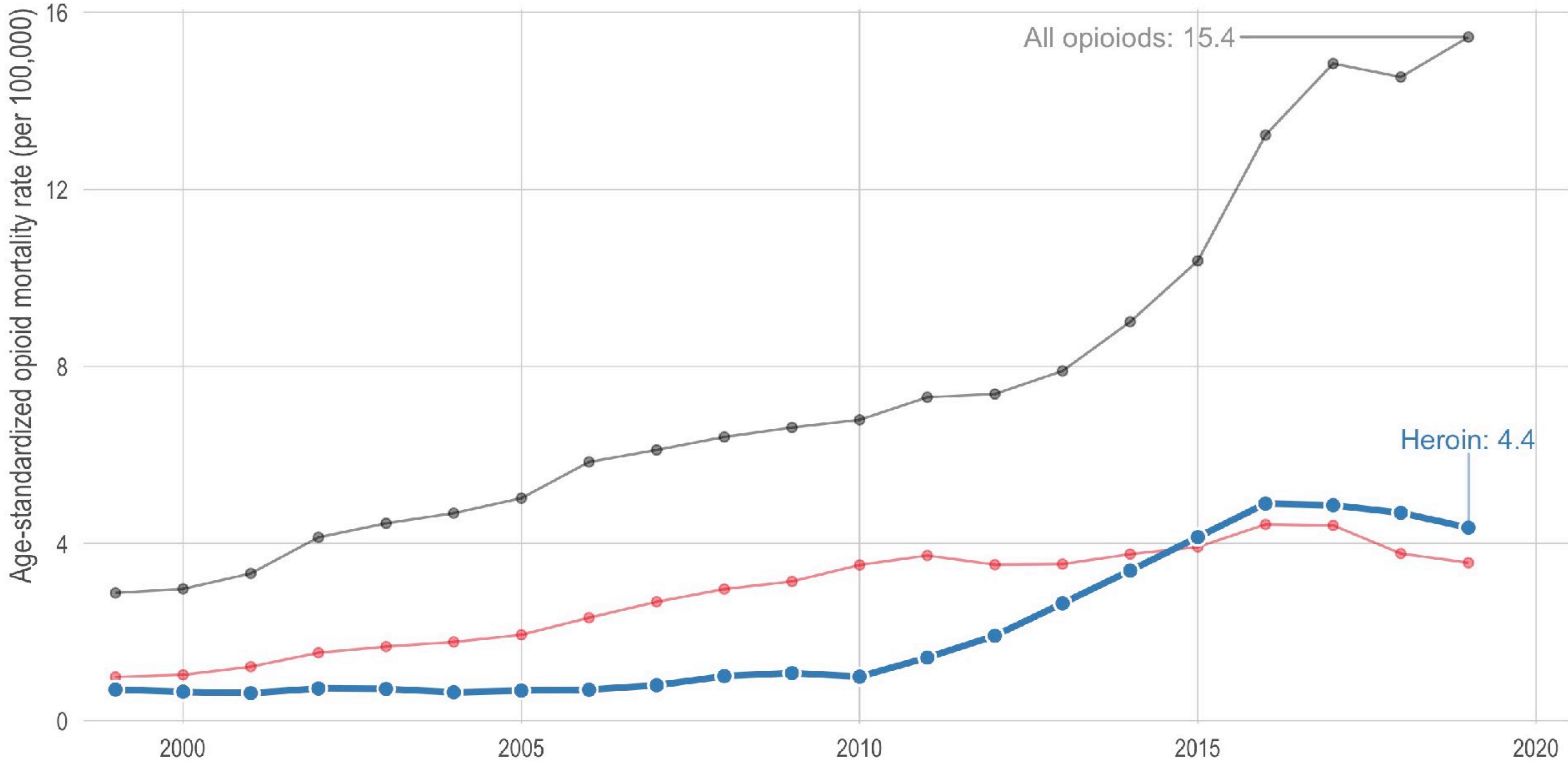
Over 51,000 opioid-related deaths in 2019



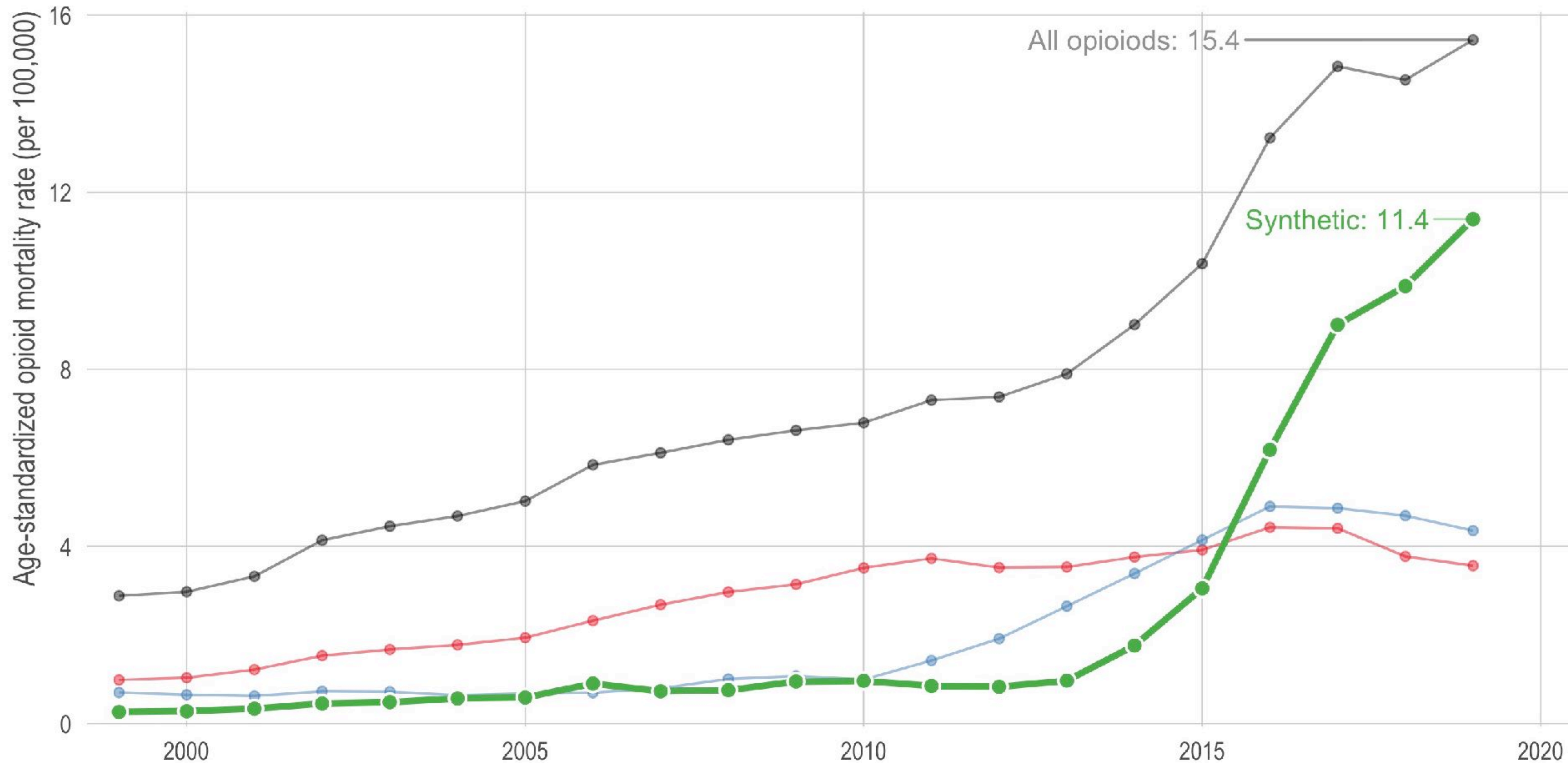
Prescription opioids: 1990's - 2010



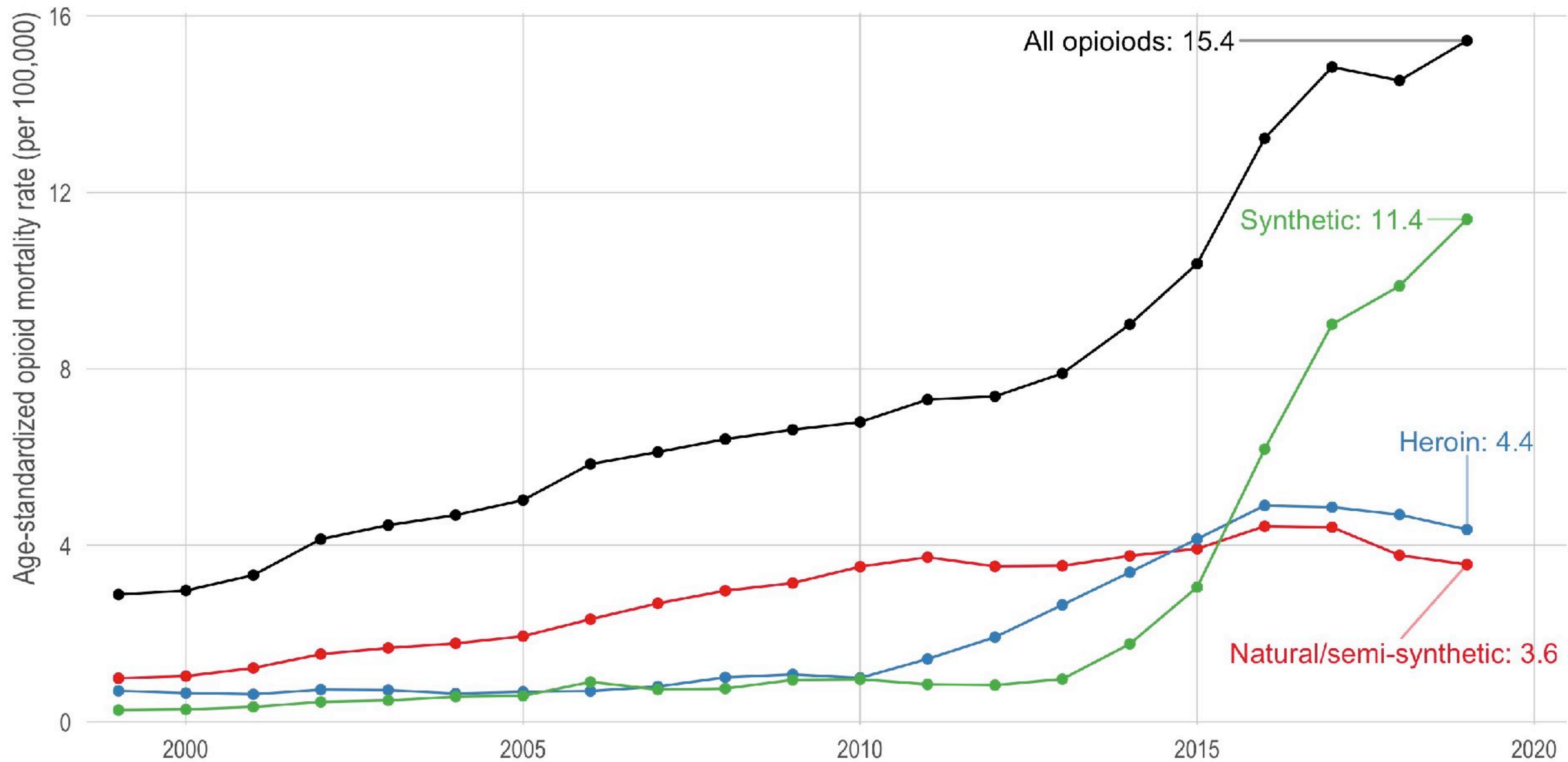
Heroin: 2010 - 2016



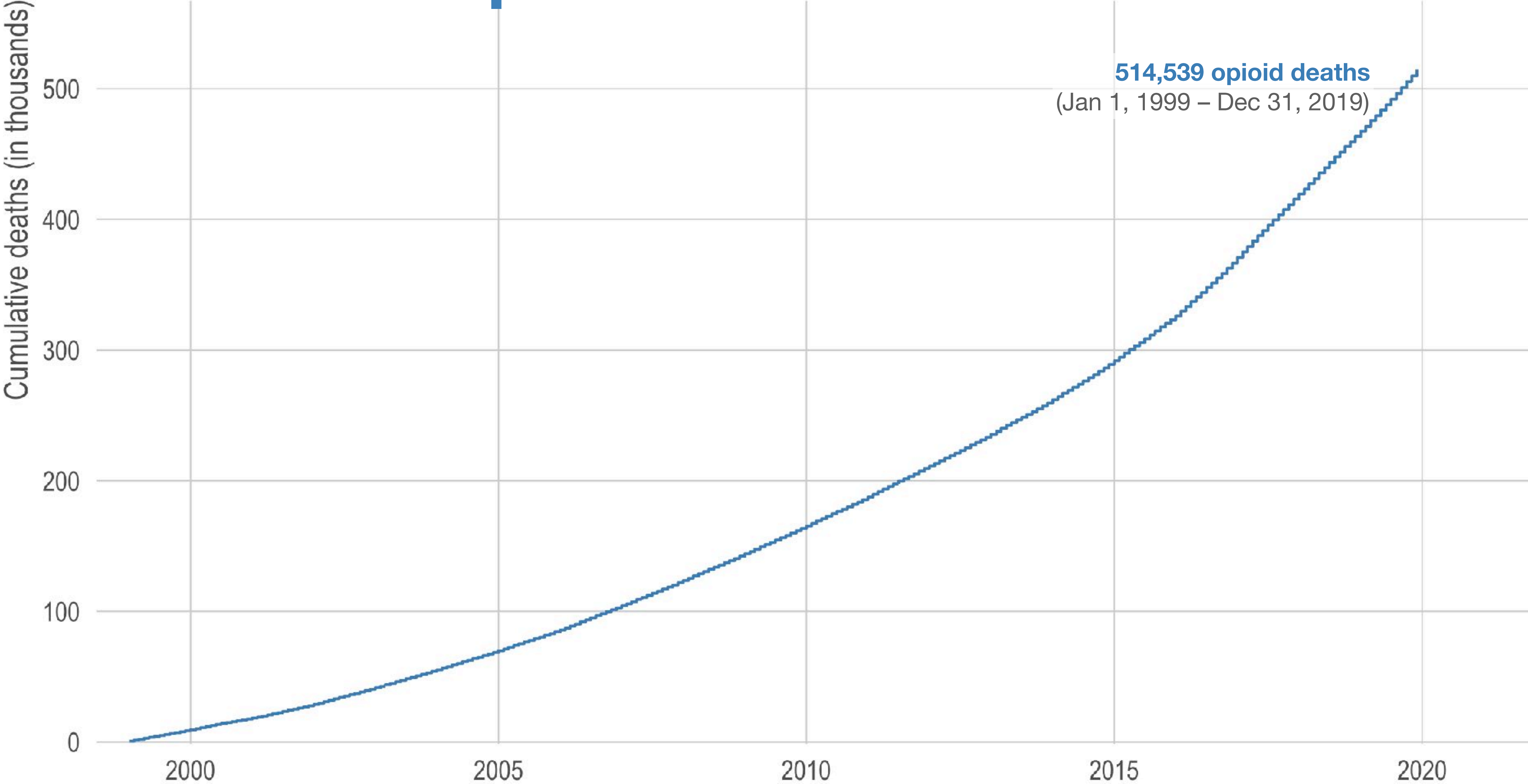
Synthetic opioids: 2013 - current



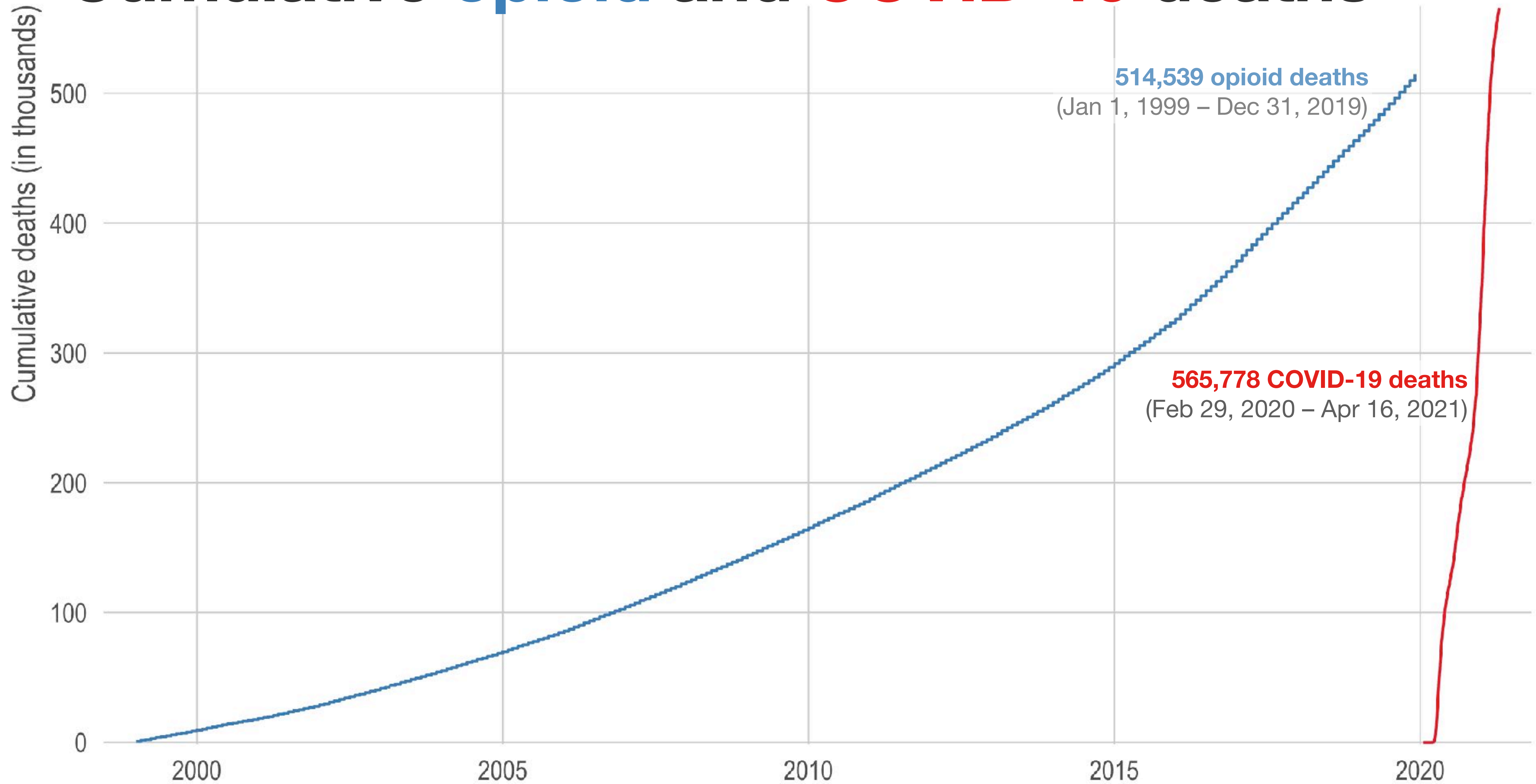
A “Triple Wave” Epidemic



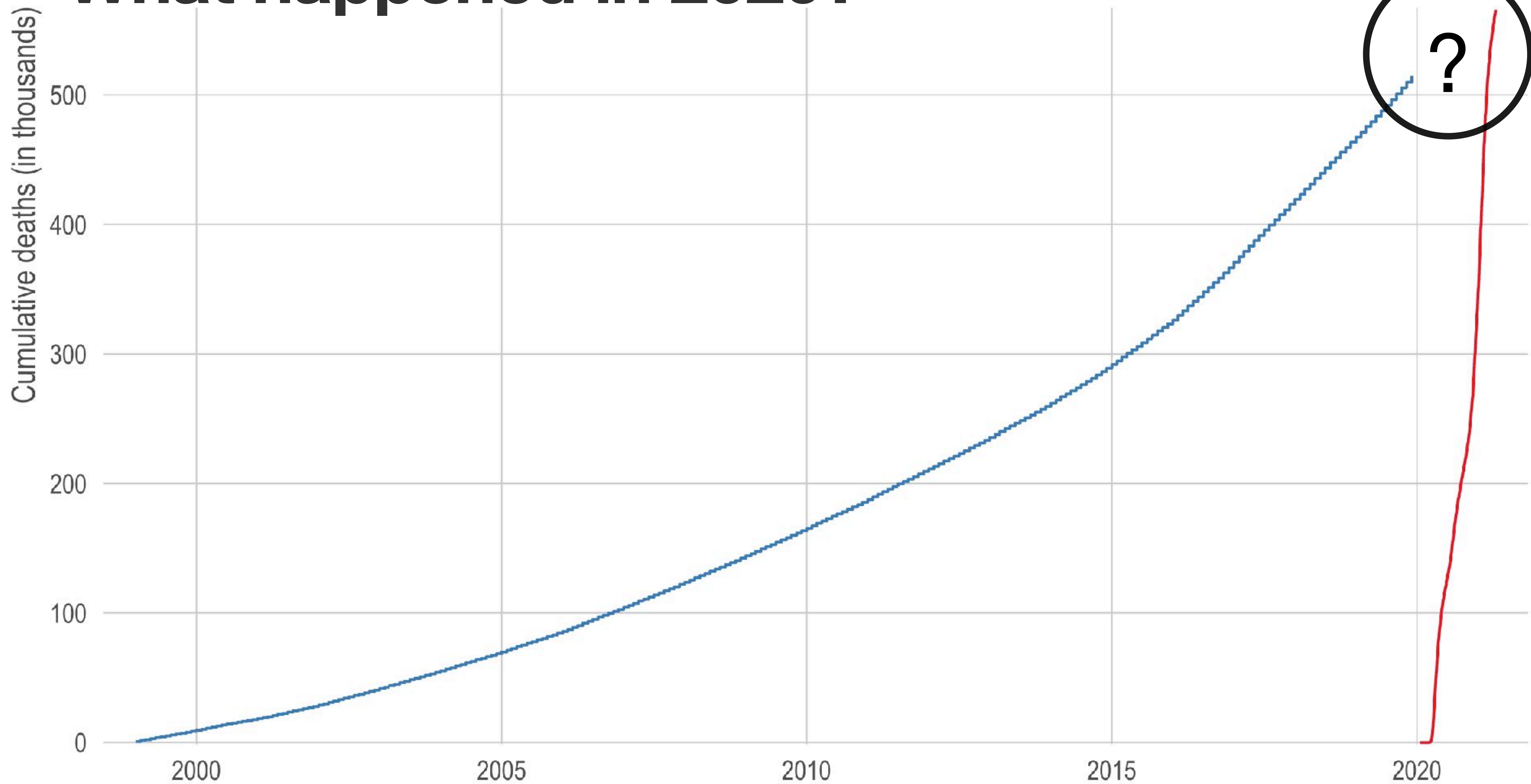
Cumulative **opioid** deaths



Cumulative **opioid** and **COVID-19** deaths

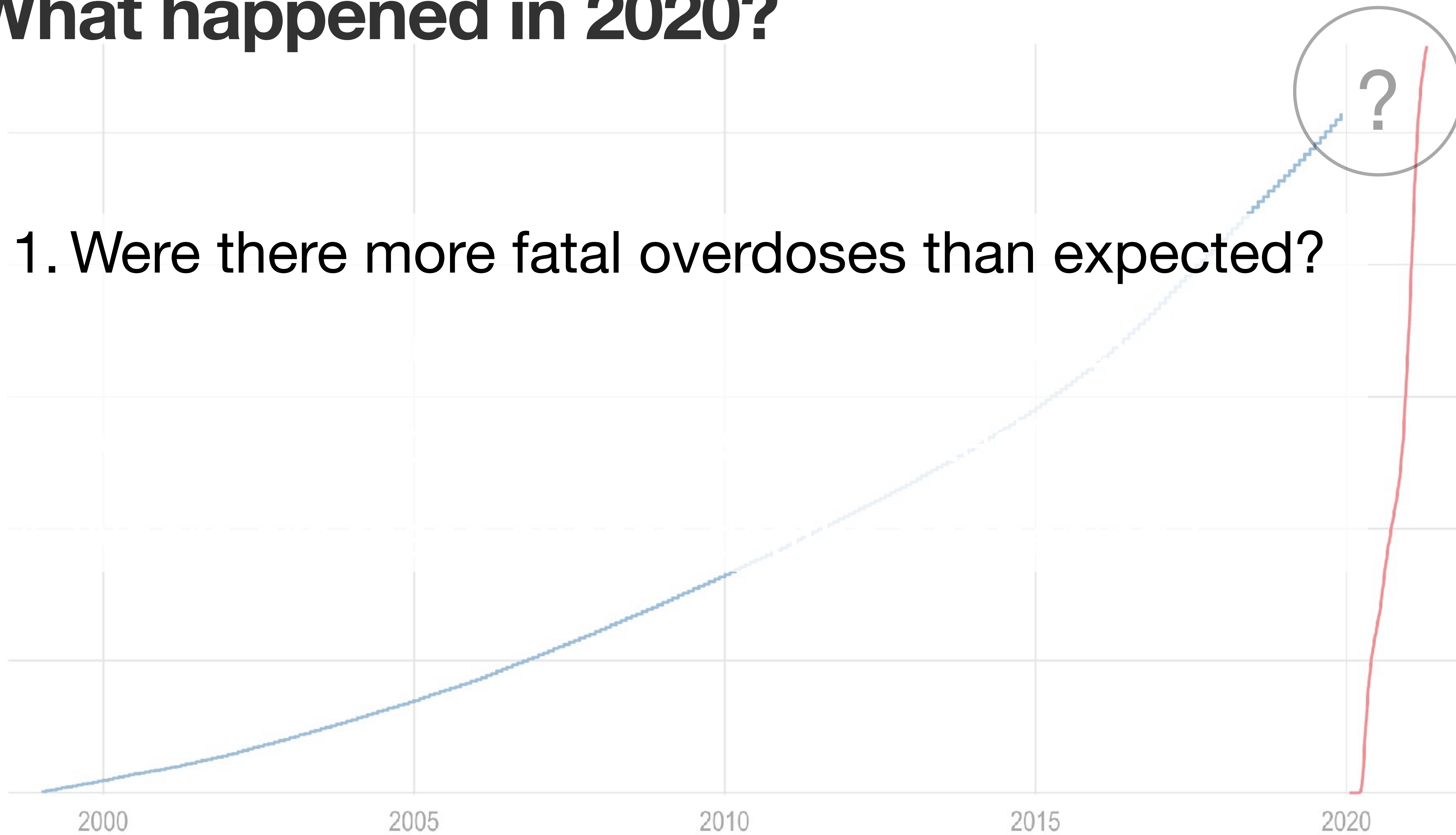


What happened in 2020?



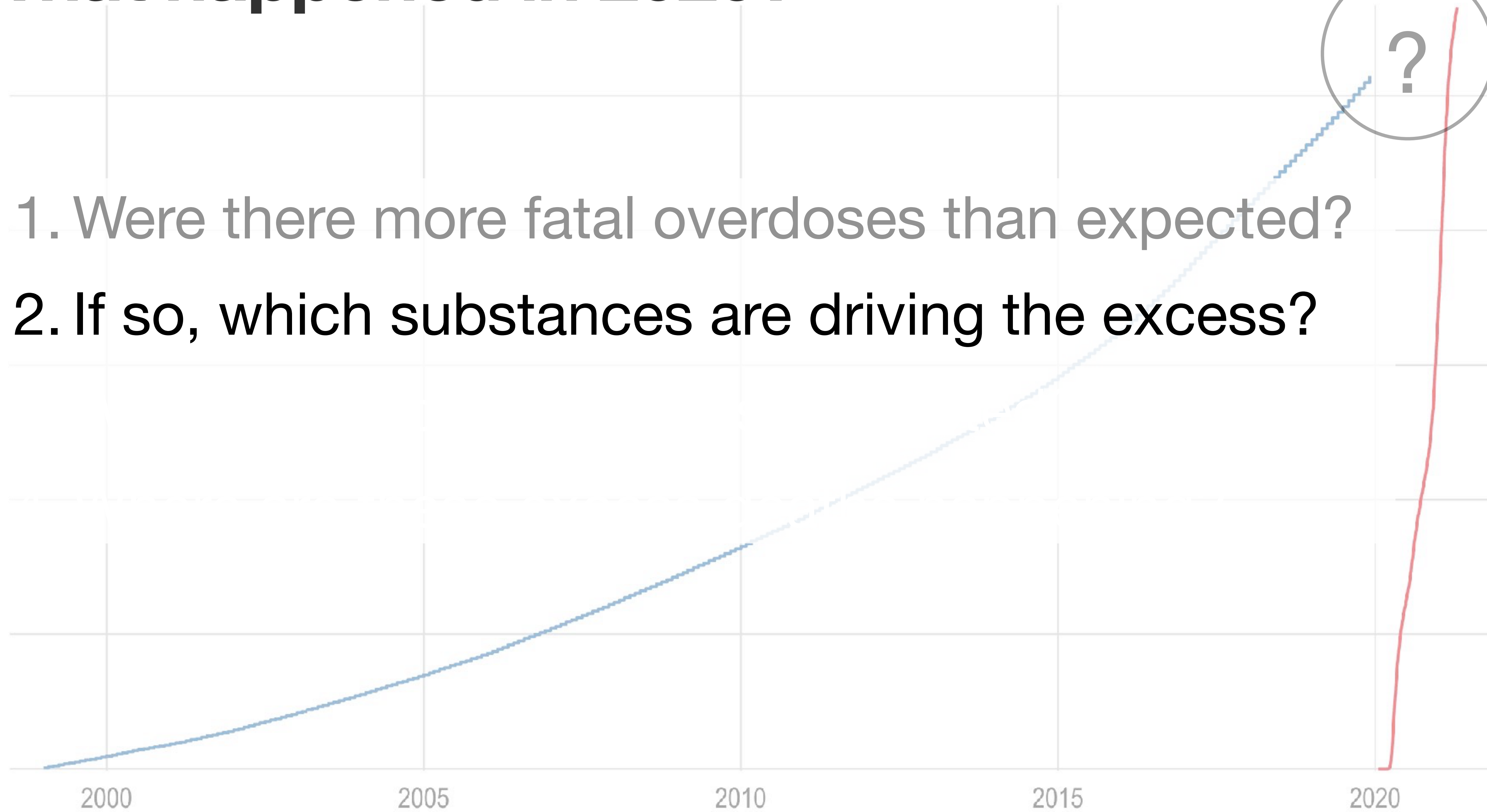
What happened in 2020?

1. Were there more fatal overdoses than expected?



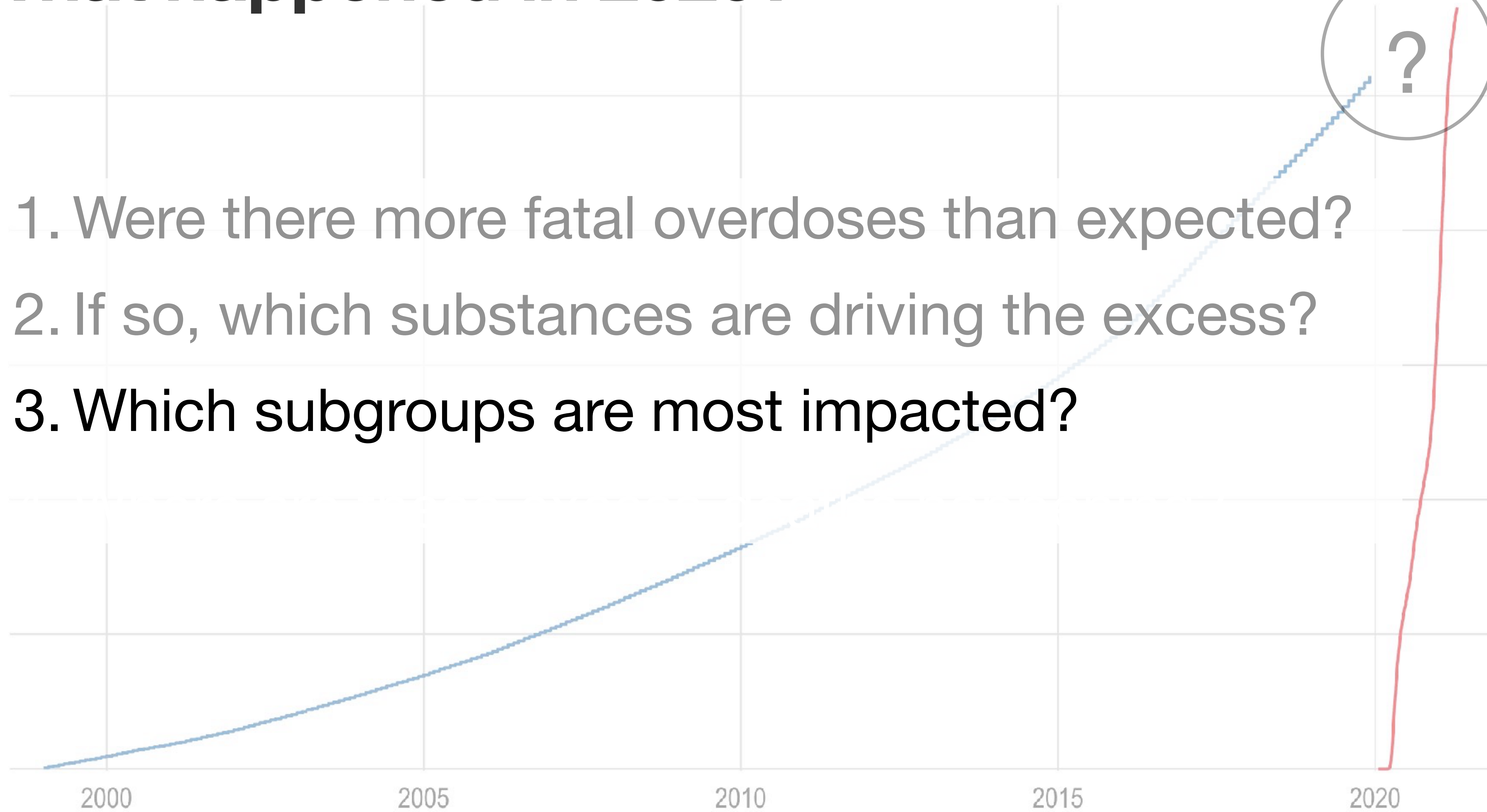
What happened in 2020?

1. Were there more fatal overdoses than expected?
2. If so, which substances are driving the excess?



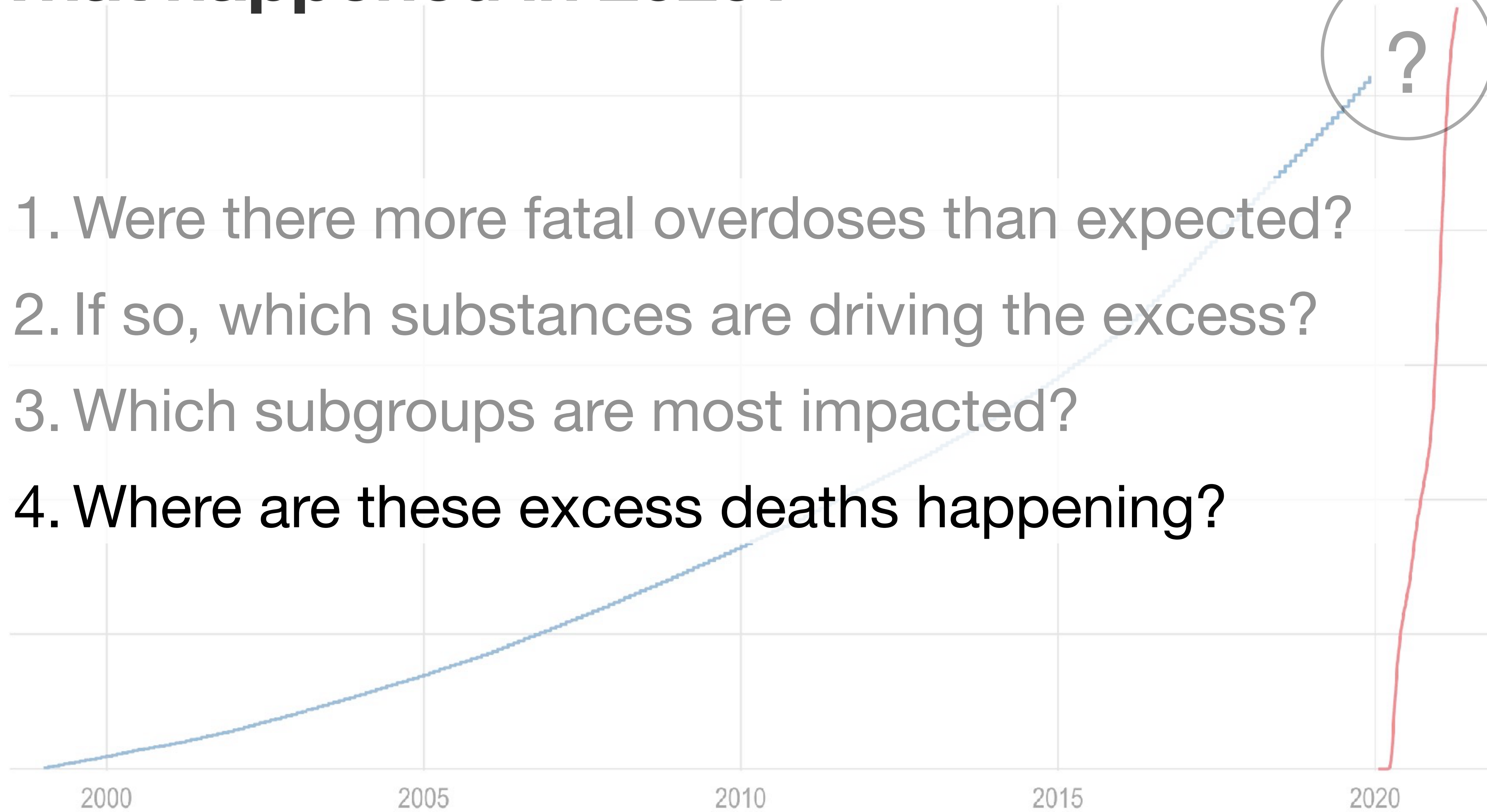
What happened in 2020?

1. Were there more fatal overdoses than expected?
2. If so, which substances are driving the excess?
- 3. Which subgroups are most impacted?**



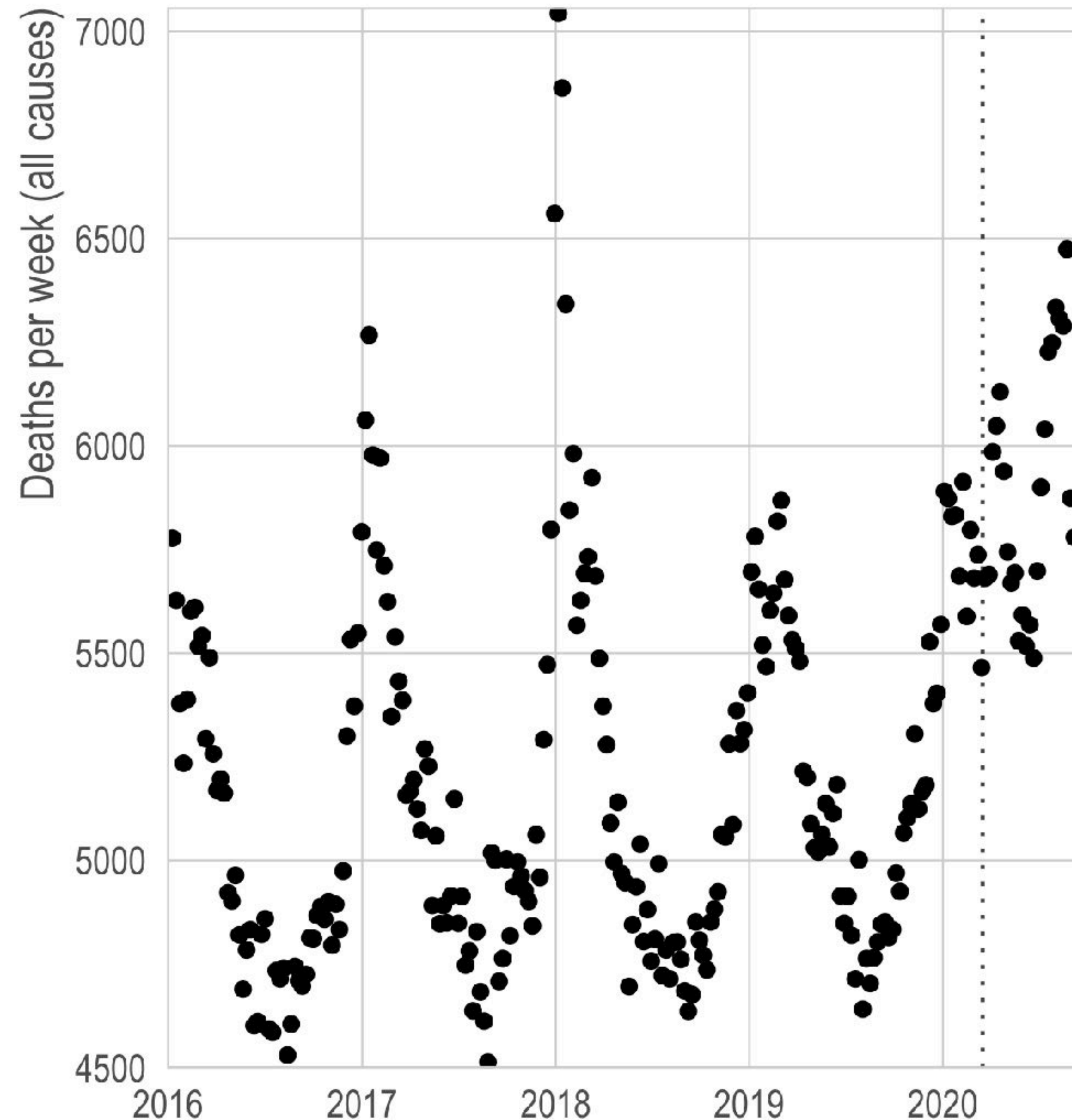
What happened in 2020?

1. Were there more fatal overdoses than expected?
2. If so, which substances are driving the excess?
3. Which subgroups are most impacted?
4. Where are these excess deaths happening?



Data – Description

- All death certificates in California from Jan 1, 2016 to Dec 31, 2020 (N ~ 1.3 million)
- Population estimates from US Census Bureau public use microdata



Methods – Creating a counterfactual model

$$Y_t | \epsilon_t \sim \text{Poisson}(\mu_t [1 + f(t)] \epsilon_t)$$
$$\mu_t = N_t \exp[\alpha(t) + s(t) + w(t)]$$

Methods – Creating a counterfactual model

- Assume **deaths per week** are Poisson distributed

$$\boxed{Y_t} \epsilon_t \sim \text{Poisson}(\mu_t [1 + f(t)] \epsilon_t)$$
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Methods – Creating a counterfactual model

- Assume deaths per week are Poisson distributed
- The expected number of deaths at week t is a function of:

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Methods – Creating a counterfactual model

- Assume deaths per week are Poisson distributed
- The expected number of deaths at week t is a function of:
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 - Long-term trend

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Methods – Creating a counterfactual model

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- Assume **deaths per week** are Poisson distributed
- The **expected number of deaths** at week t is a function of:
 - **Population at risk** at week t
 - **Long-term** trend
 - **Seasonal** trend
 - Weekday effect (ignored)

$$Y_t \epsilon_t \sim \text{Poisson}(\mu_t [1 + f(t)] \epsilon_t)$$
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Methods – Creating a counterfactual model

- Assume **deaths per week** are Poisson distributed
- The **expected number of deaths** at week t is a function of:
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 - **Long-term** trend
 - **Seasonal** trend
 - Weekday effect
- An “**event effect**”

$$Y_t \epsilon_t \sim \text{Poisson}(\mu_t [1 + f(t)] \epsilon_t)$$
$$\mu_t = N_t \exp[\alpha(t) + s(t) + w(t)]$$

Constraining the model space

- Long-term trend:
 - Linear
 - Natural cubic spline with 1 to 2 (intraboundary) knots

$$Y_t | \epsilon_t \sim \text{Poisson}(\mu_t [1 + f(t)] \epsilon_t)$$
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- Long-term trend:
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 - 1 to 4 harmonics

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- Use time-series cross validation to select the “best” model

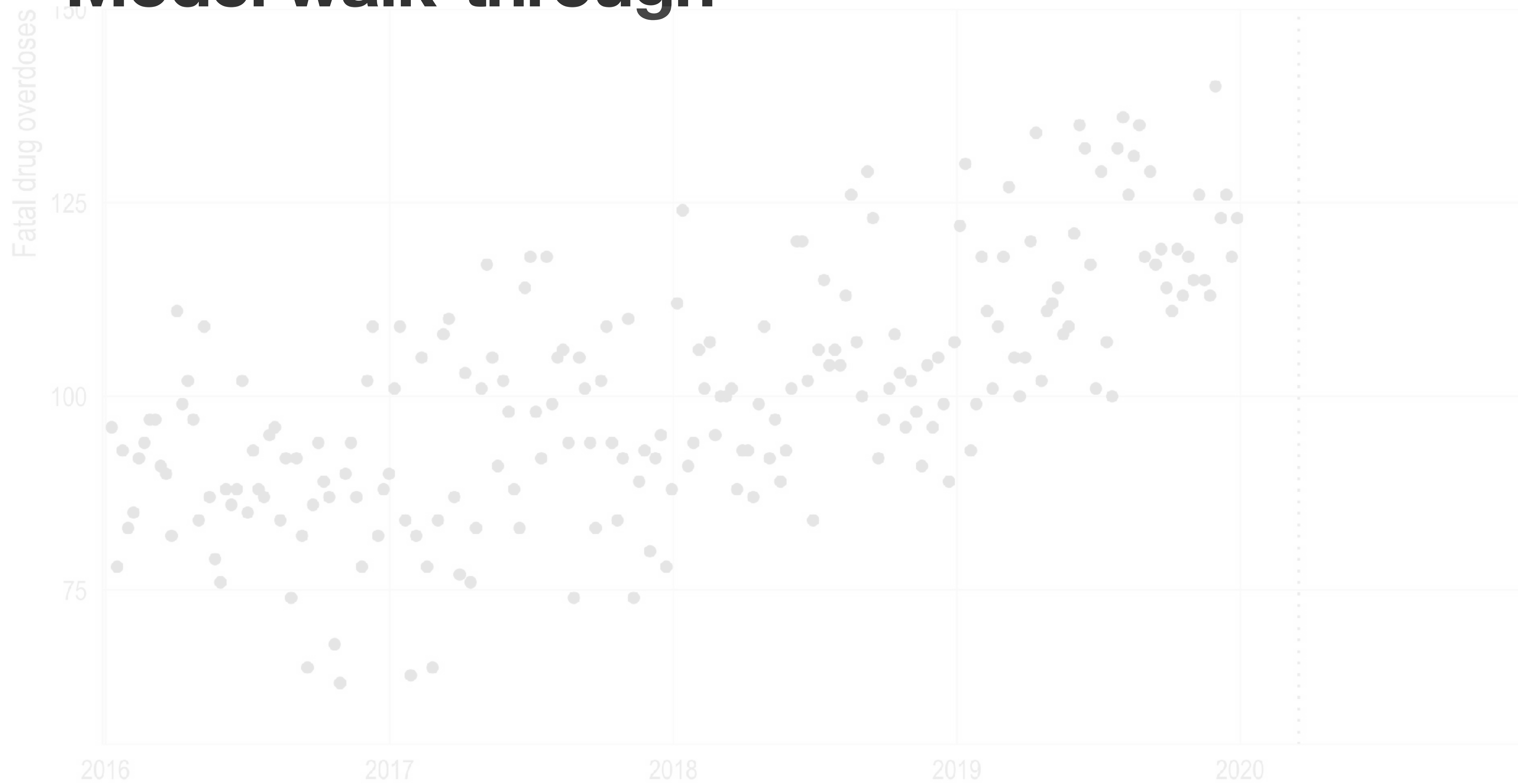
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Constraining the model space

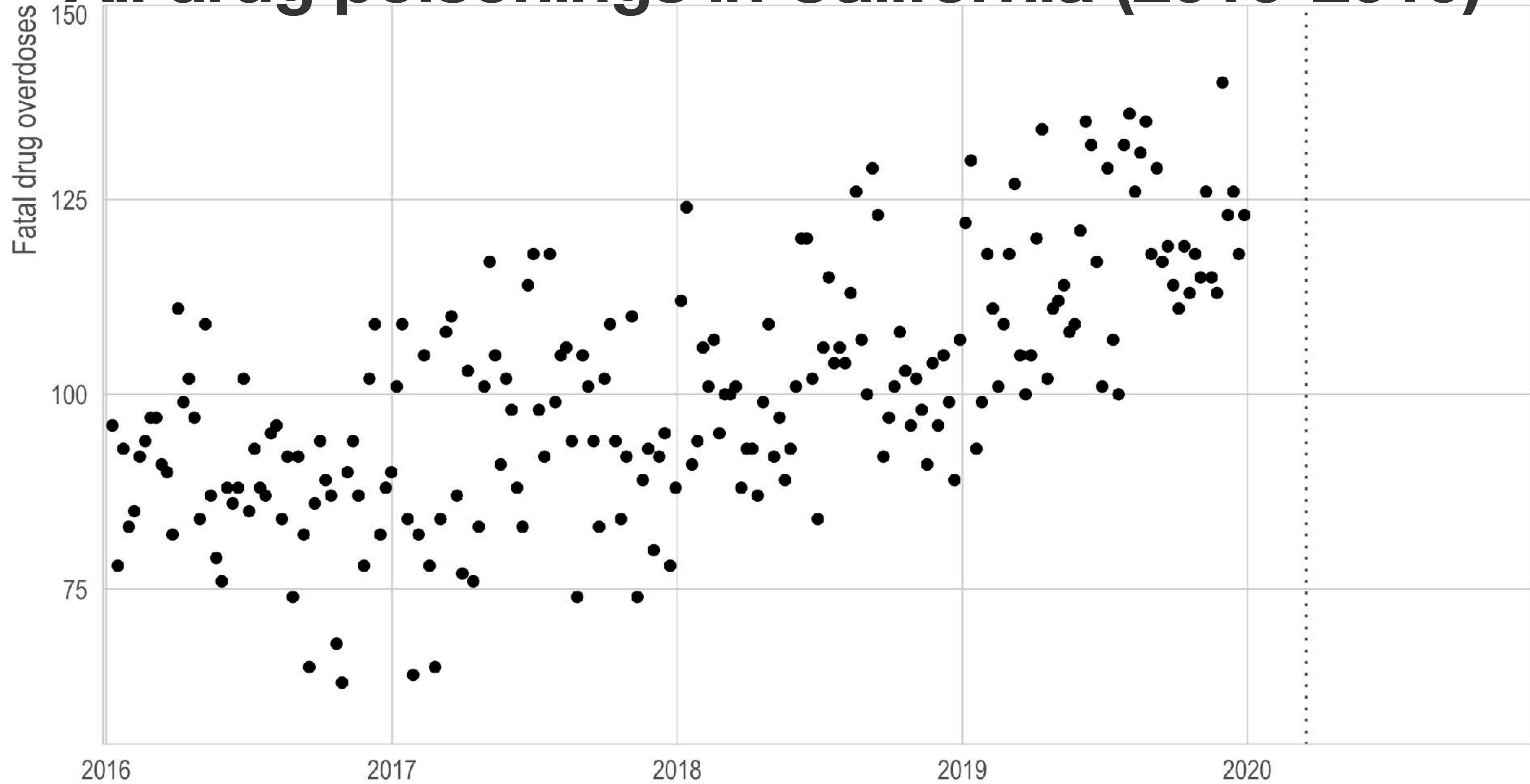
- Long-term trend:
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 - Natural cubic spline with 1 to 2 (intraboundary) knots
- Seasonal trend
 - 1 to 4 harmonics
- Use time-series cross validation to select the “best” model
- Repeat for every outcome and subpopulation

$$Y_t | \epsilon_t \sim \text{Poisson}(\mu_t [1 + f(t)] \epsilon_t)$$
$$\mu_t = N_t \exp[\alpha(t) + s(t) + w(t)]$$

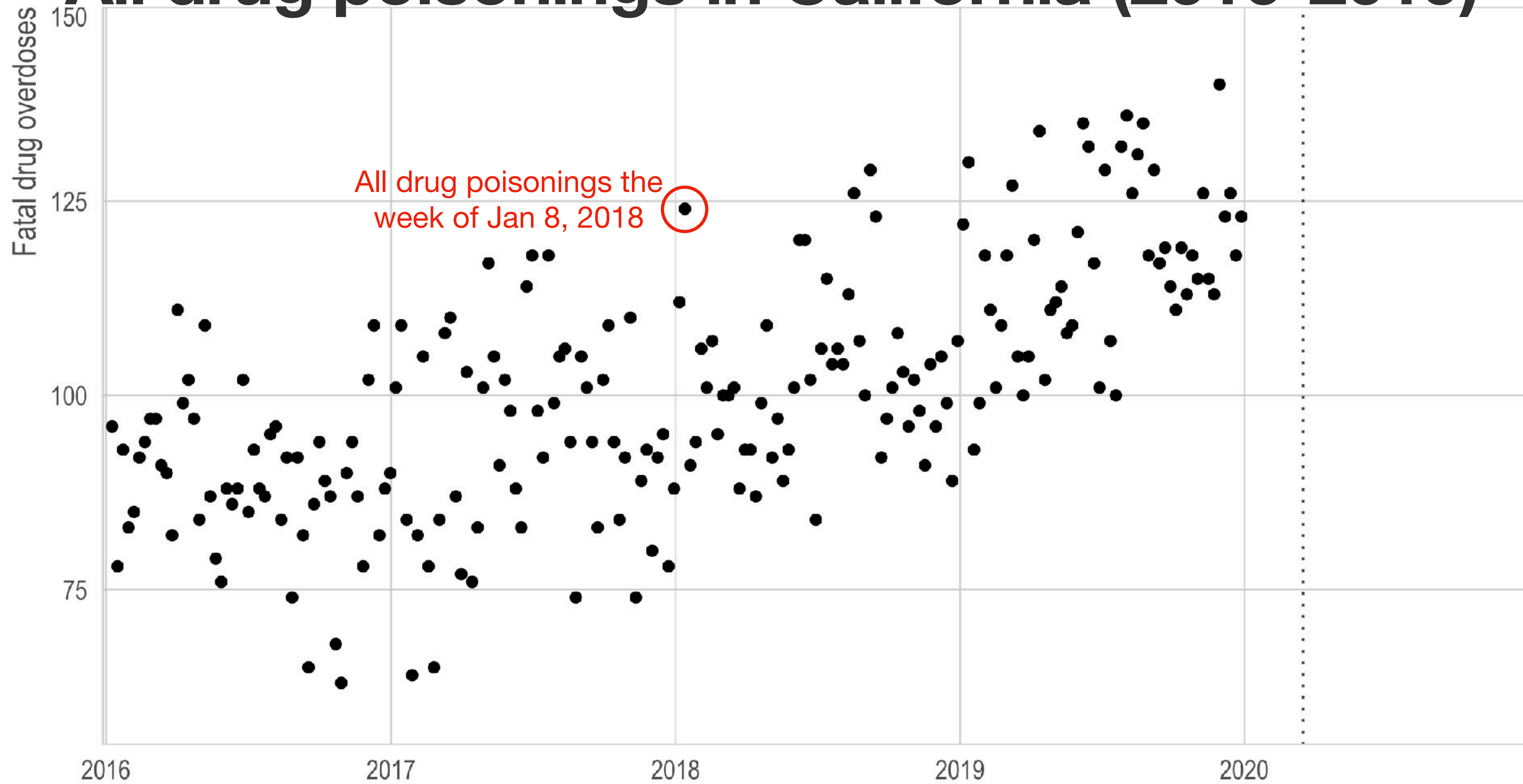
Model walk-through



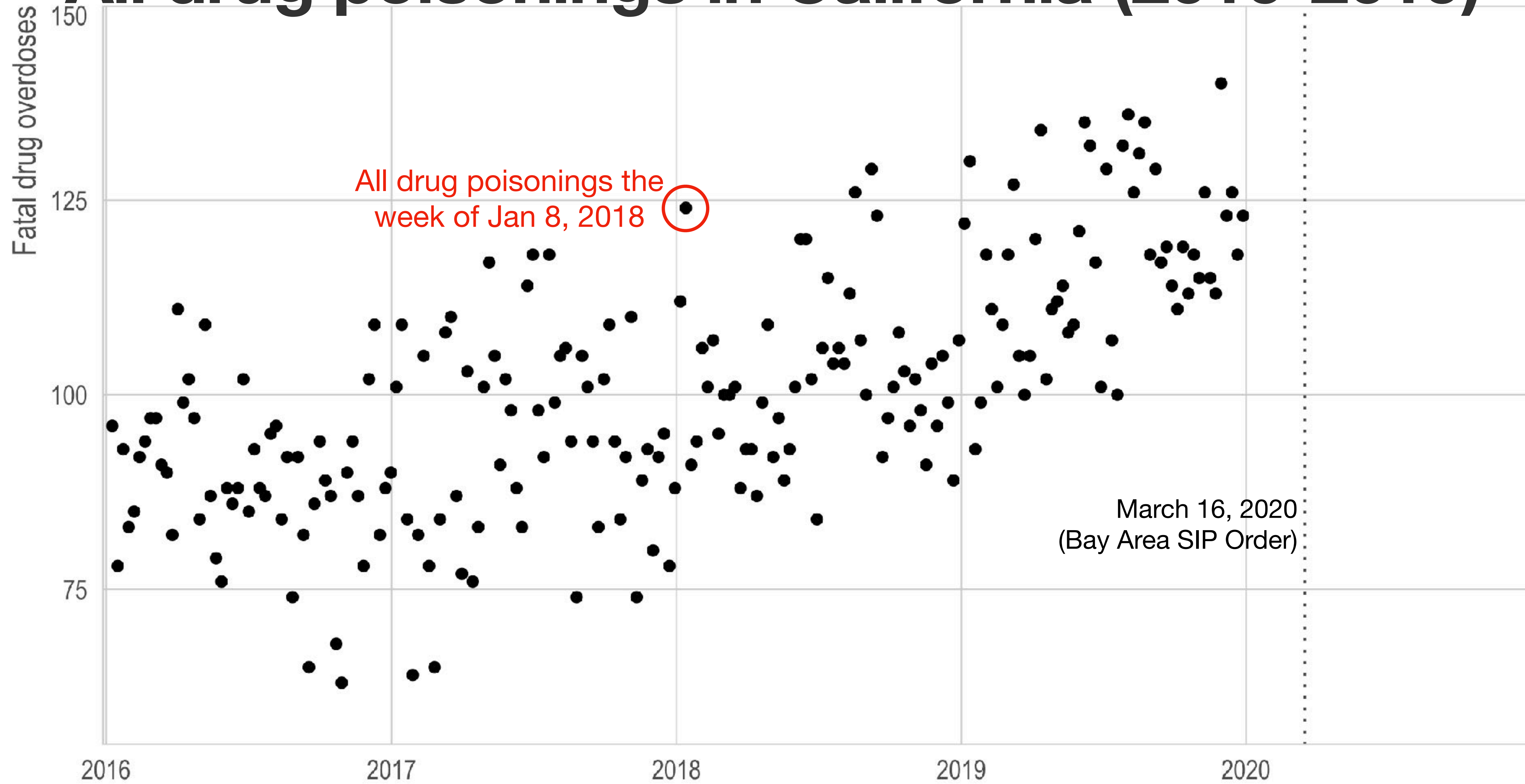
All drug poisonings in California (2016-2019)



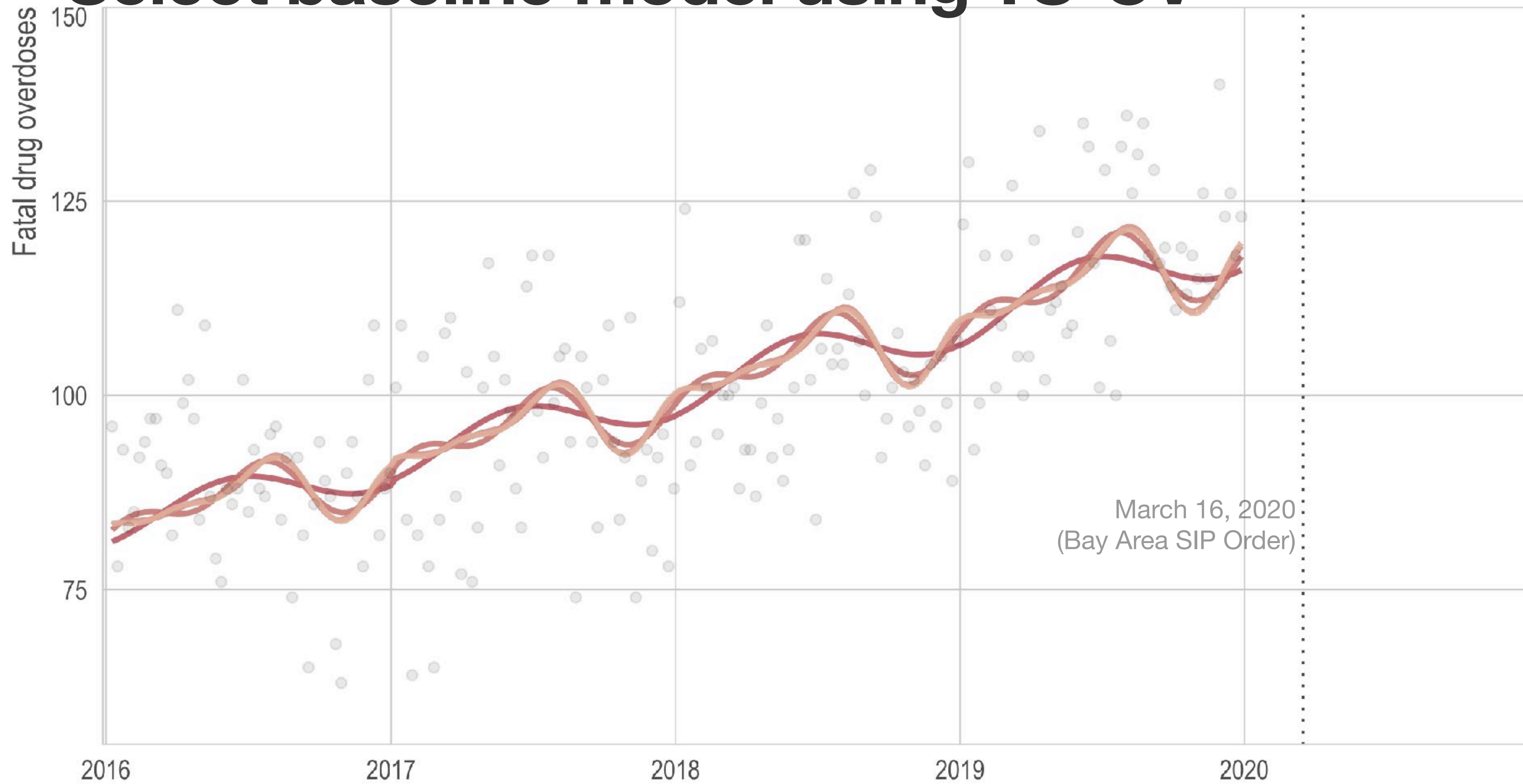
All drug poisonings in California (2016-2019)



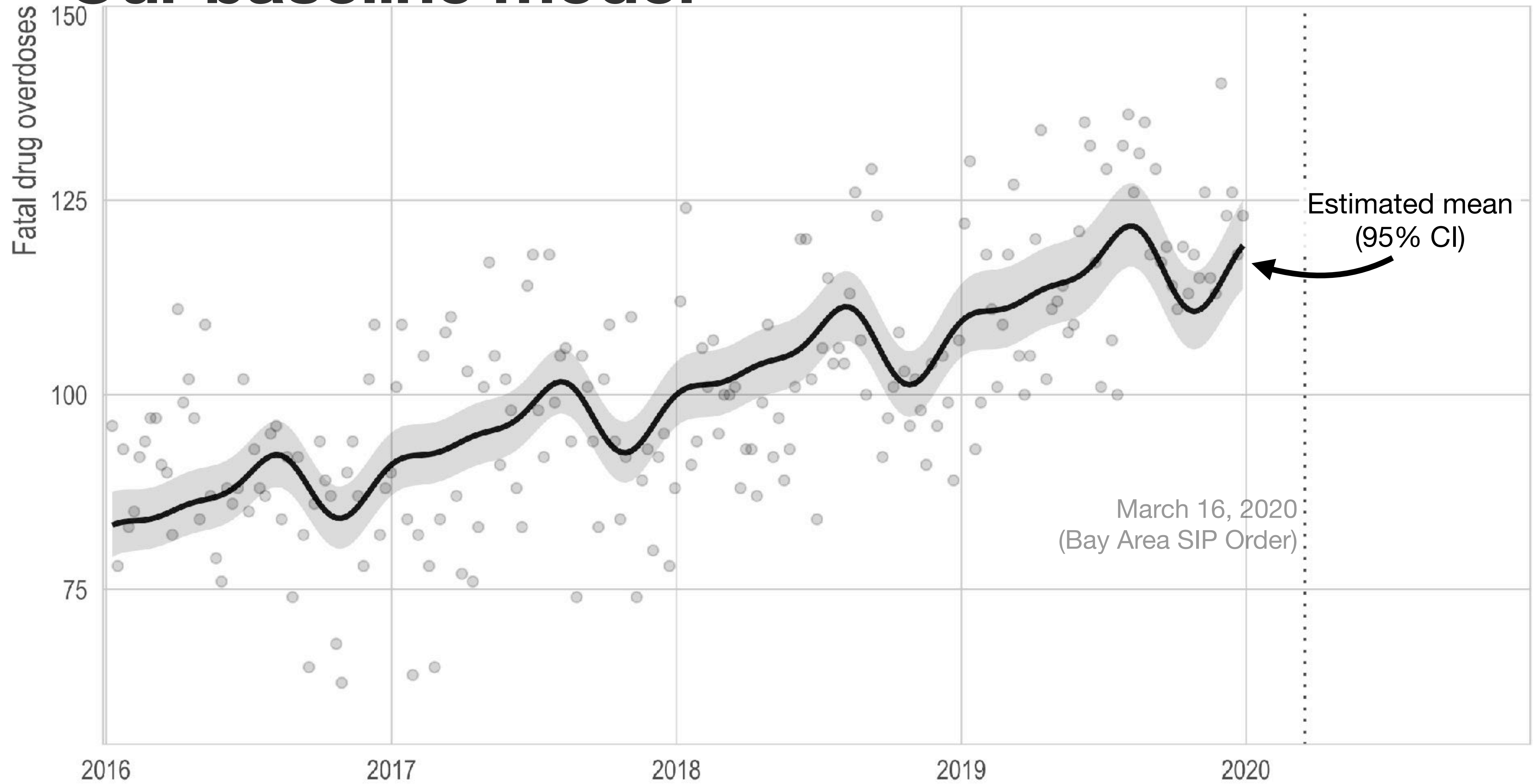
All drug poisonings in California (2016-2019)



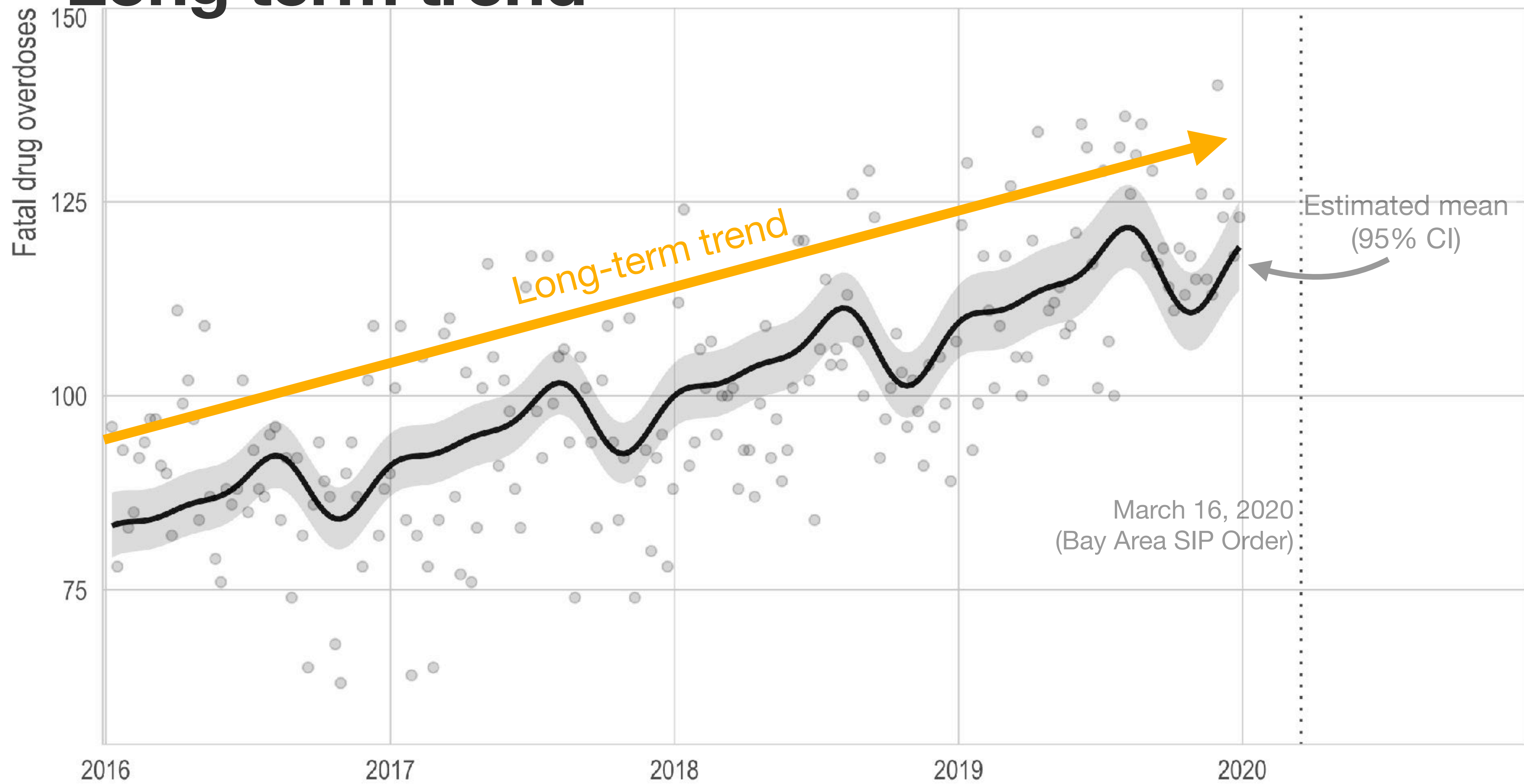
Select baseline model using TS-CV



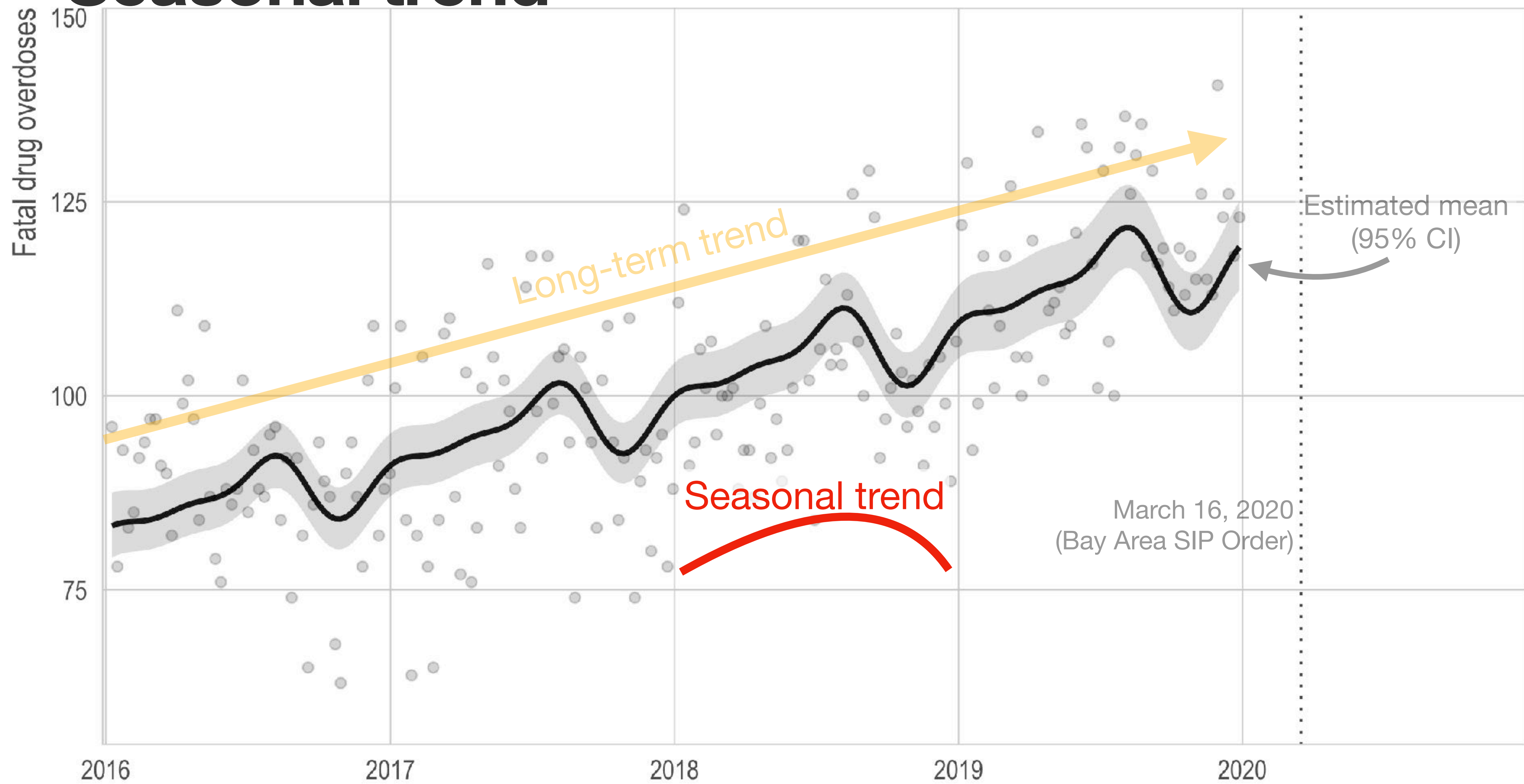
Our baseline model



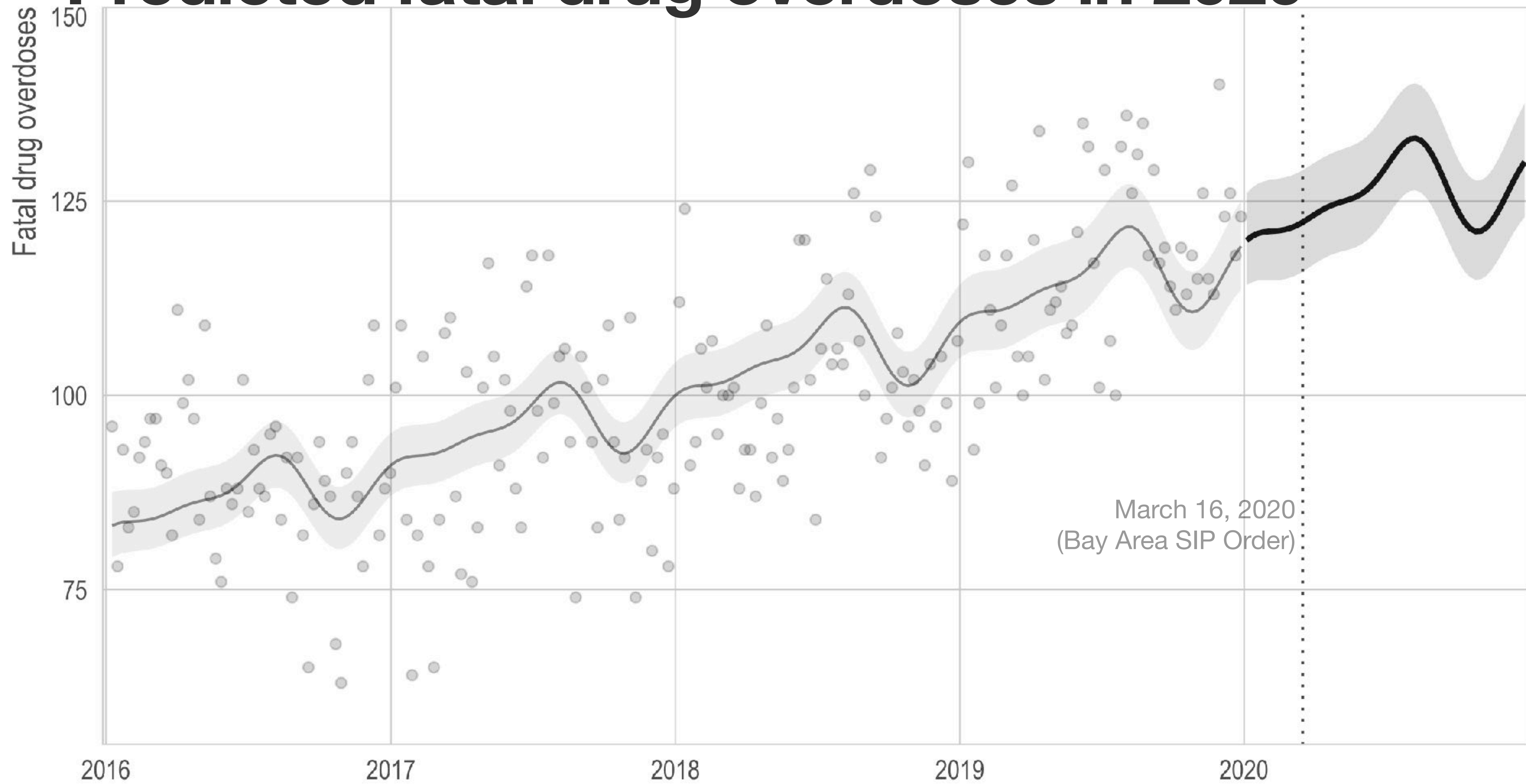
Long term trend



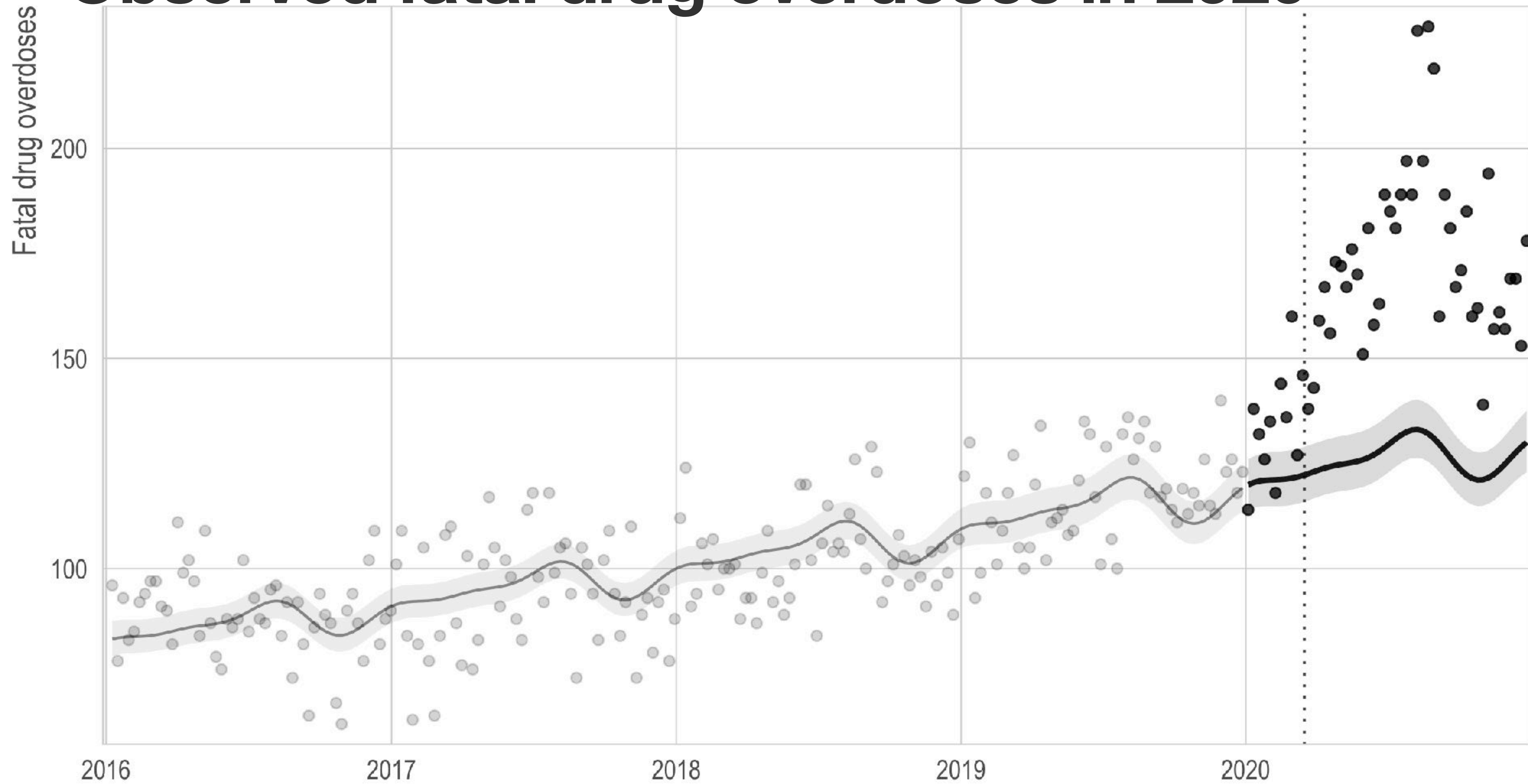
Seasonal trend



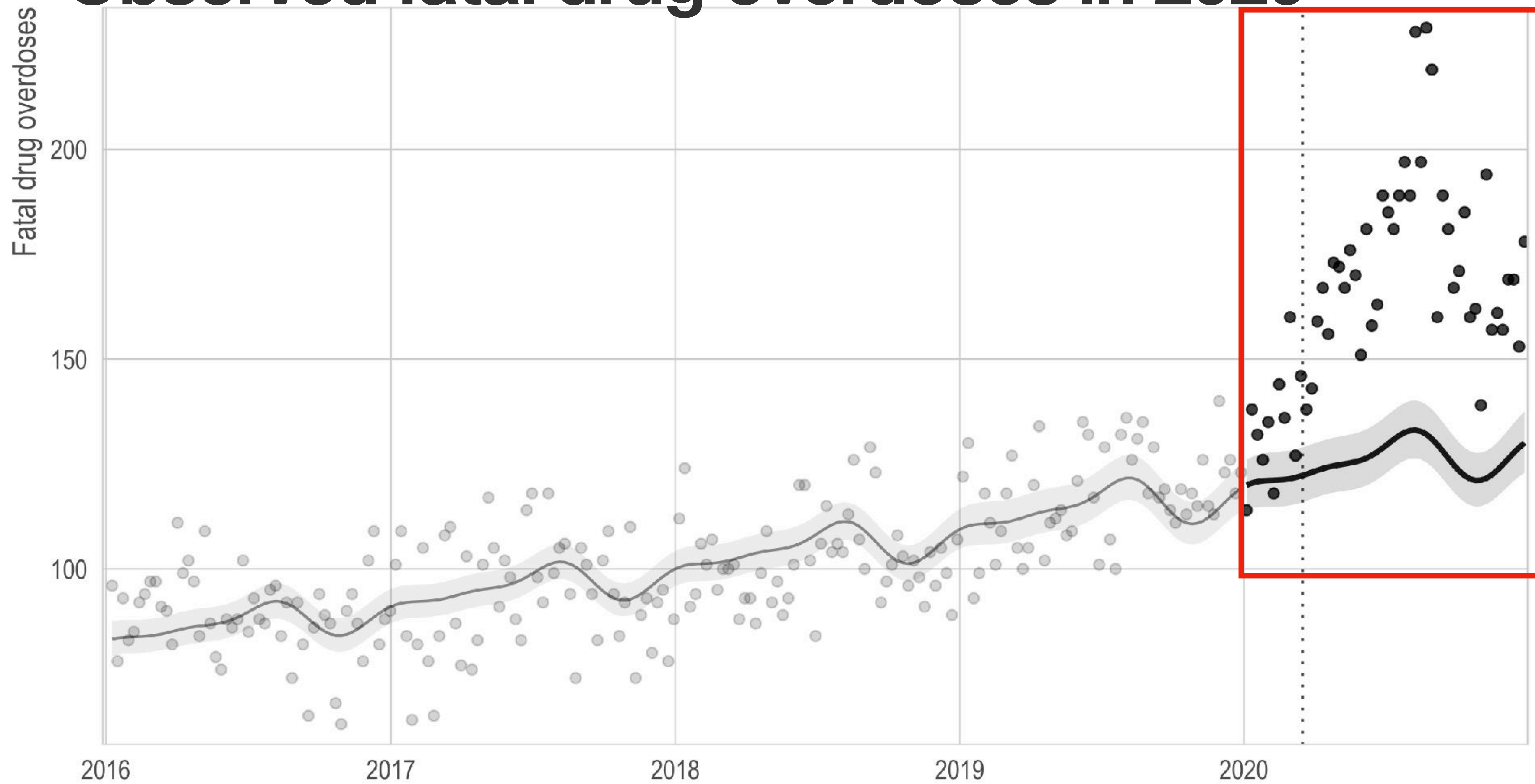
Predicted fatal drug overdoses in 2020



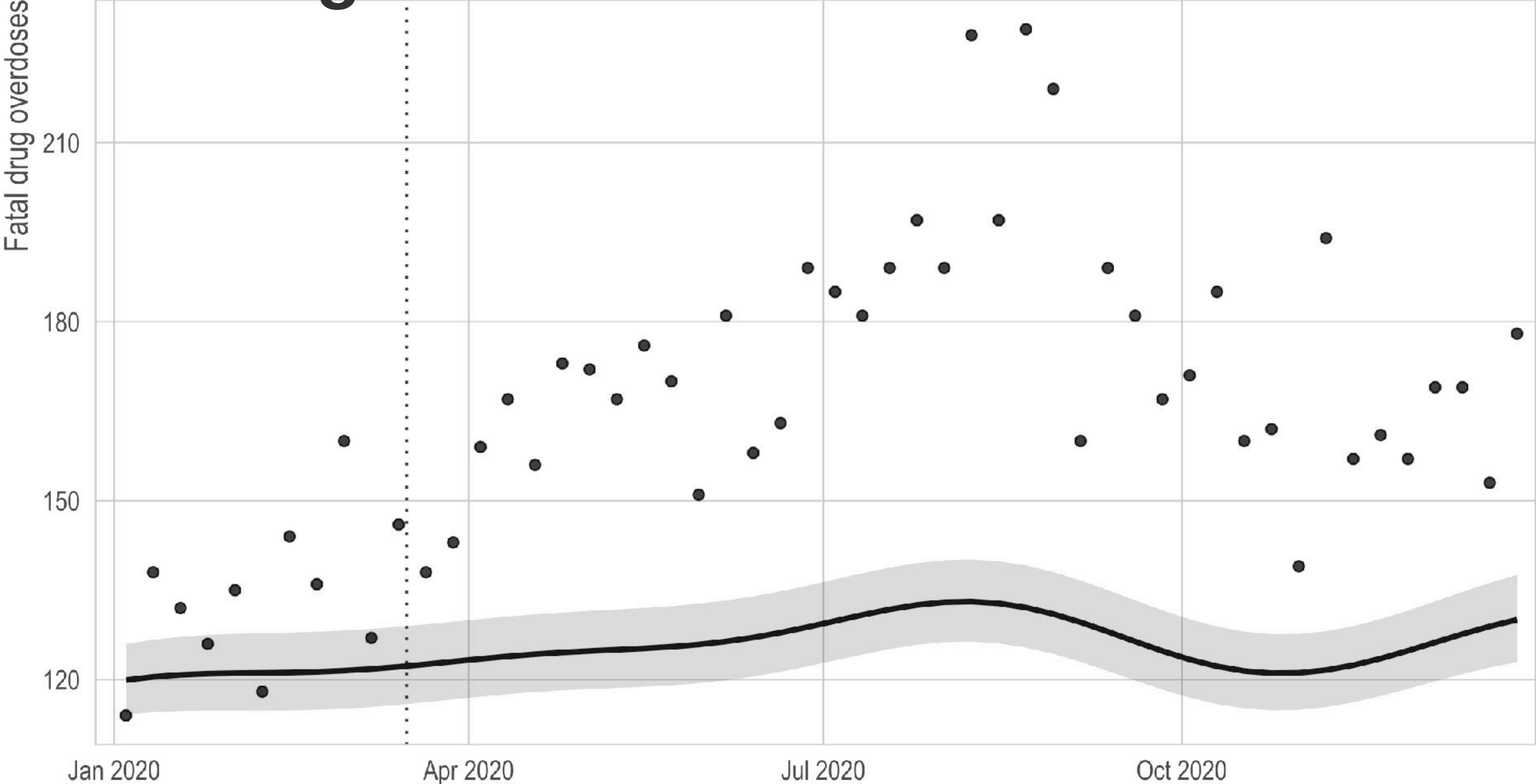
Observed fatal drug overdoses in 2020



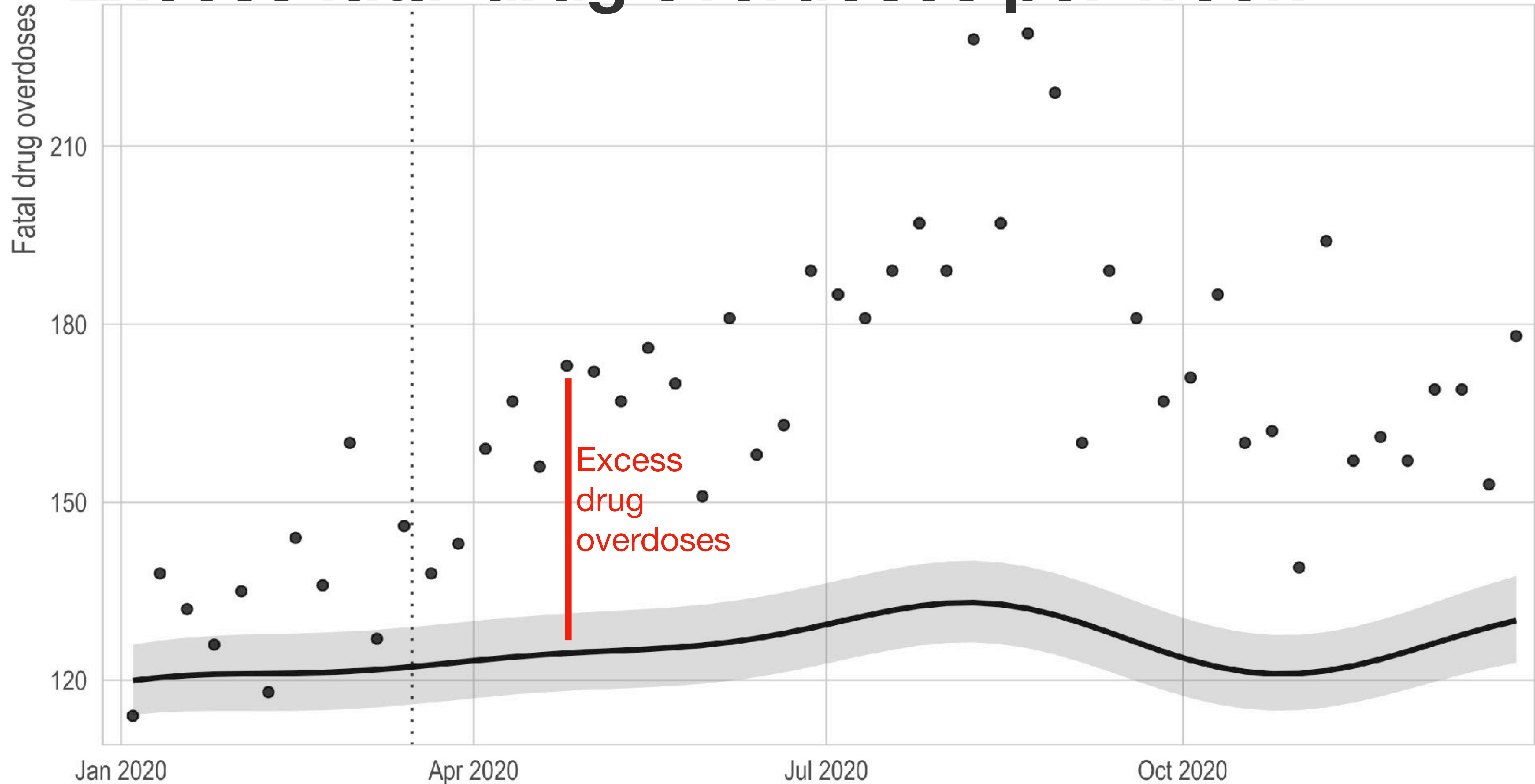
Observed fatal drug overdoses in 2020



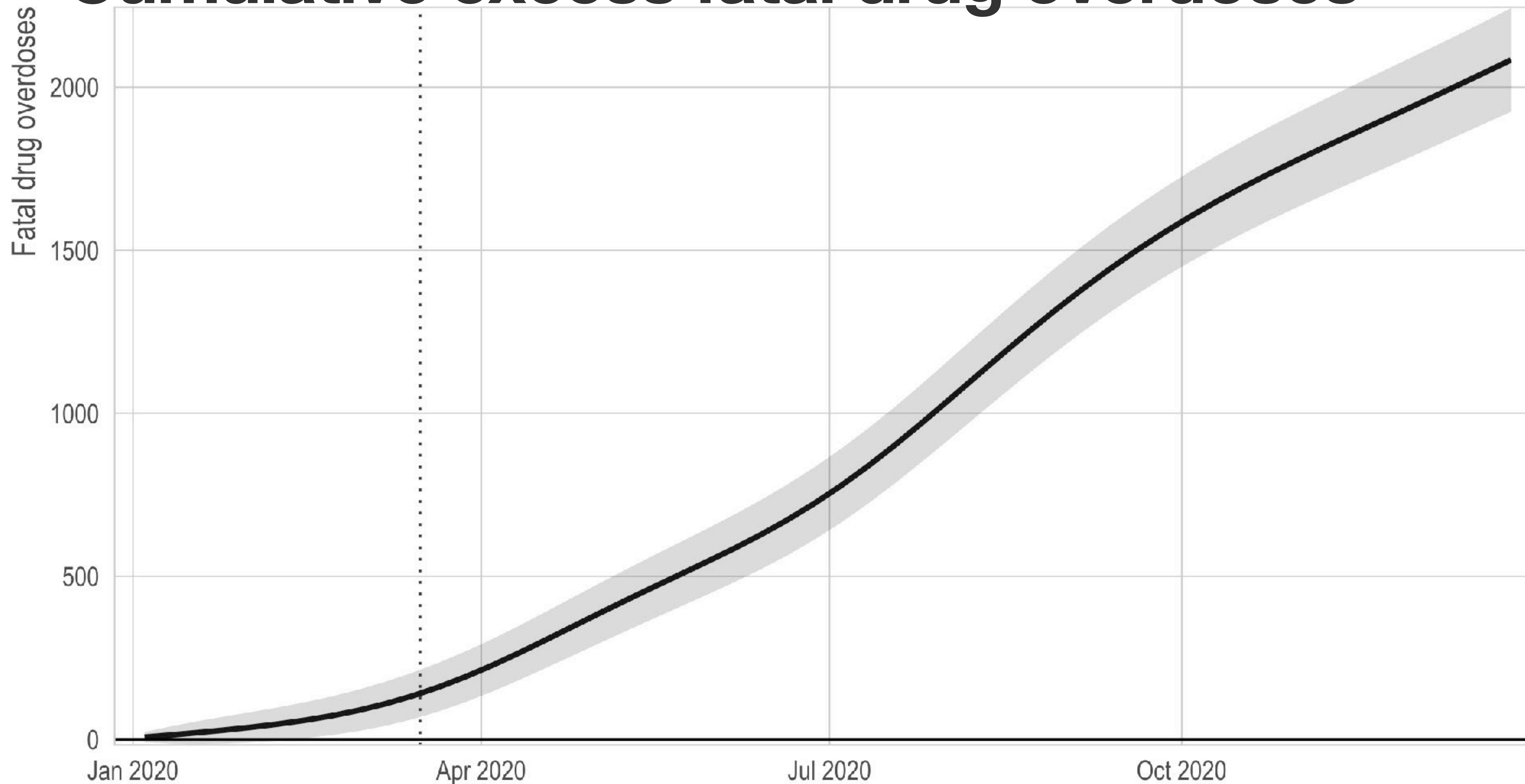
Focusing on 2020



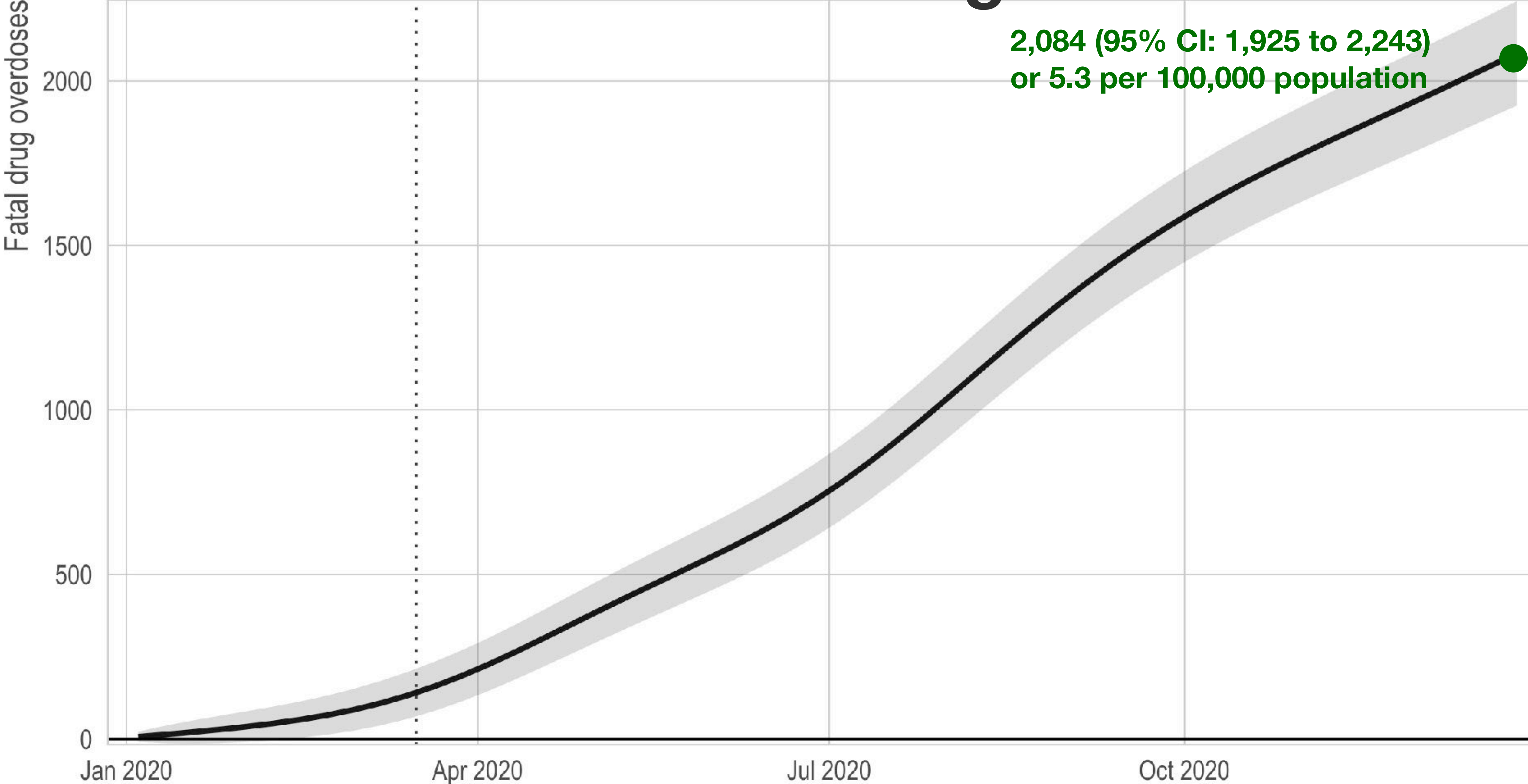
Excess fatal drug overdoses per week



Cumulative excess fatal drug overdoses

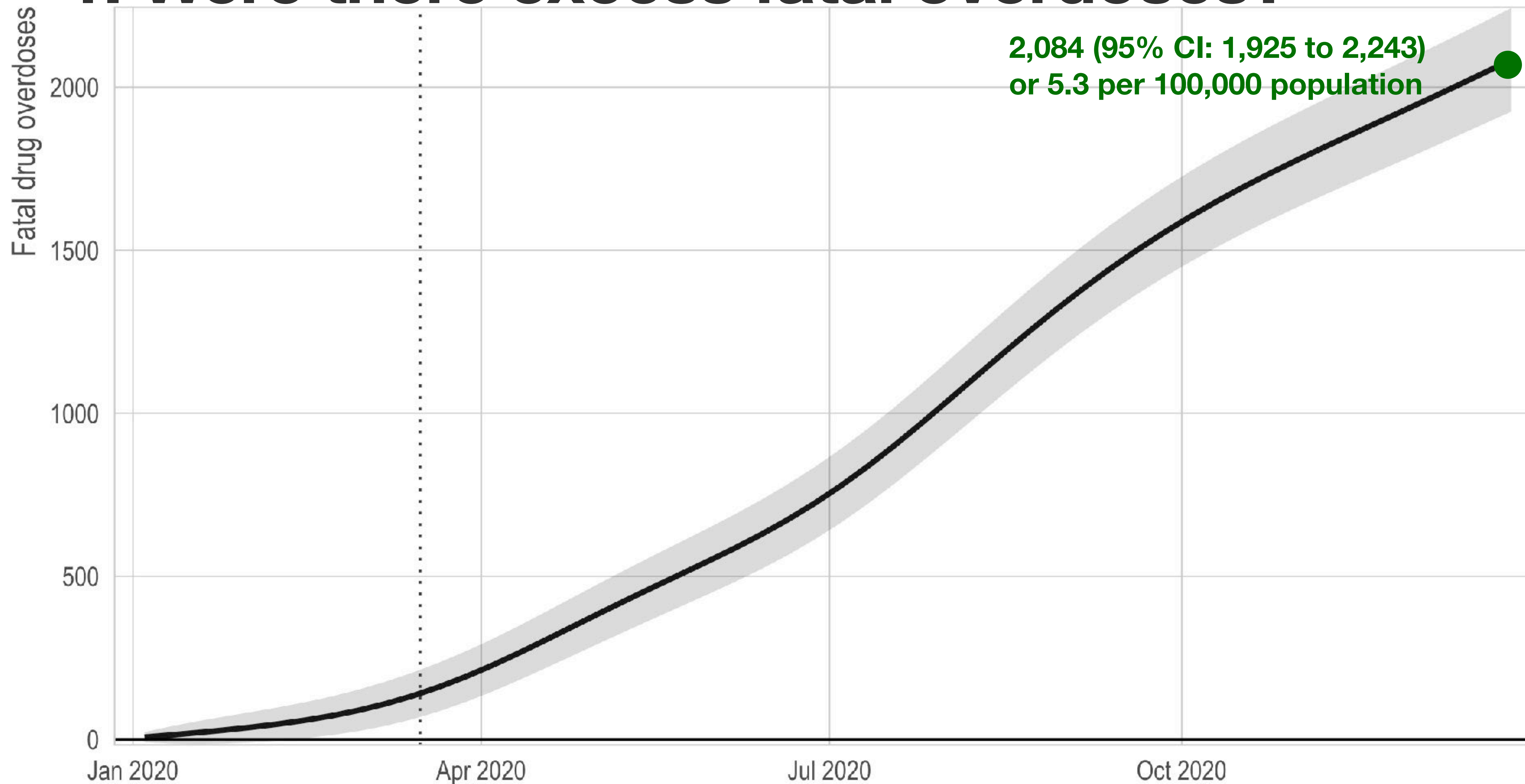


Cumulative excess fatal drug overdoses



Results

1. Were there excess fatal overdoses?



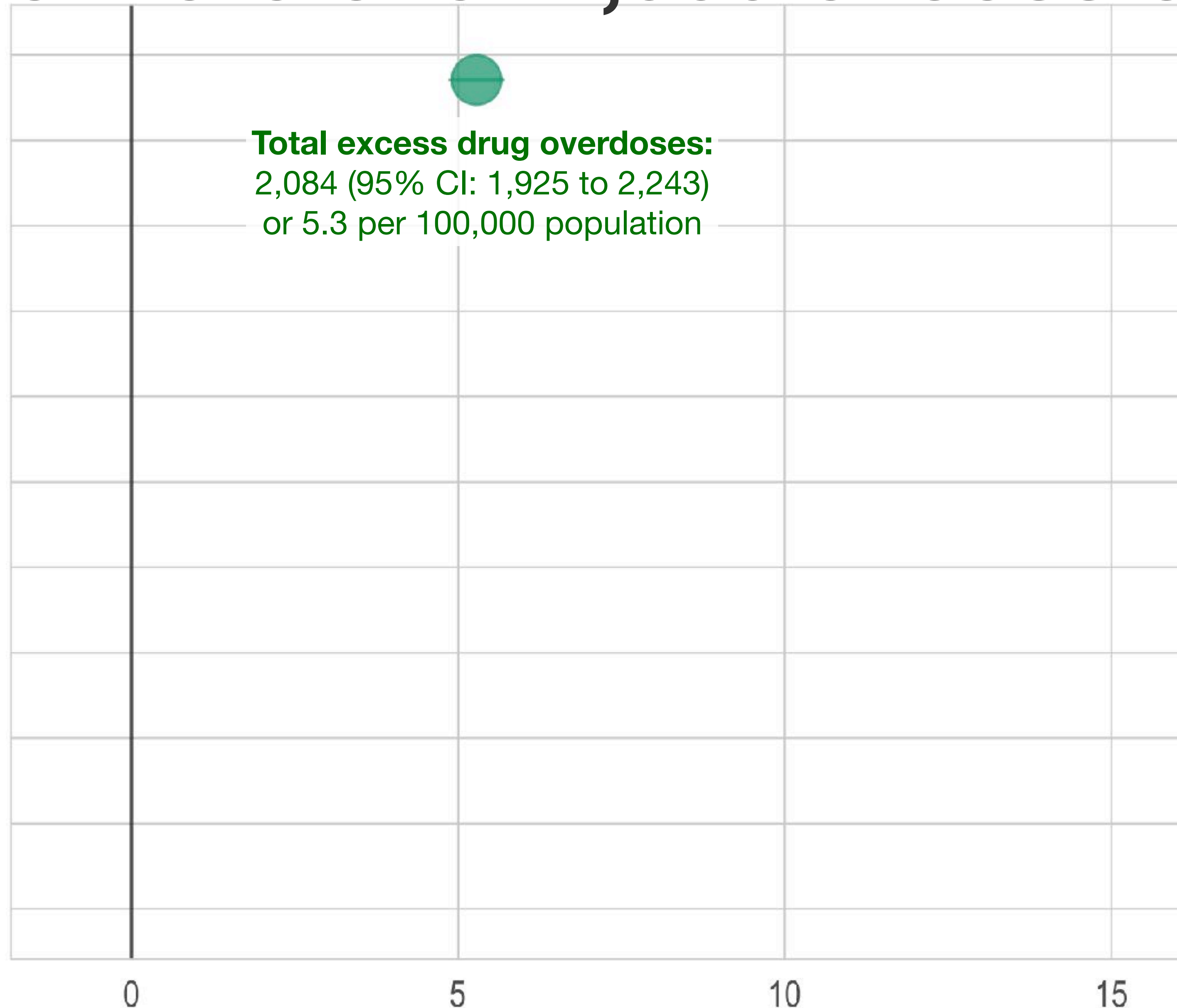
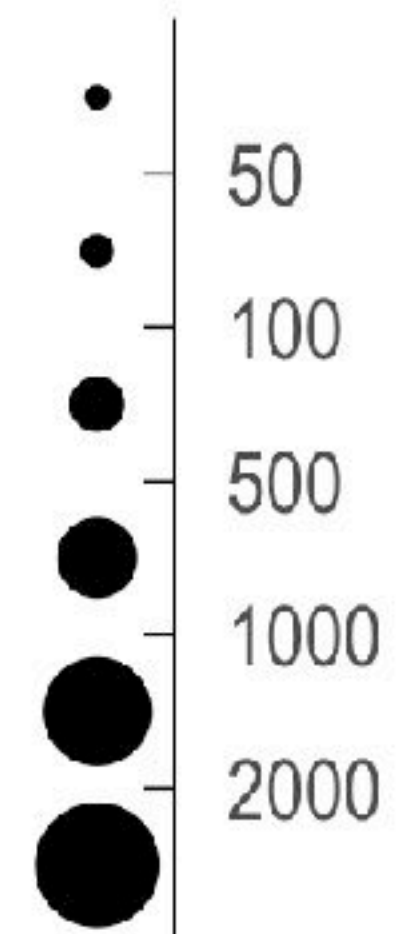
Yes, there were over 2,000 excess overdoses

Type of death

Drug poisoning

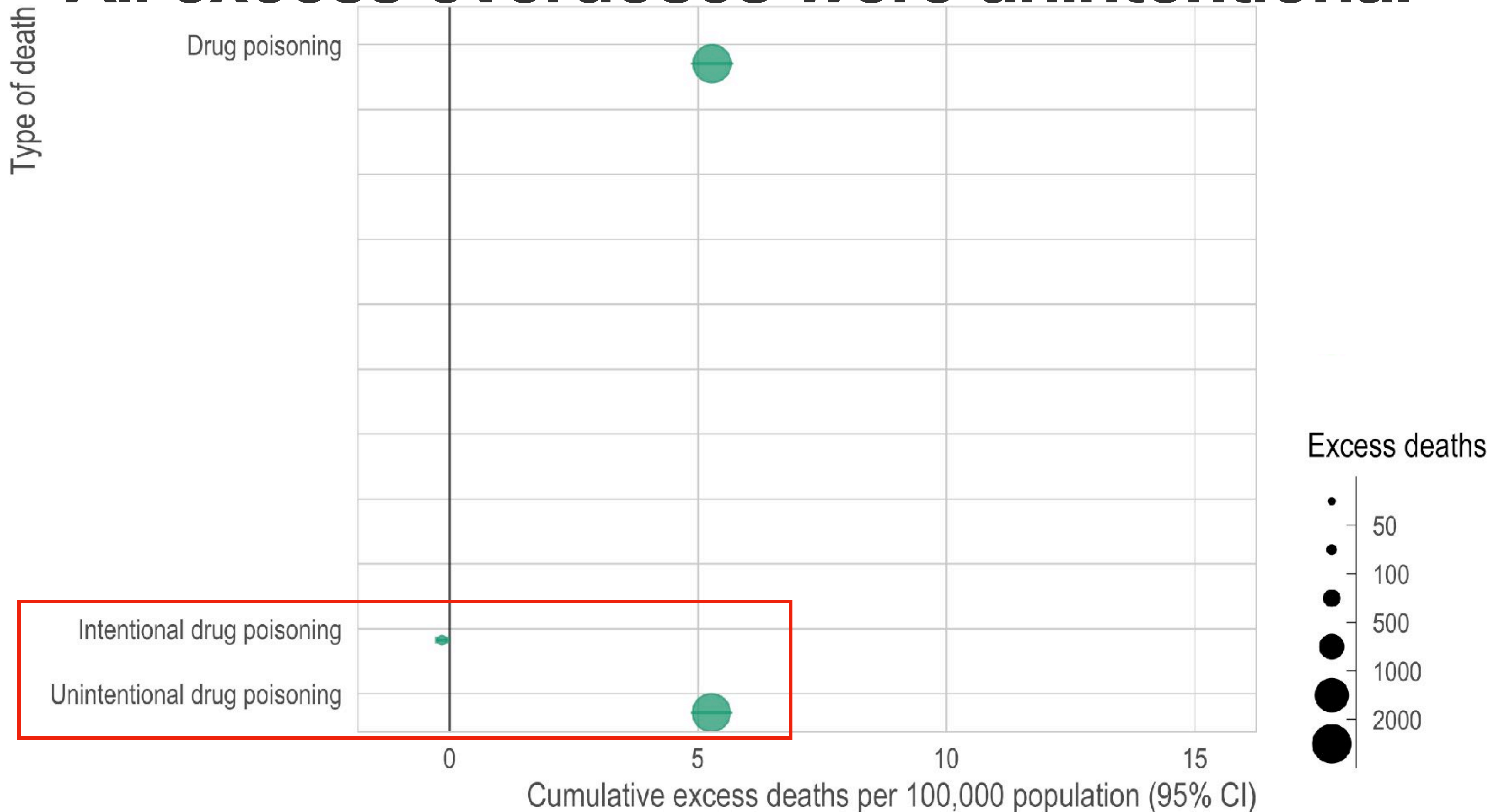
Total excess drug overdoses:
2,084 (95% CI: 1,925 to 2,243)
or 5.3 per 100,000 population

Excess deaths



Cumulative excess deaths per 100,000 population (95% CI)

All excess overdoses were unintentional



2. Which substances are driving it?

Type of death

Drug poisoning

Alcohol

Benzodiazepine

Cocaine

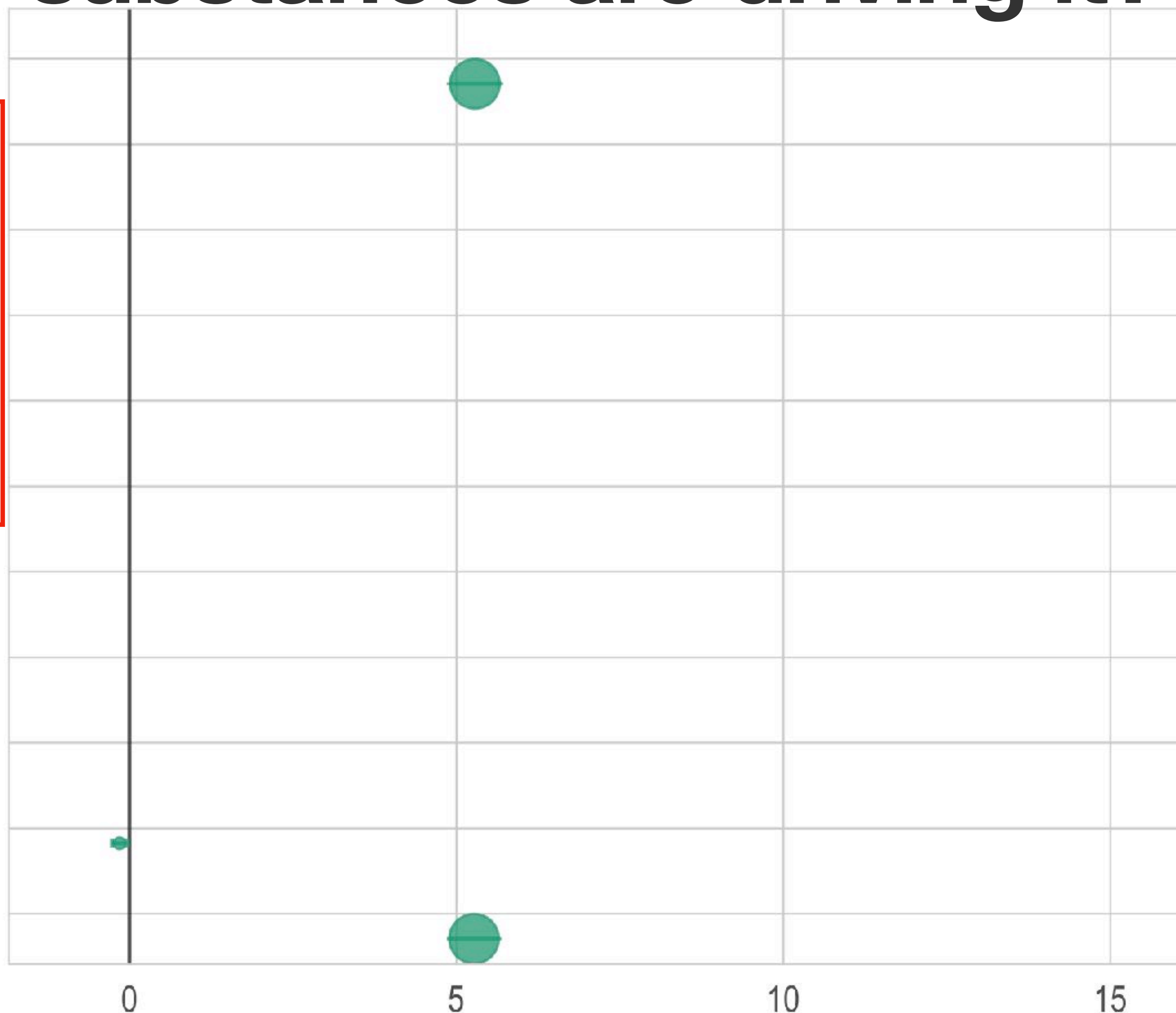
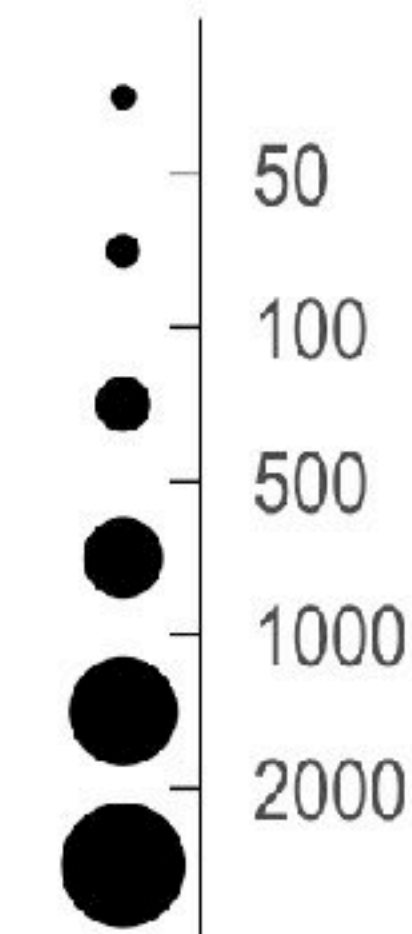
Methamphetamine

Opioids

Intentional drug poisoning

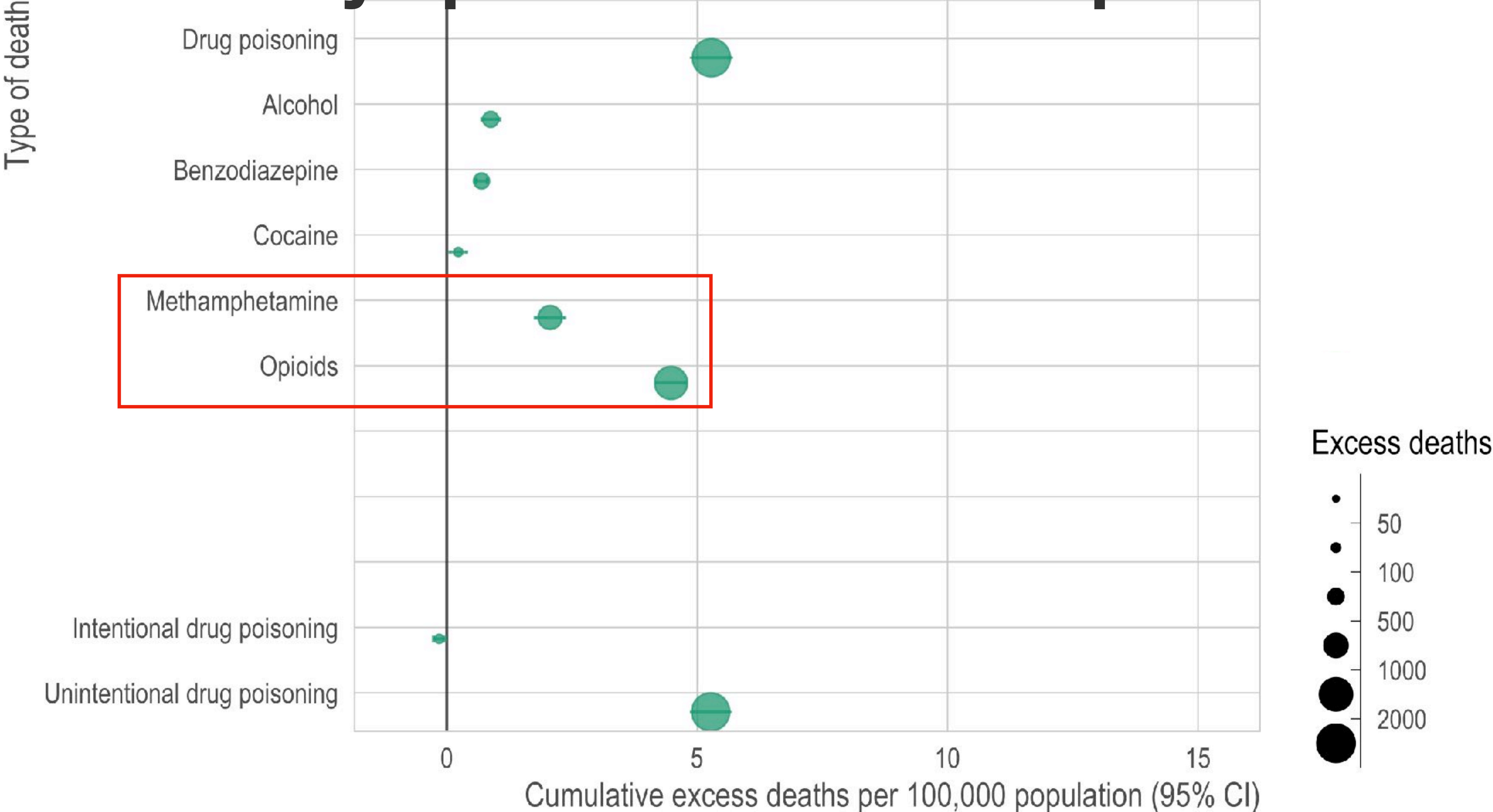
Unintentional drug poisoning

Excess deaths

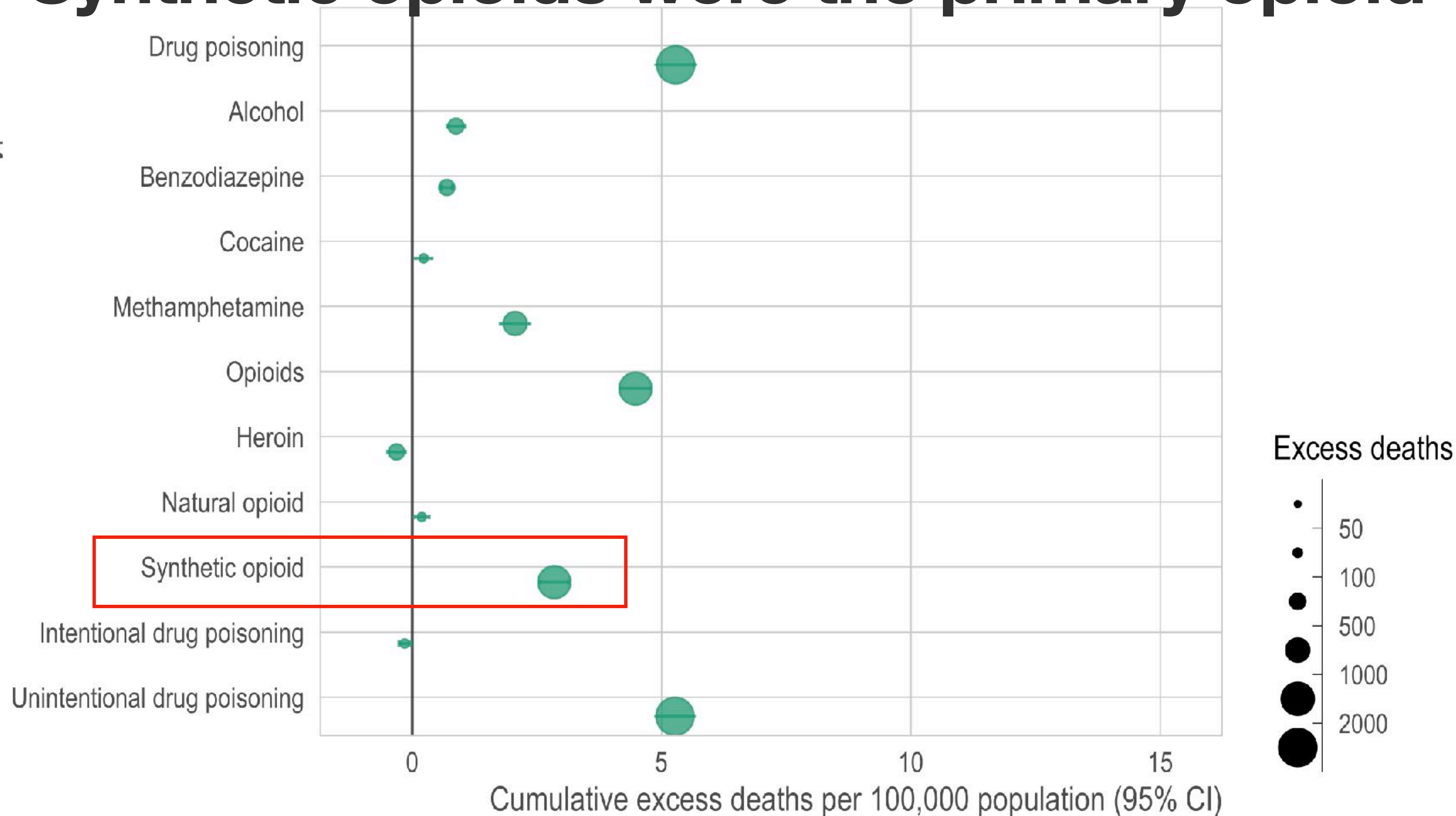


Cumulative excess deaths per 100,000 population (95% CI)

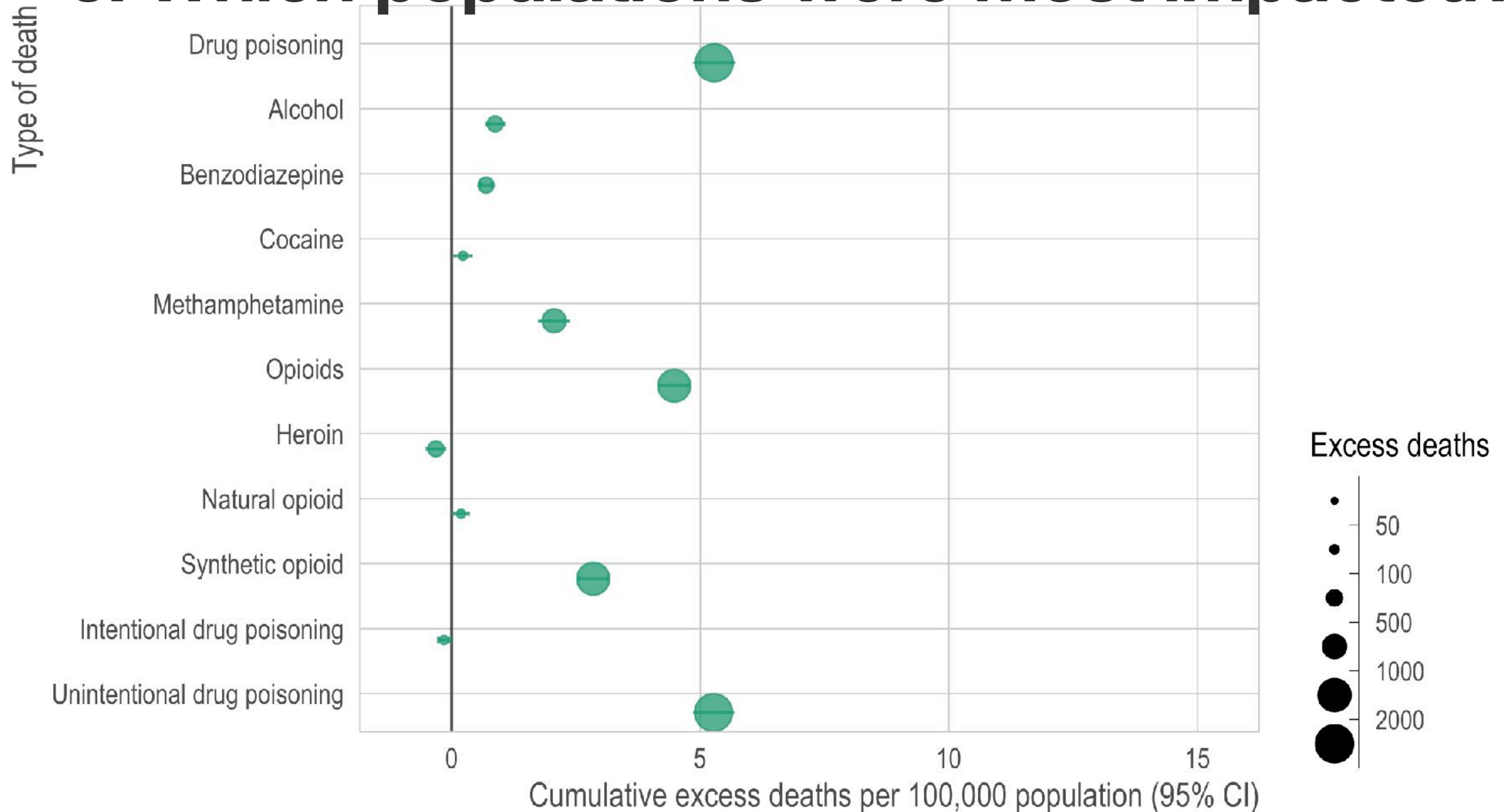
Driven by opioids and methamphetamines



Synthetic opioids were the primary opioid

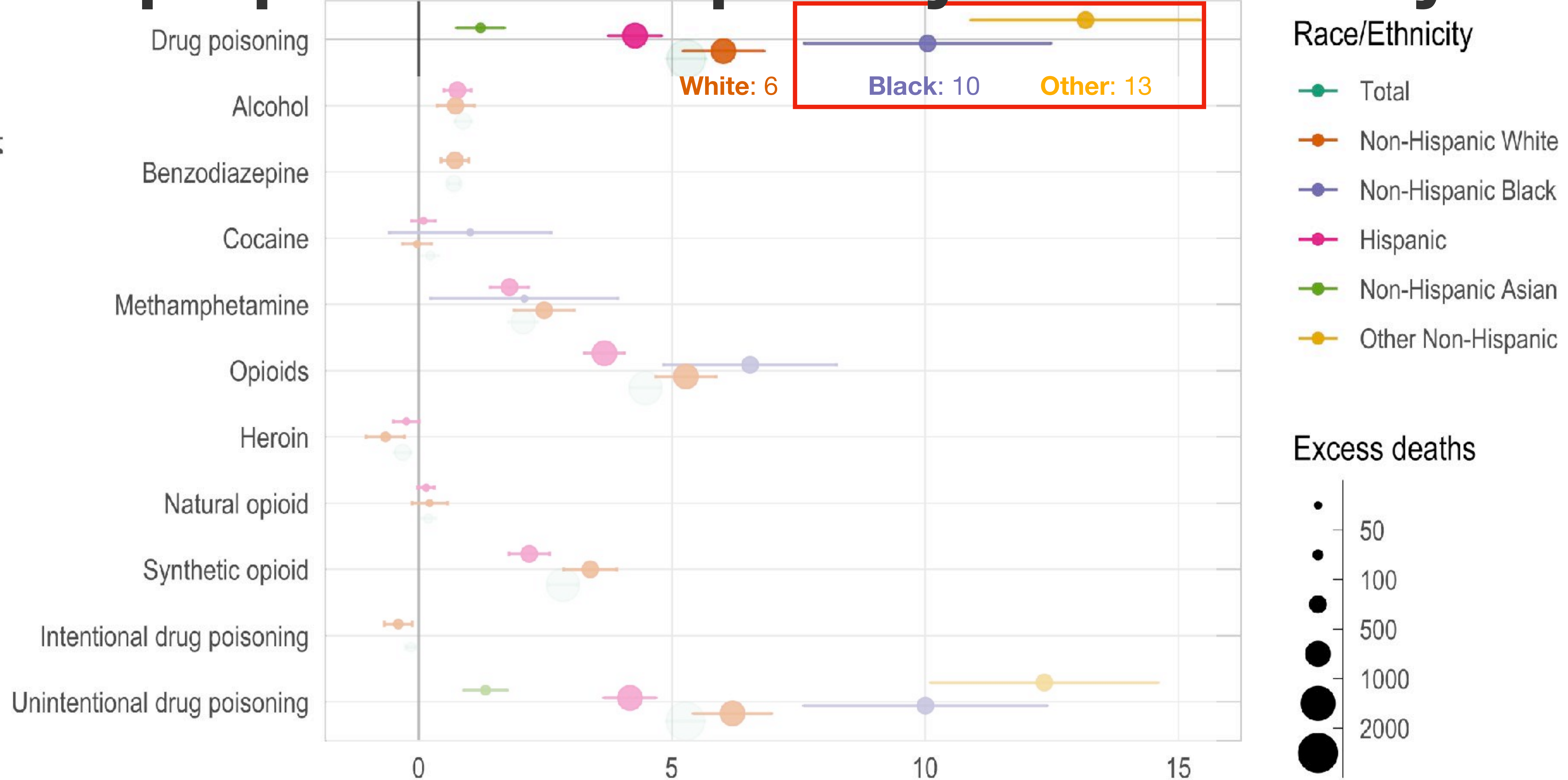


3. Which populations were most impacted?



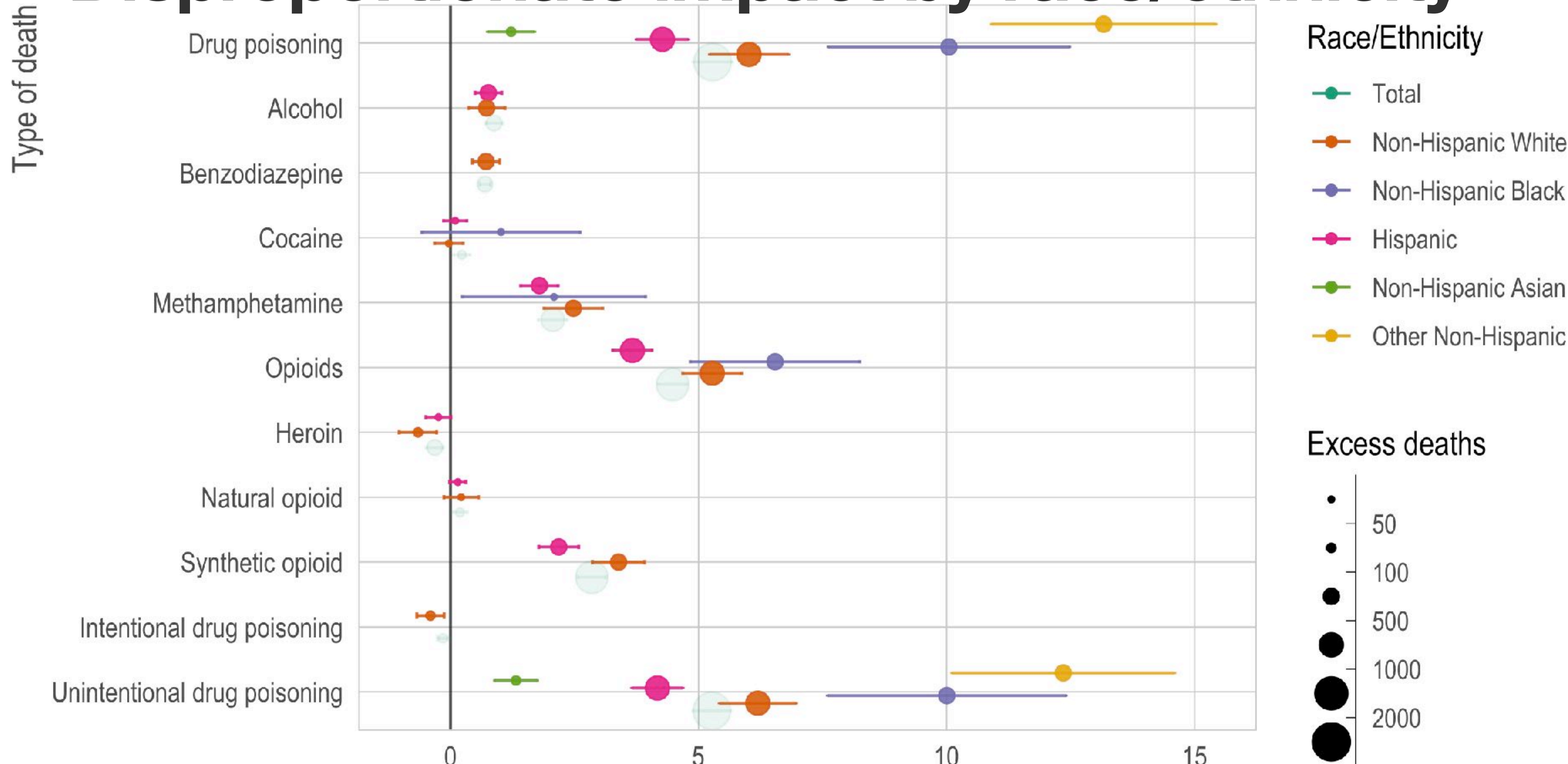
Disproportionate impact by race/ethnicity

Type of death



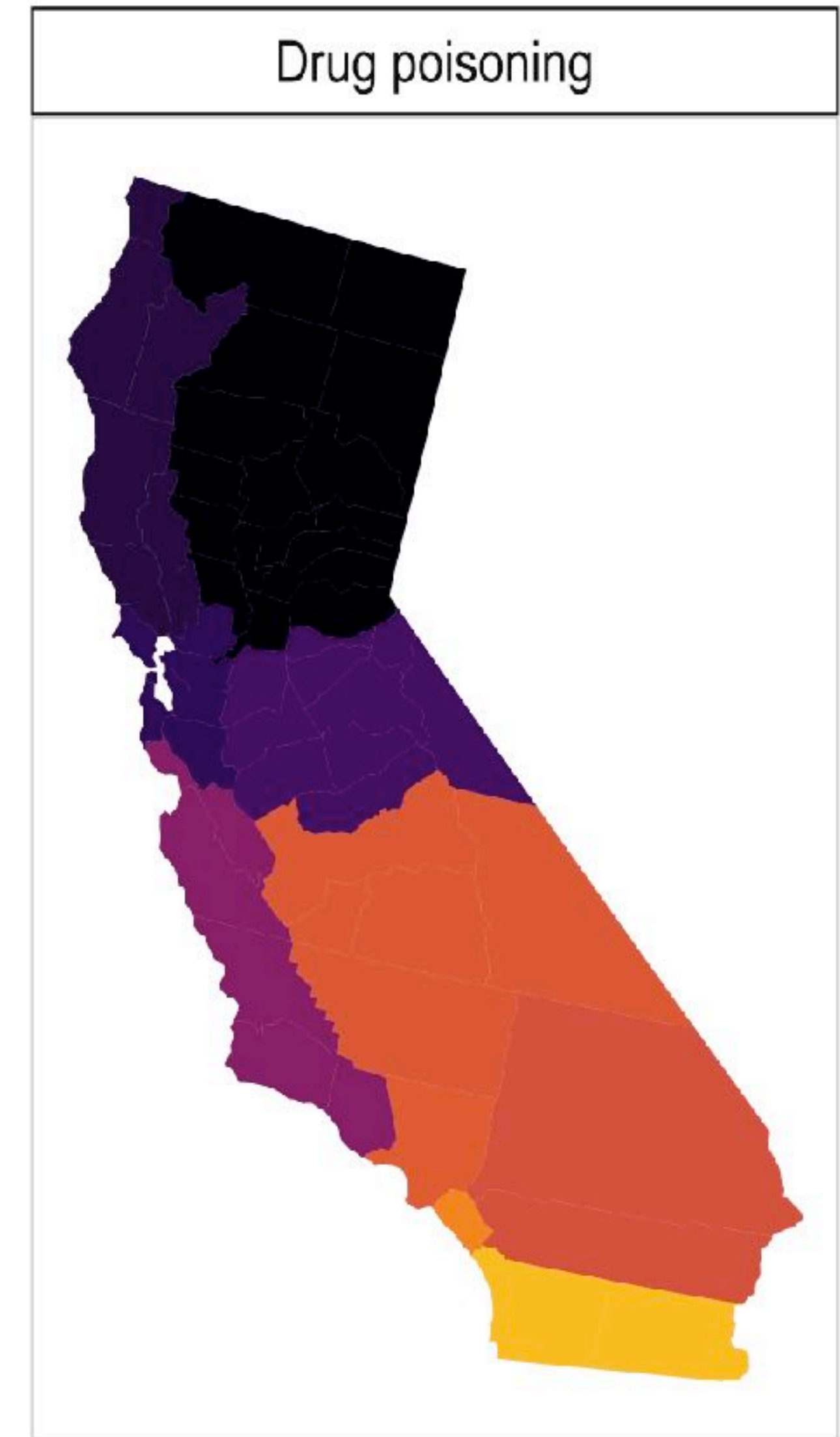
Cumulative excess deaths per 100,000 population (95% CI)

Disproportionate impact by race/ethnicity



4. Where were these excess deaths?

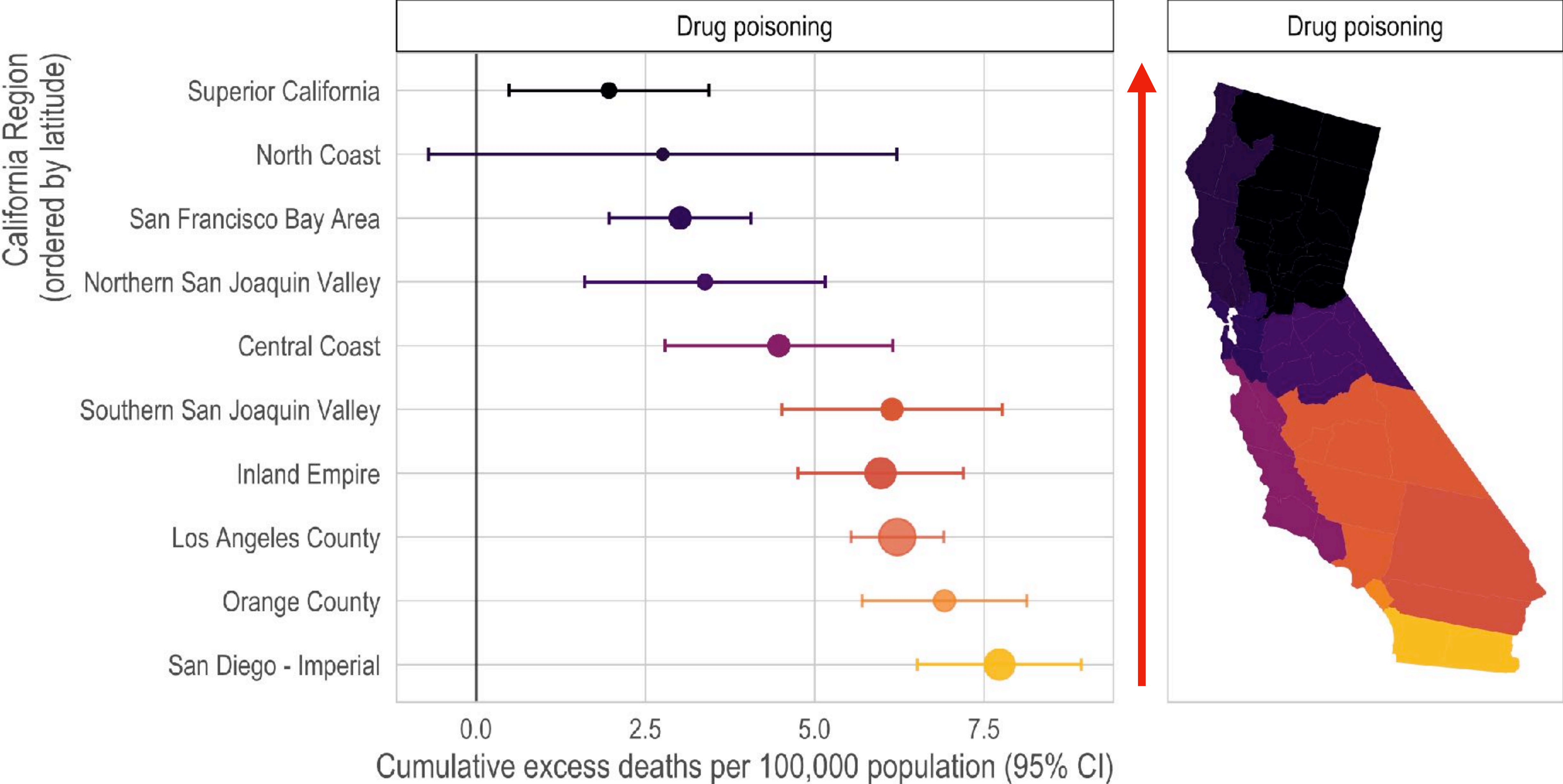
4. Where were these excess deaths?



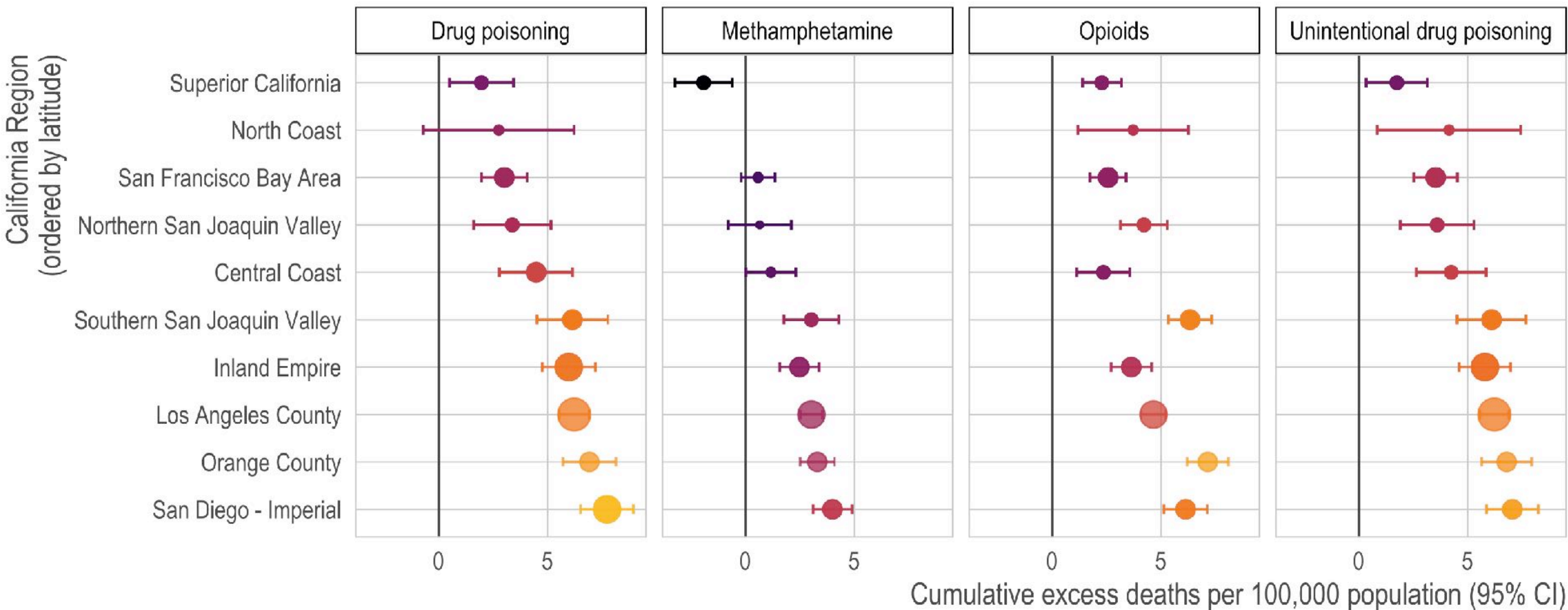
South-to-north spatial gradient



South-to-north spatial gradient

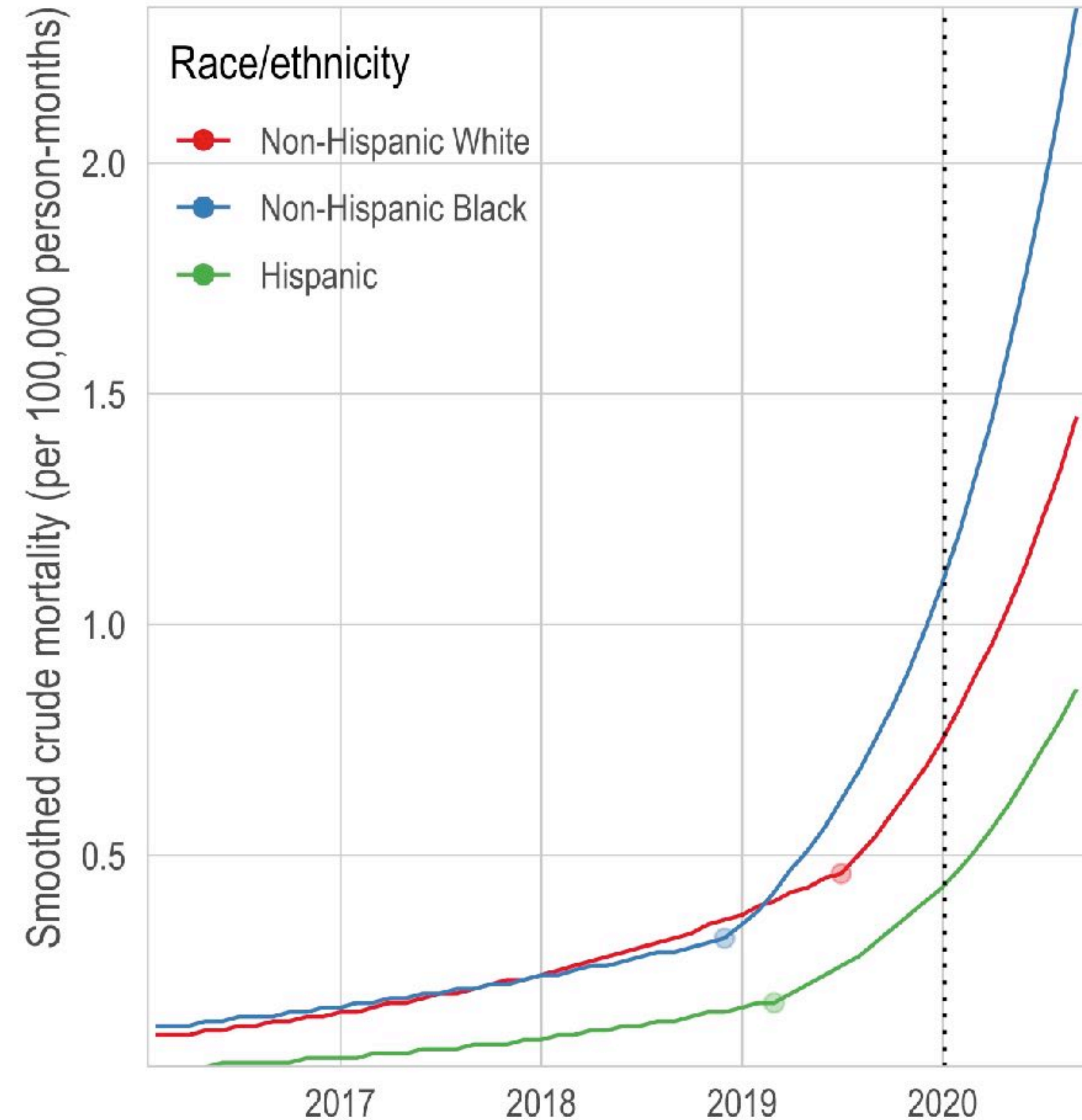


South-to-north spatial gradient



Important limitations and caveats

- Fundamental, and untestable, modeling assumptions
- Synthetic opioid-related mortality was accelerating before COVID-19
- Lots of variation in reporting quality on death certificates
- Model does not account for changes in substance use (e.g., polysubstance use)



Key Results

1. **2,084 (1925 to 2243)** excess fatal drug overdoses.

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3. Disproportionately impacted the **non-Hispanic Black** and **Other non-Hispanic** populations (as well as those with **only a high school degree**).

Key Results

1. **2,084 (1925 to 2243)** excess fatal drug overdoses.
2. Excess fatal drug overdoses were **unintentional**, driven by **methamphetamine** and **opioids** (especially **synthetic opioids**).
3. Disproportionately impacted the **non-Hispanic Black** and **Other non-Hispanic** populations as well as those with **only a high school degree**.
4. A strong **south-to-north spatial gradient**.

Thank you

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Acknowledgements

- **Ayesha Mahmud** (Berkeley) and participants at the Department of Demography Brown Bag
- Funding from **NIDA** (R00DA051534)



UCSF

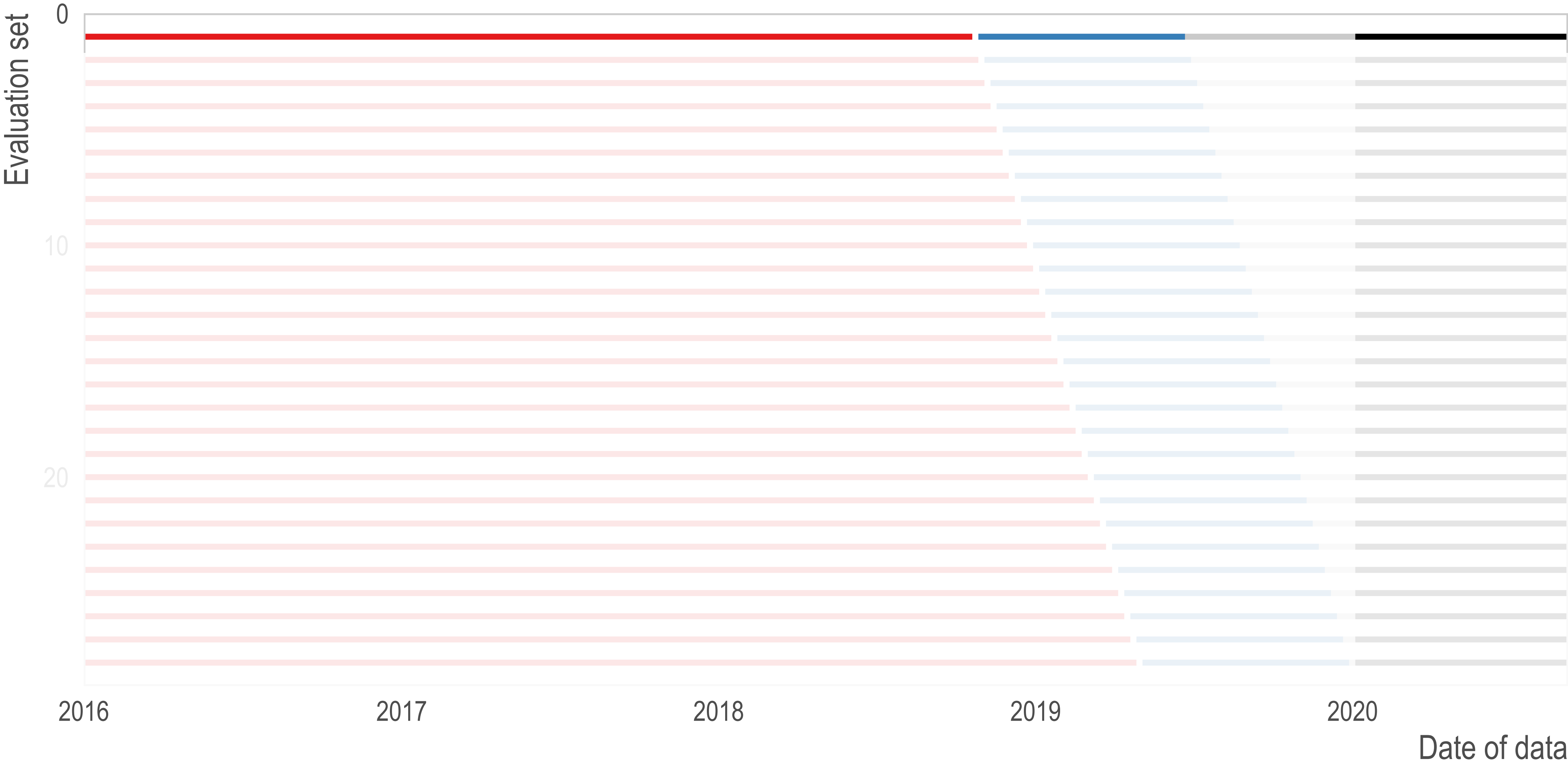
NIDA



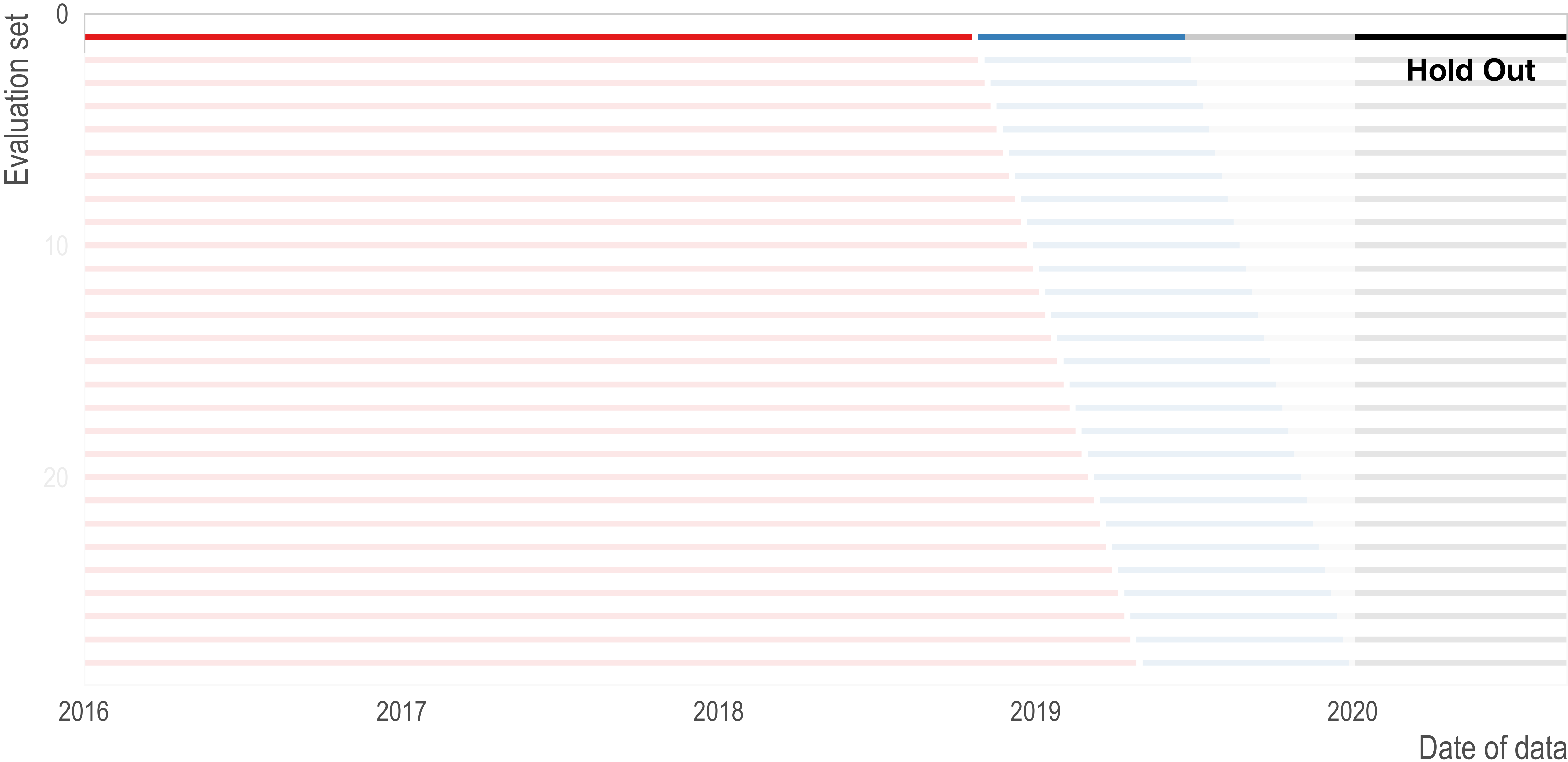
Stanford | Epidemiology and
MEDICINE | Population Health

Additional Slides

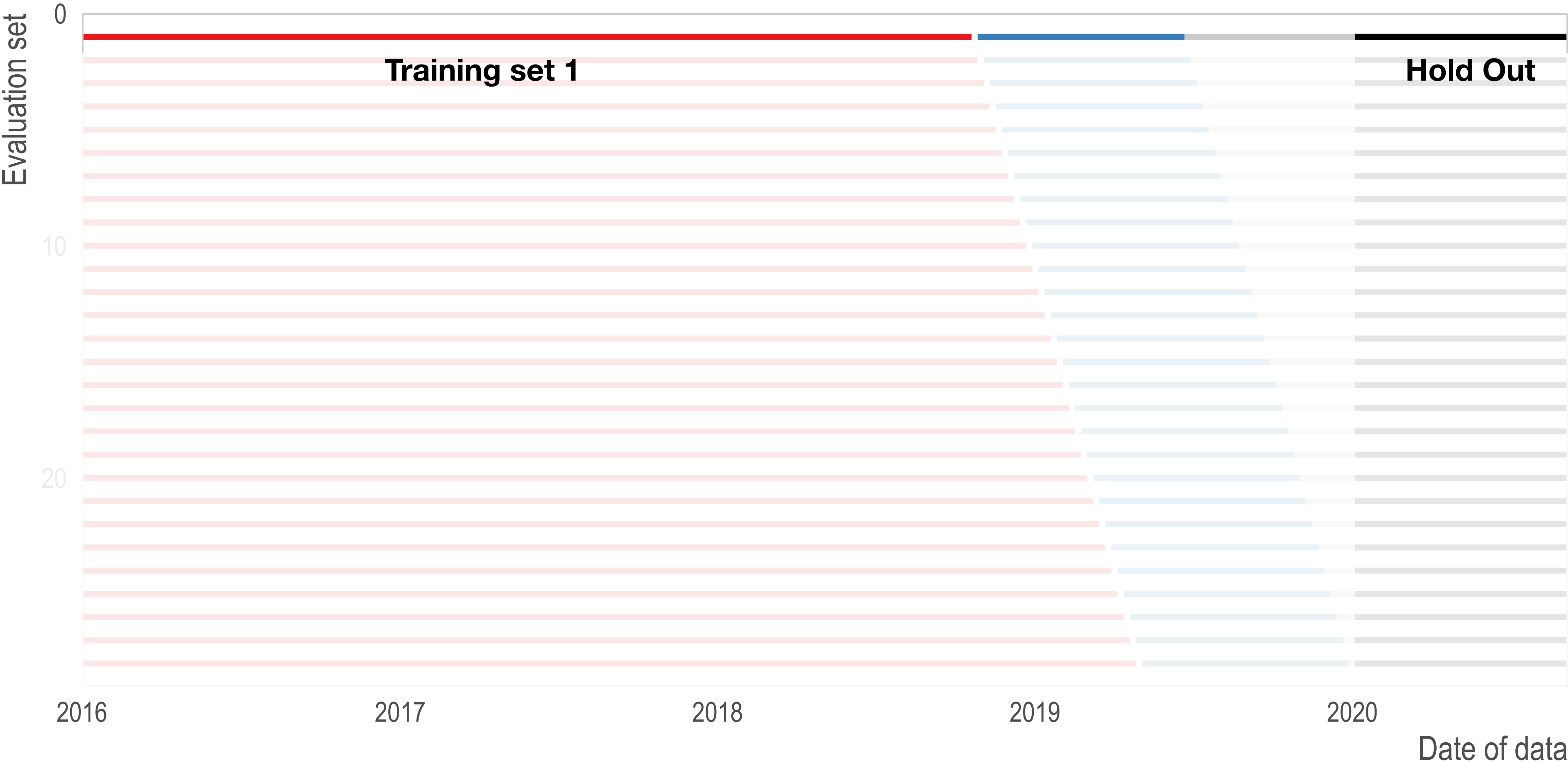
TS-CV – The optimal baseline model



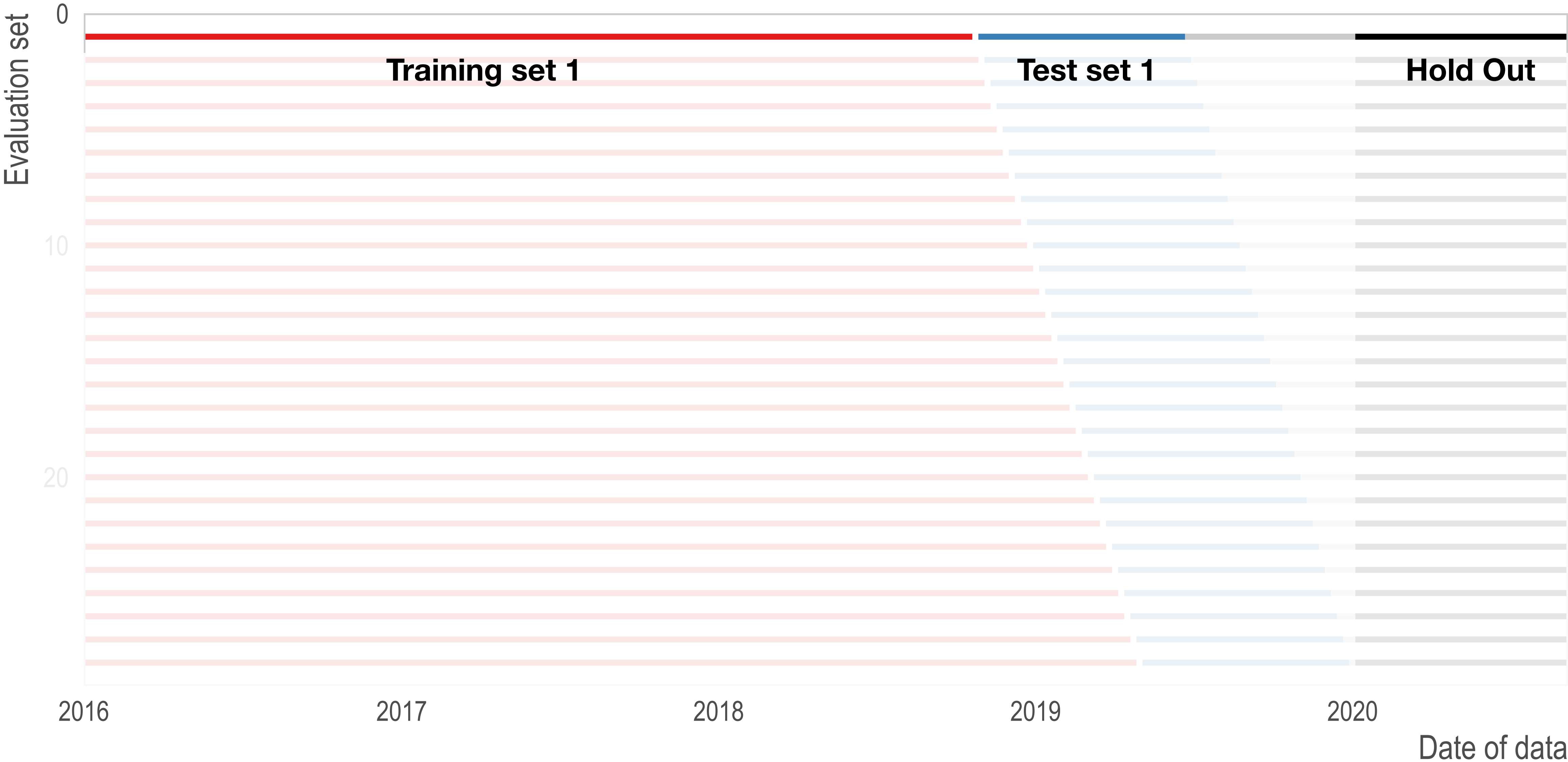
TS-CV – The optimal baseline model



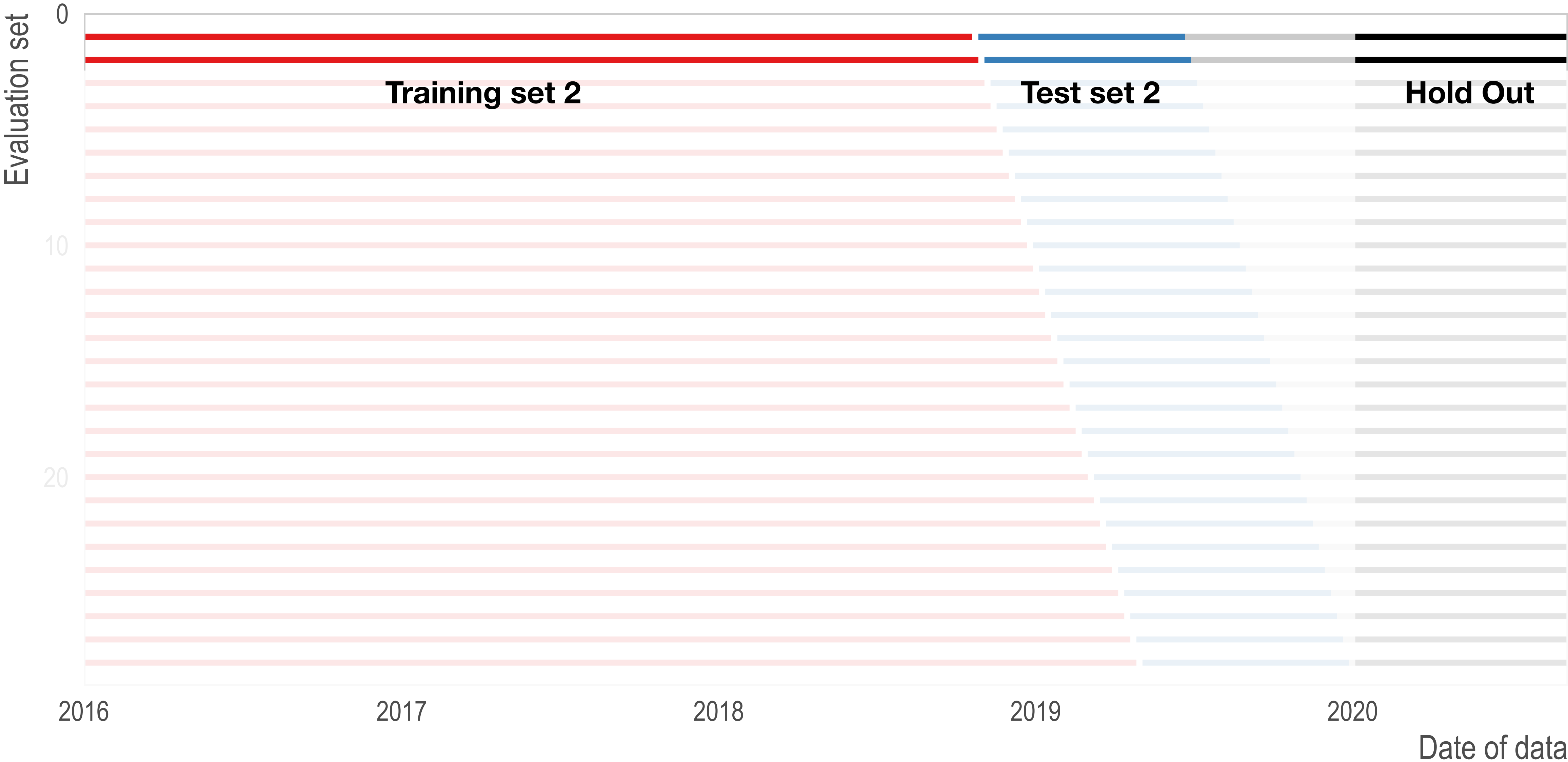
TS-CV – The optimal baseline model



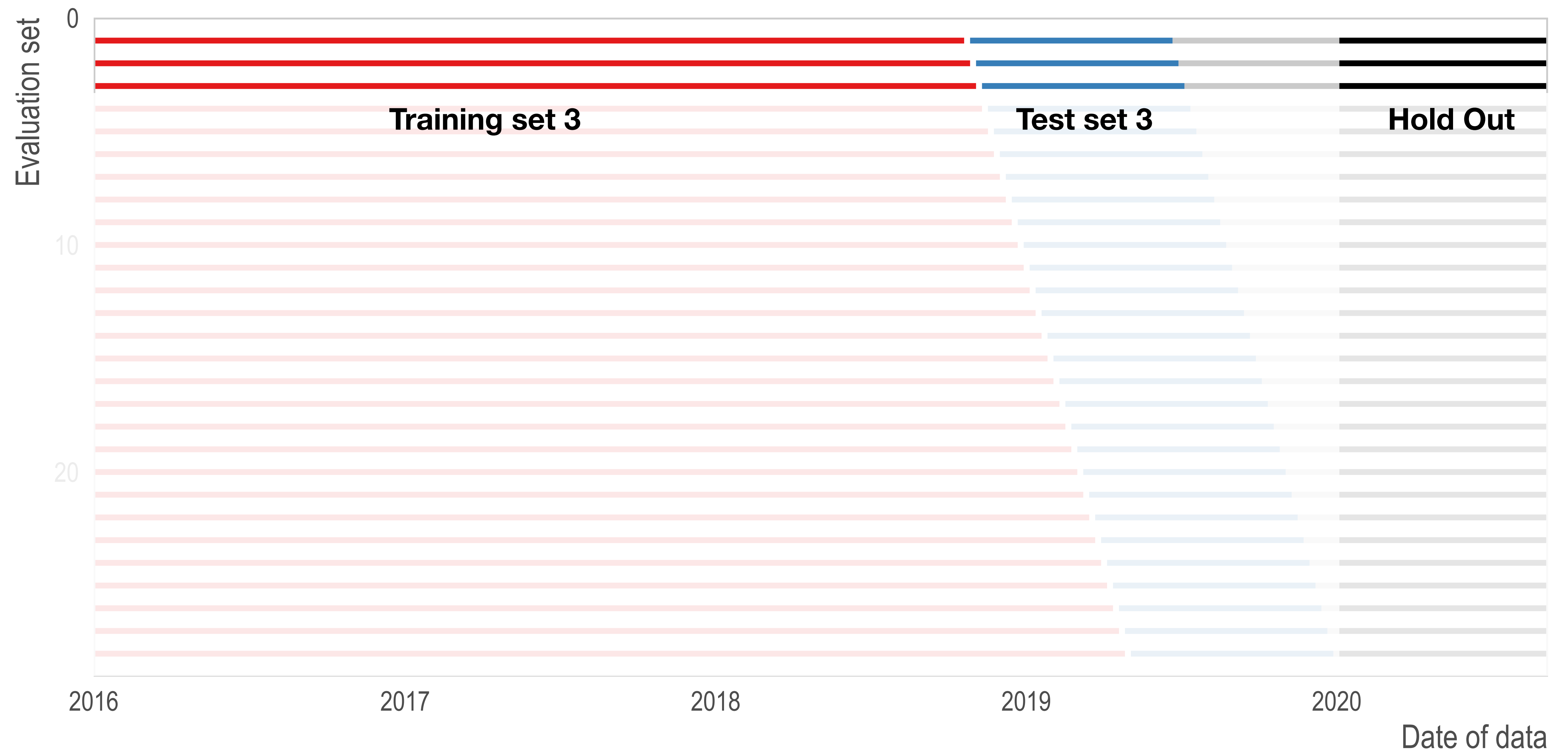
TS-CV – The optimal baseline model



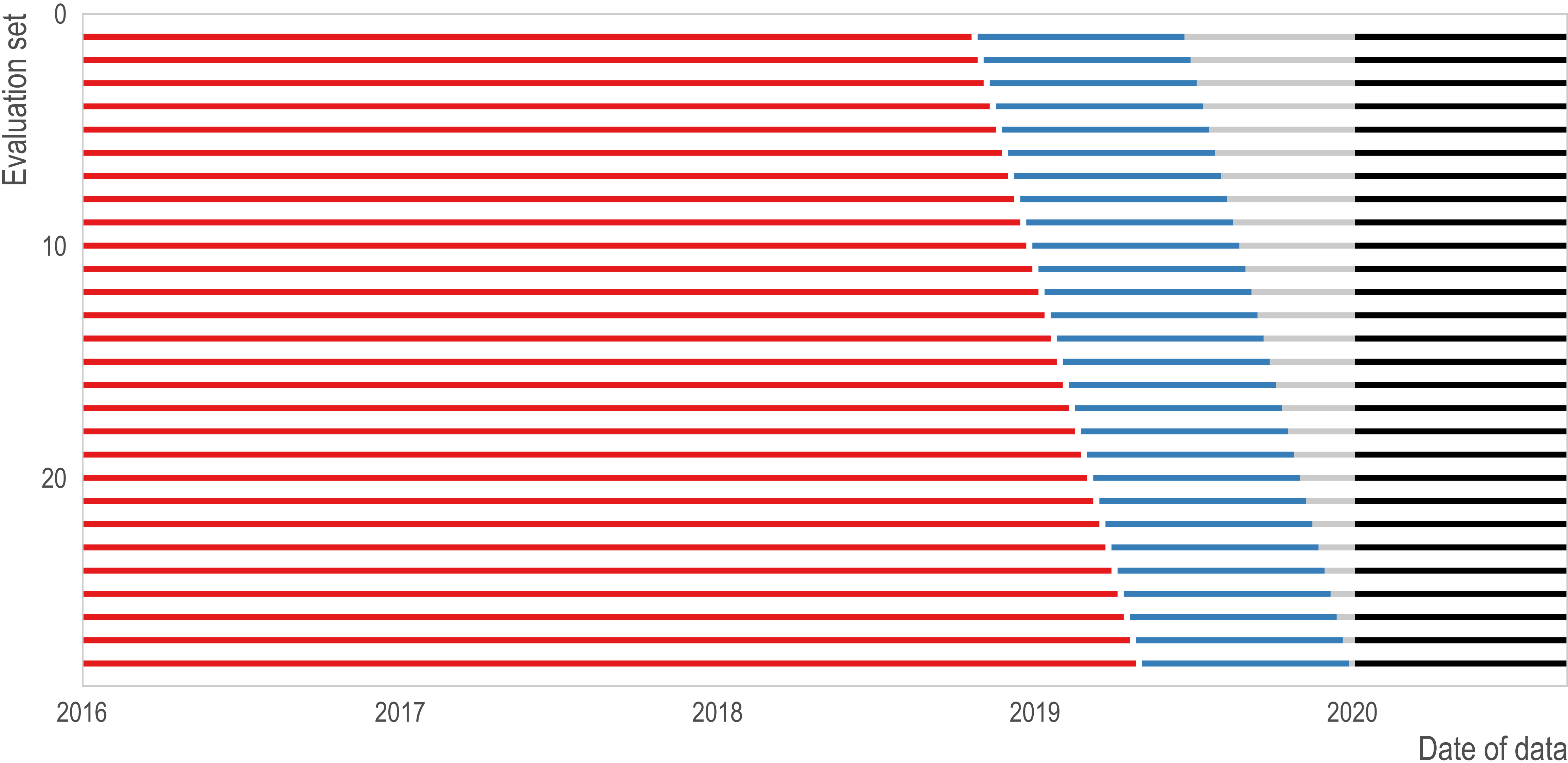
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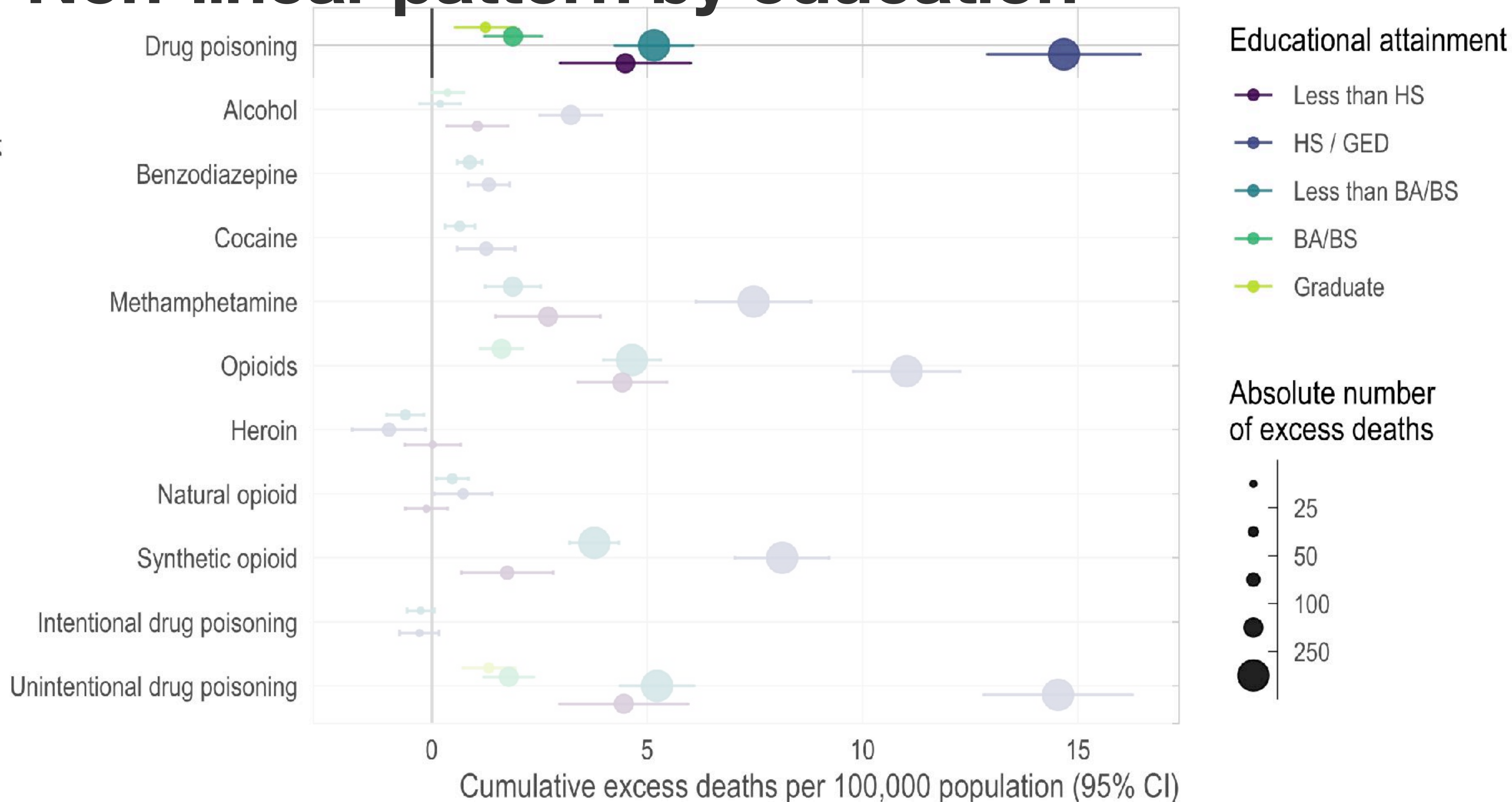


TS-CV – The optimal baseline model



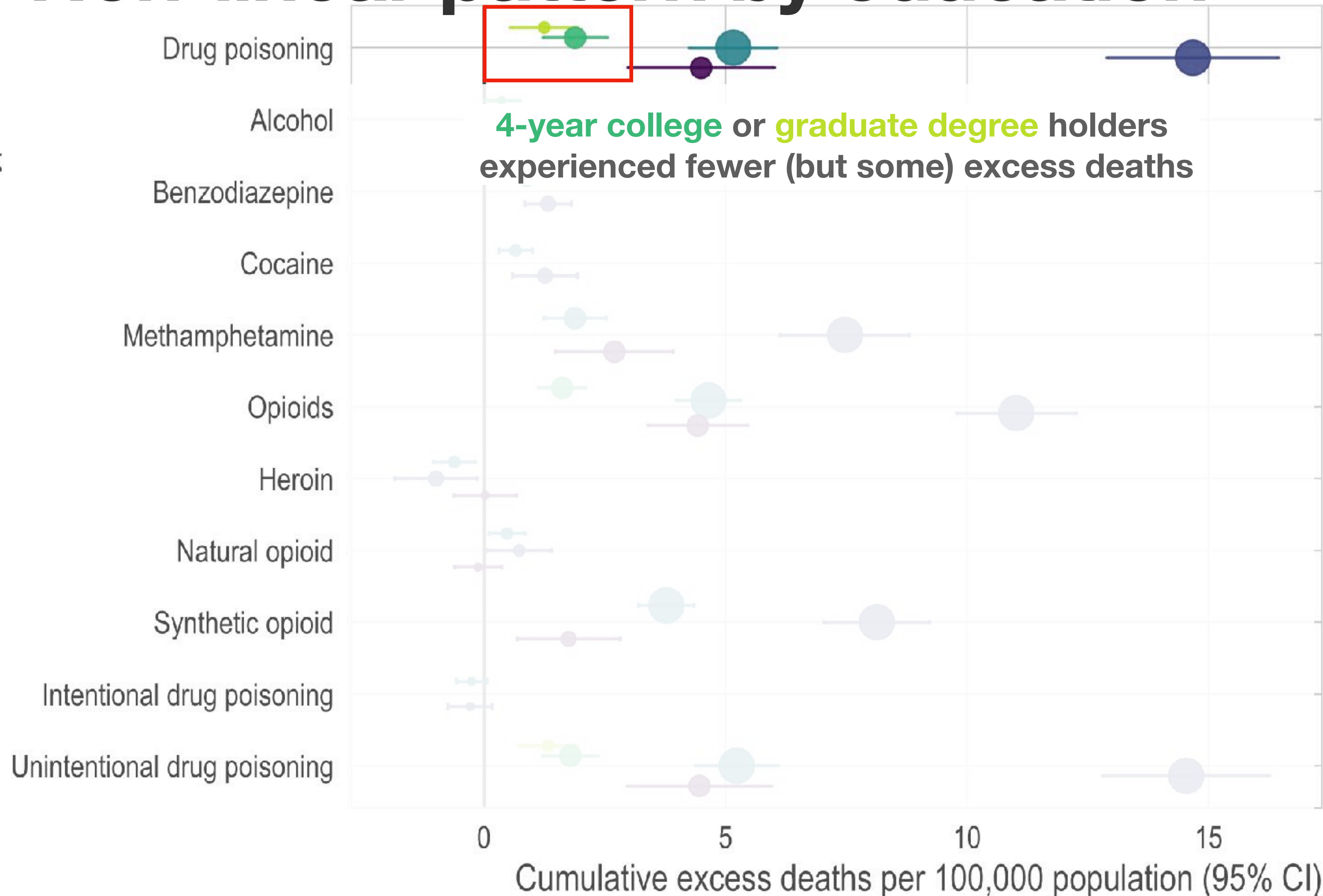
Non-linear pattern by education

Type of death



Non-linear pattern by education

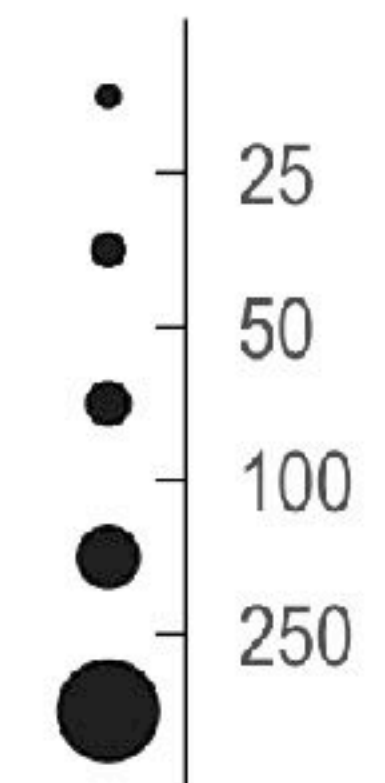
Type of death



Educational attainment

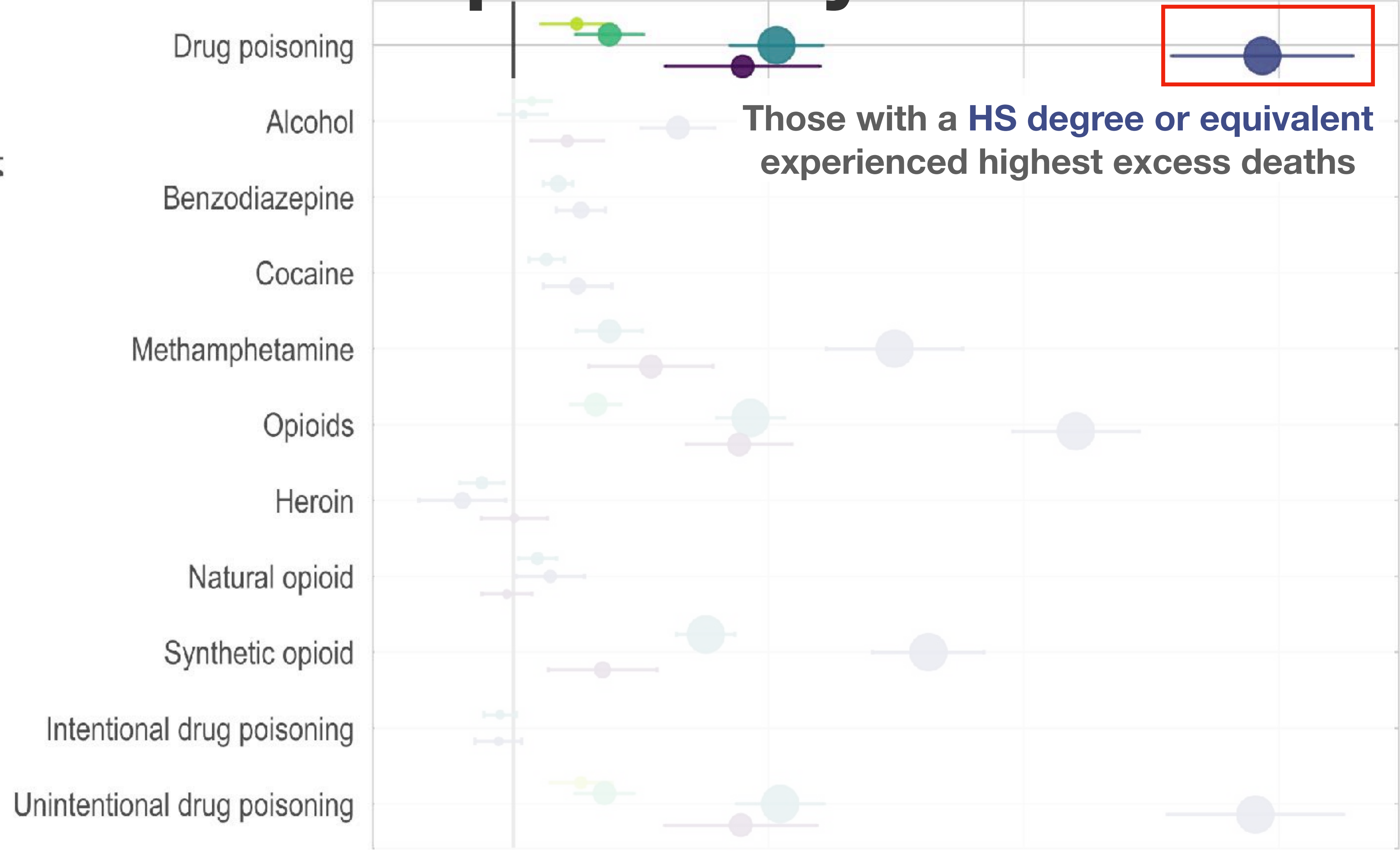
- Less than HS
- HS / GED
- Less than BA/BS
- BA/BS
- Graduate

Absolute number of excess deaths



Non-linear pattern by education

Type of death

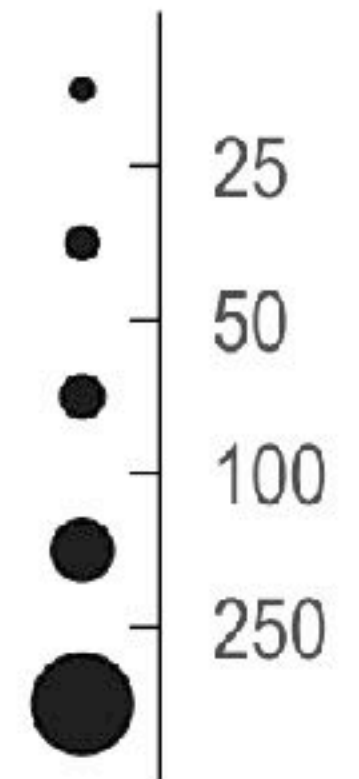


Those with a **HS degree or equivalent** experienced highest excess deaths

Educational attainment

- Less than HS
- HS / GED
- Less than BA/BS
- BA/BS
- Graduate

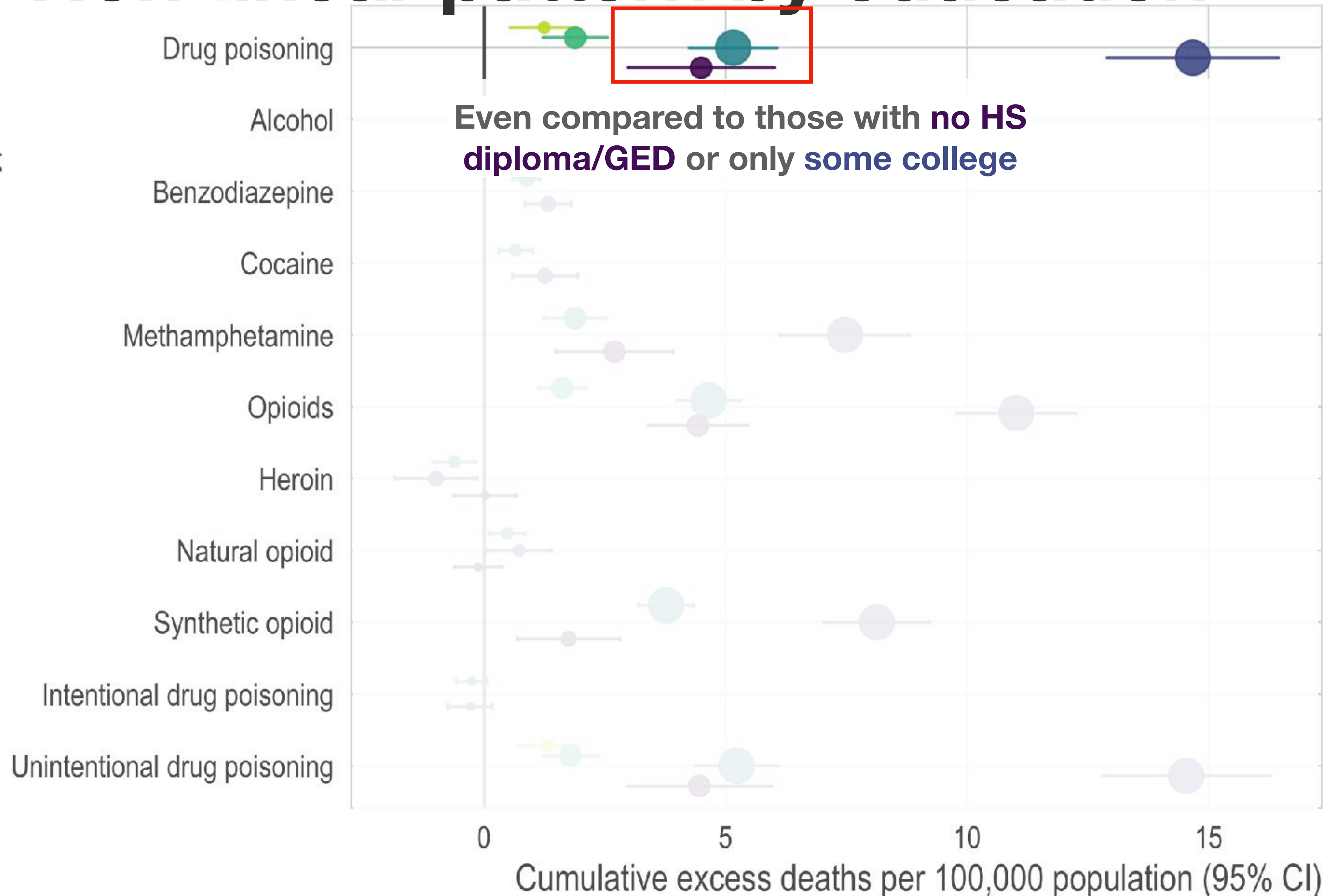
Absolute number of excess deaths



Cumulative excess deaths per 100,000 population (95% CI)

Non-linear pattern by education

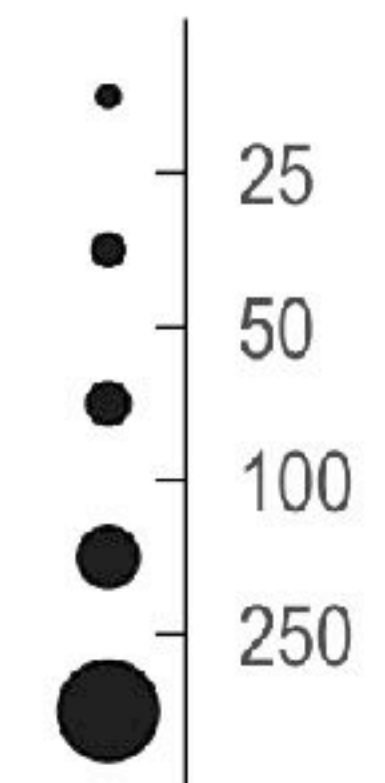
Type of death



Educational attainment

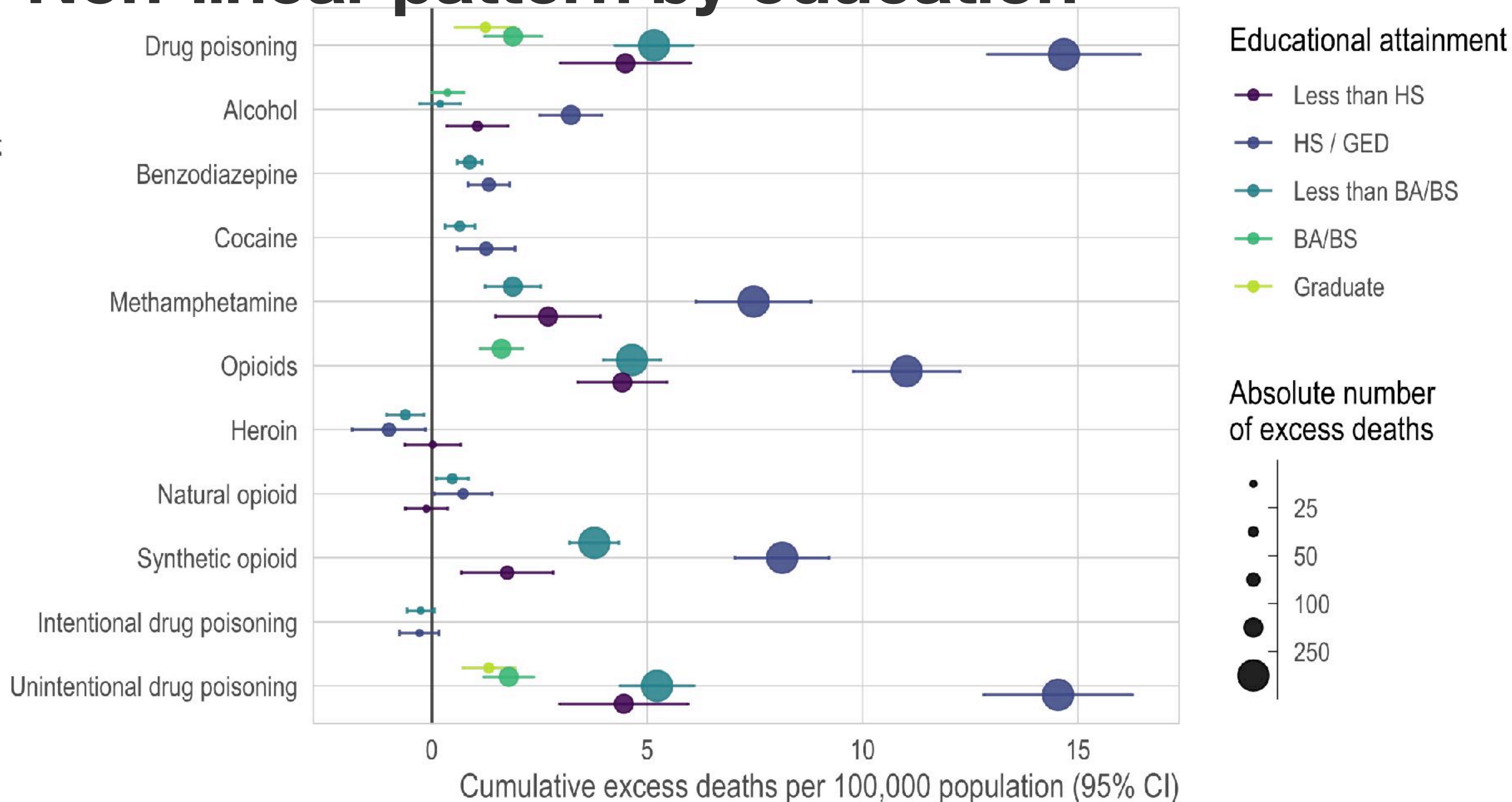
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Absolute number of excess deaths

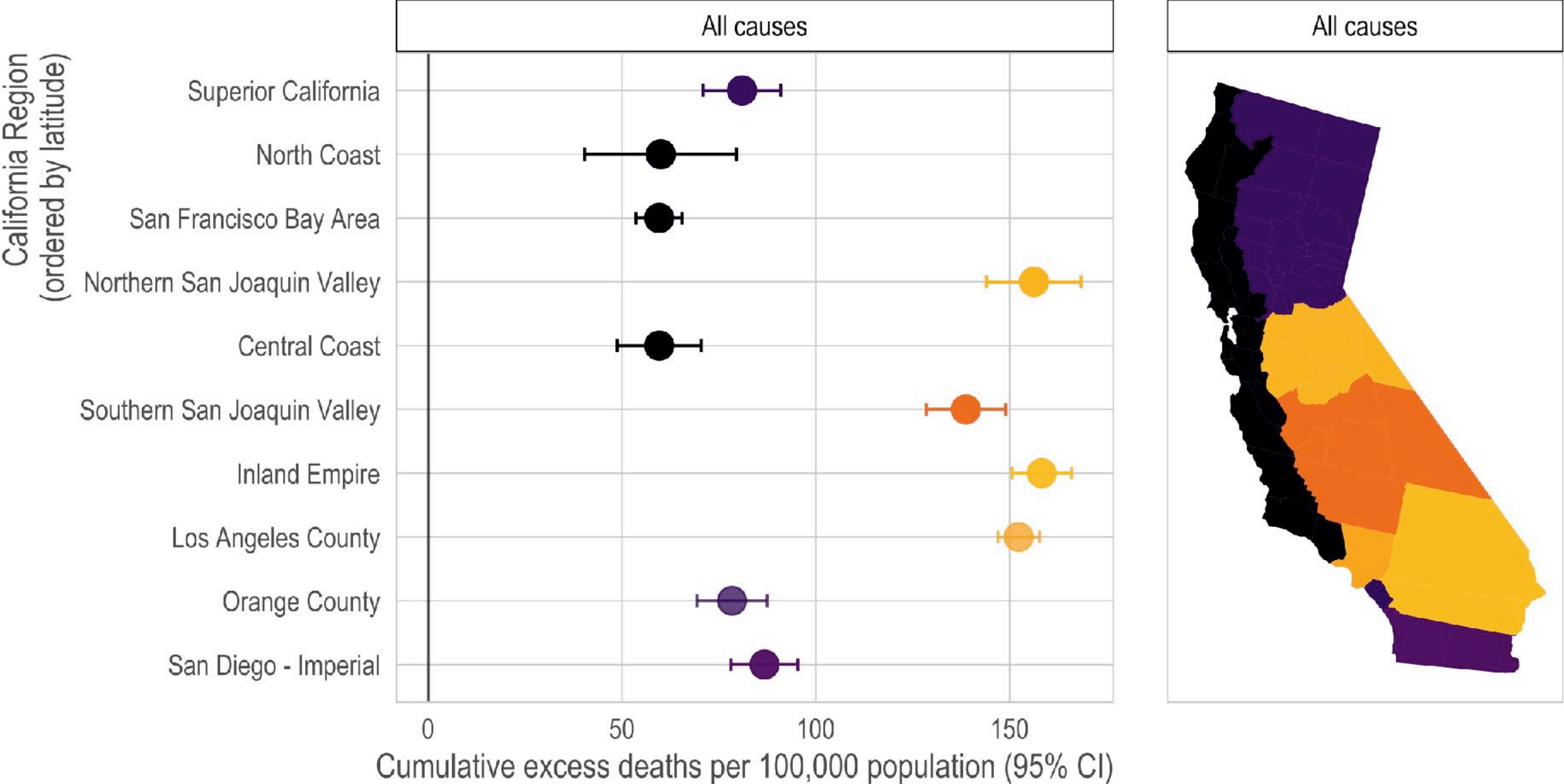


Non-linear pattern by education

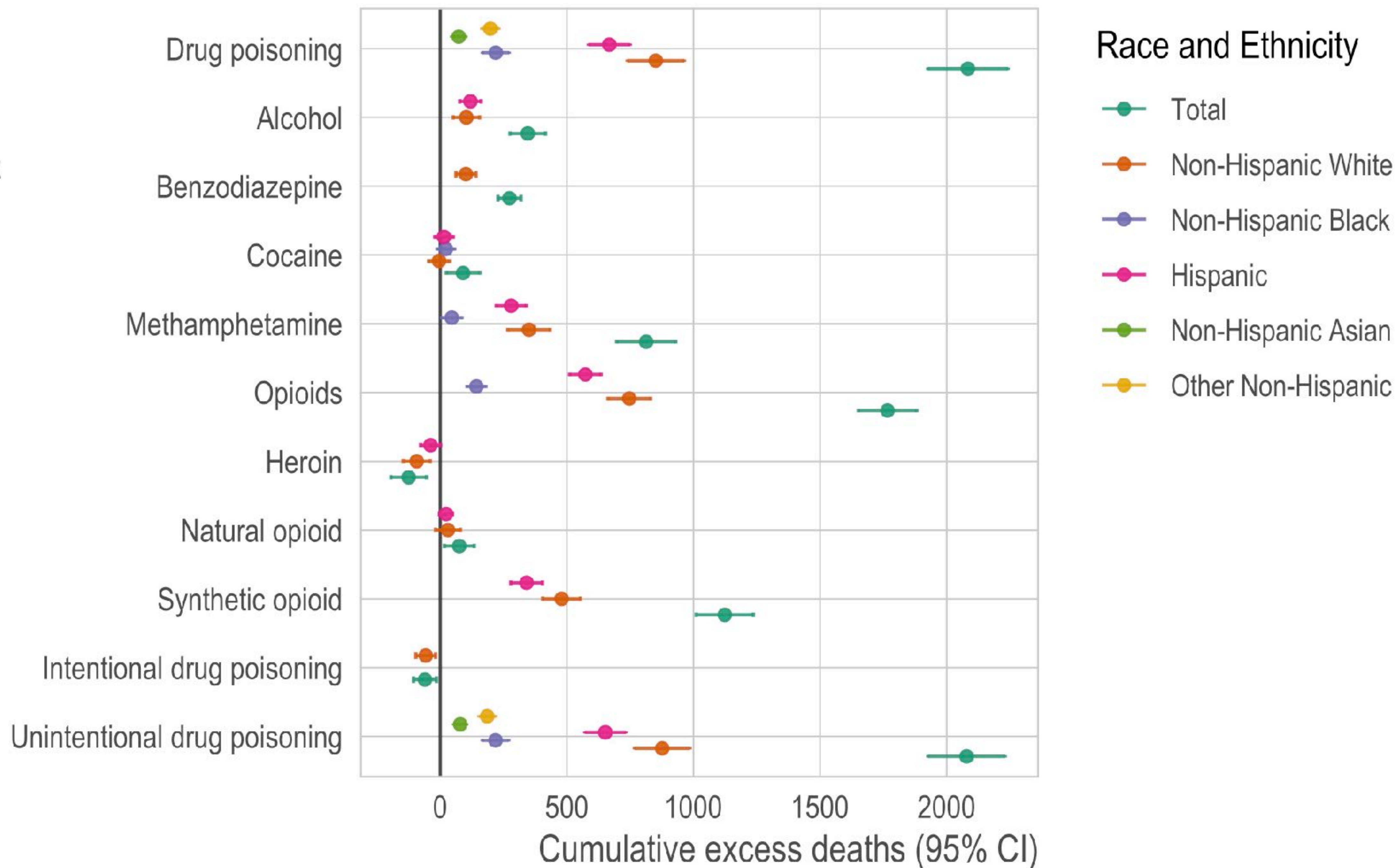
Type of death



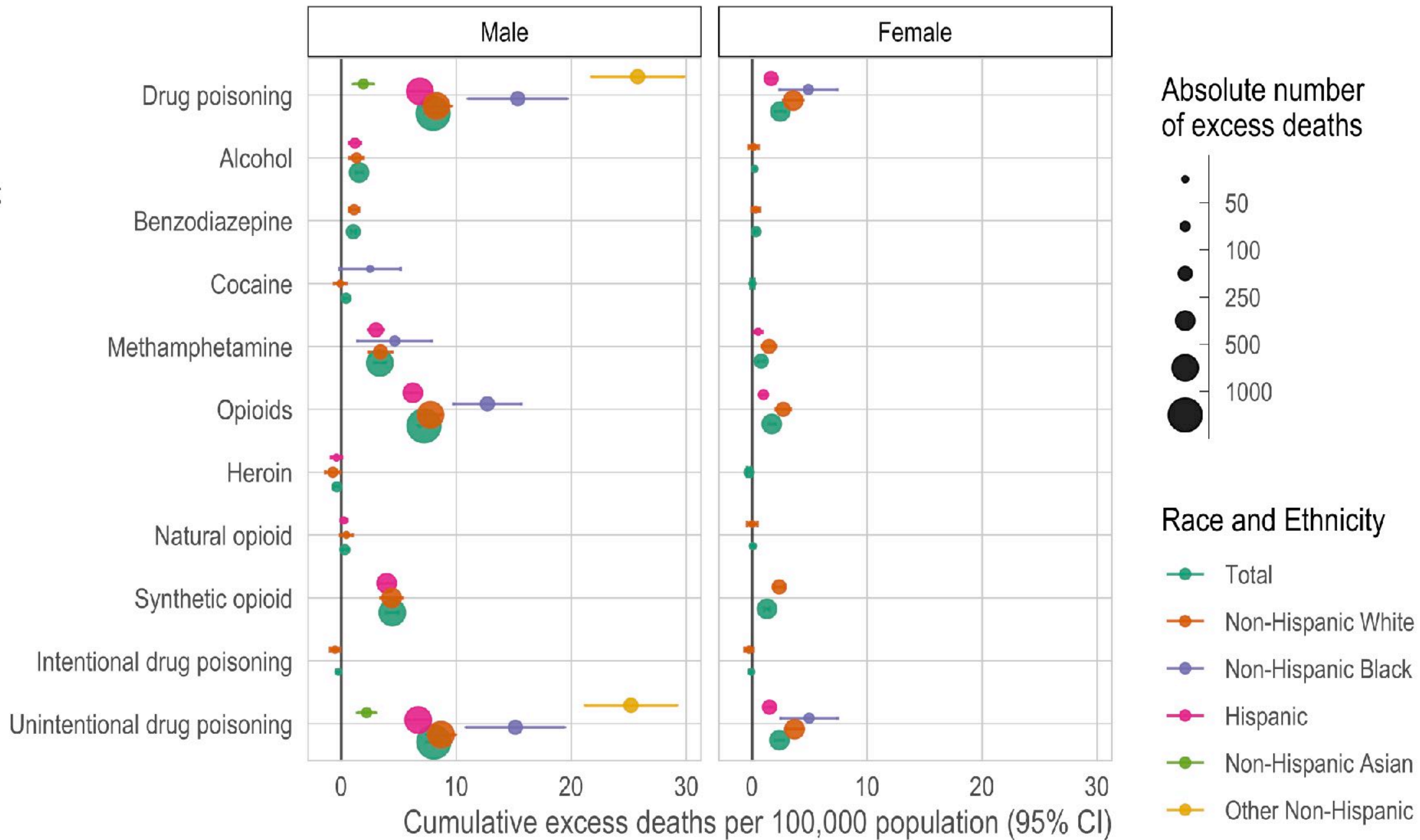
No spatial gradient for all-cause excess



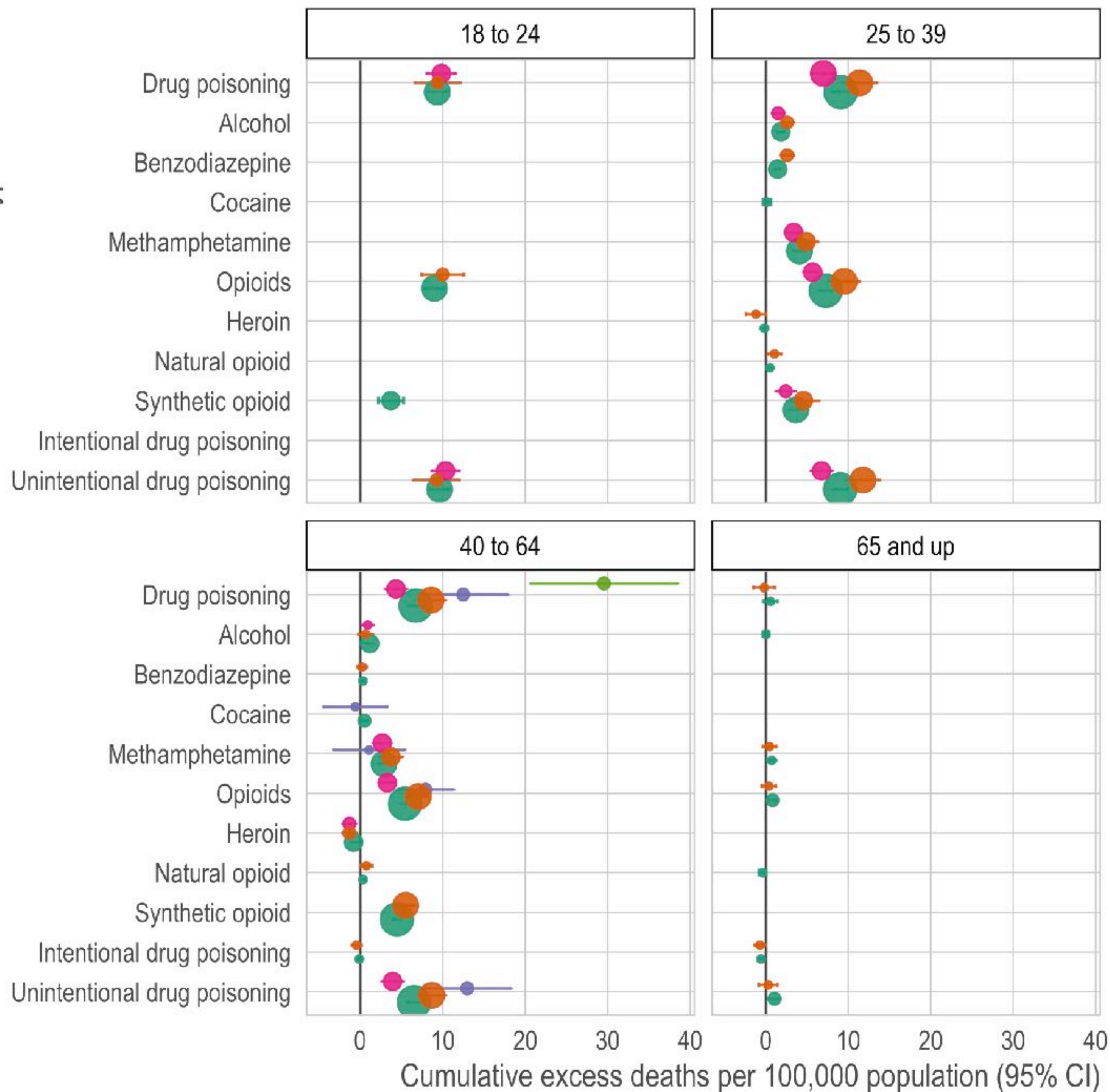
Type of death



Type of death



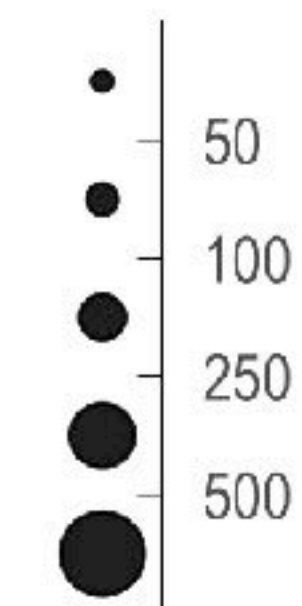
Type of death



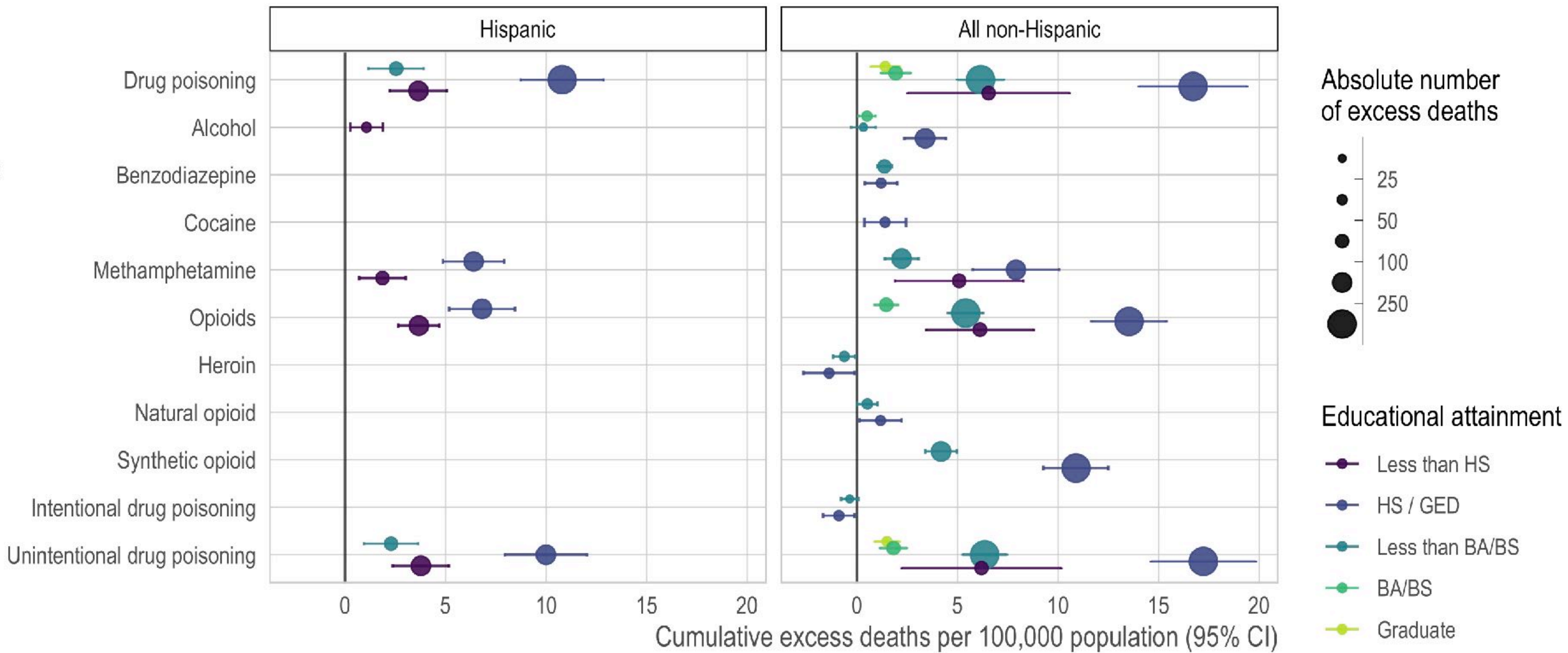
Race and Ethnicity

- Total
- Non-Hispanic White
- Non-Hispanic Black
- Hispanic
- Other Non-Hispanic

Absolute number of excess deaths

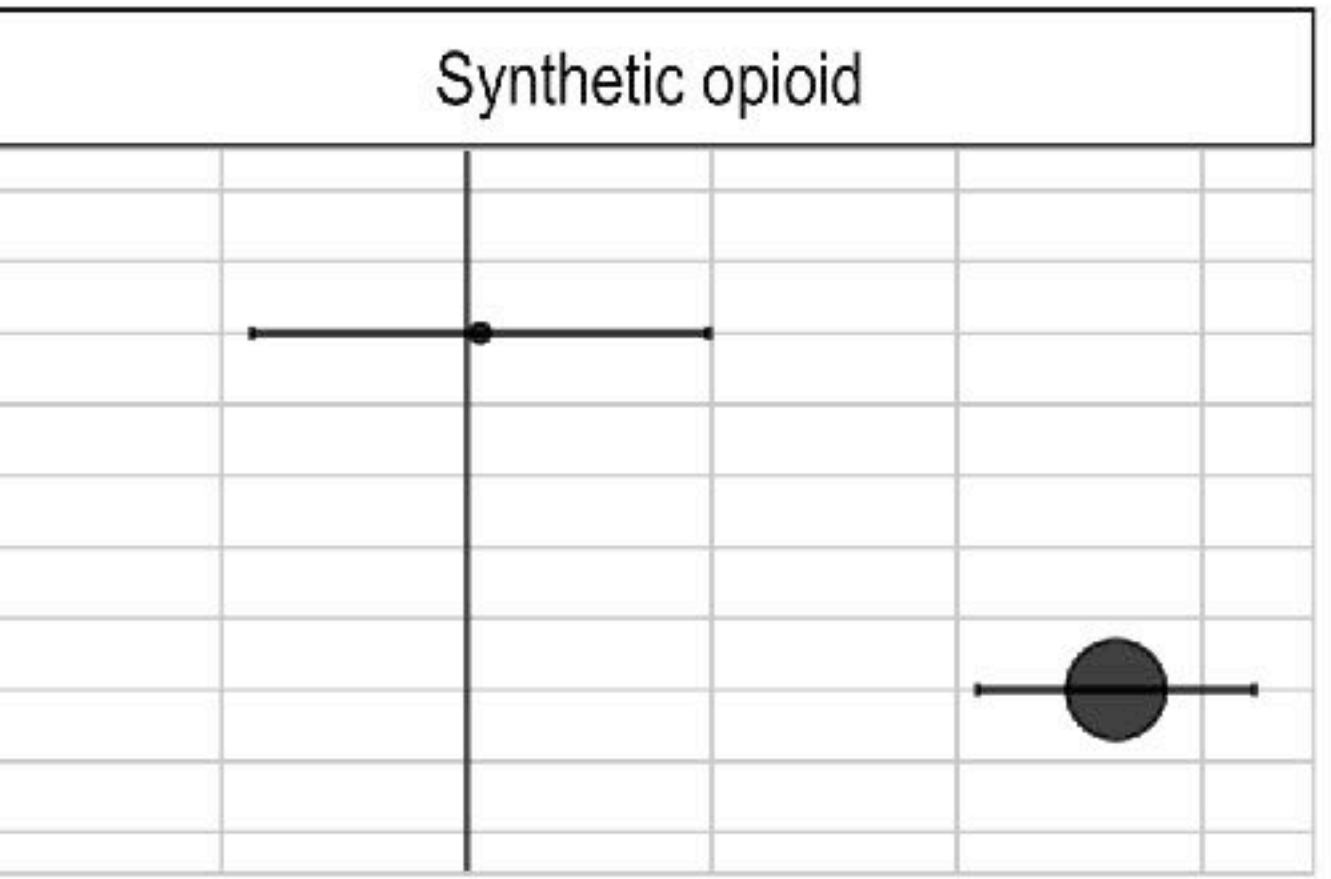
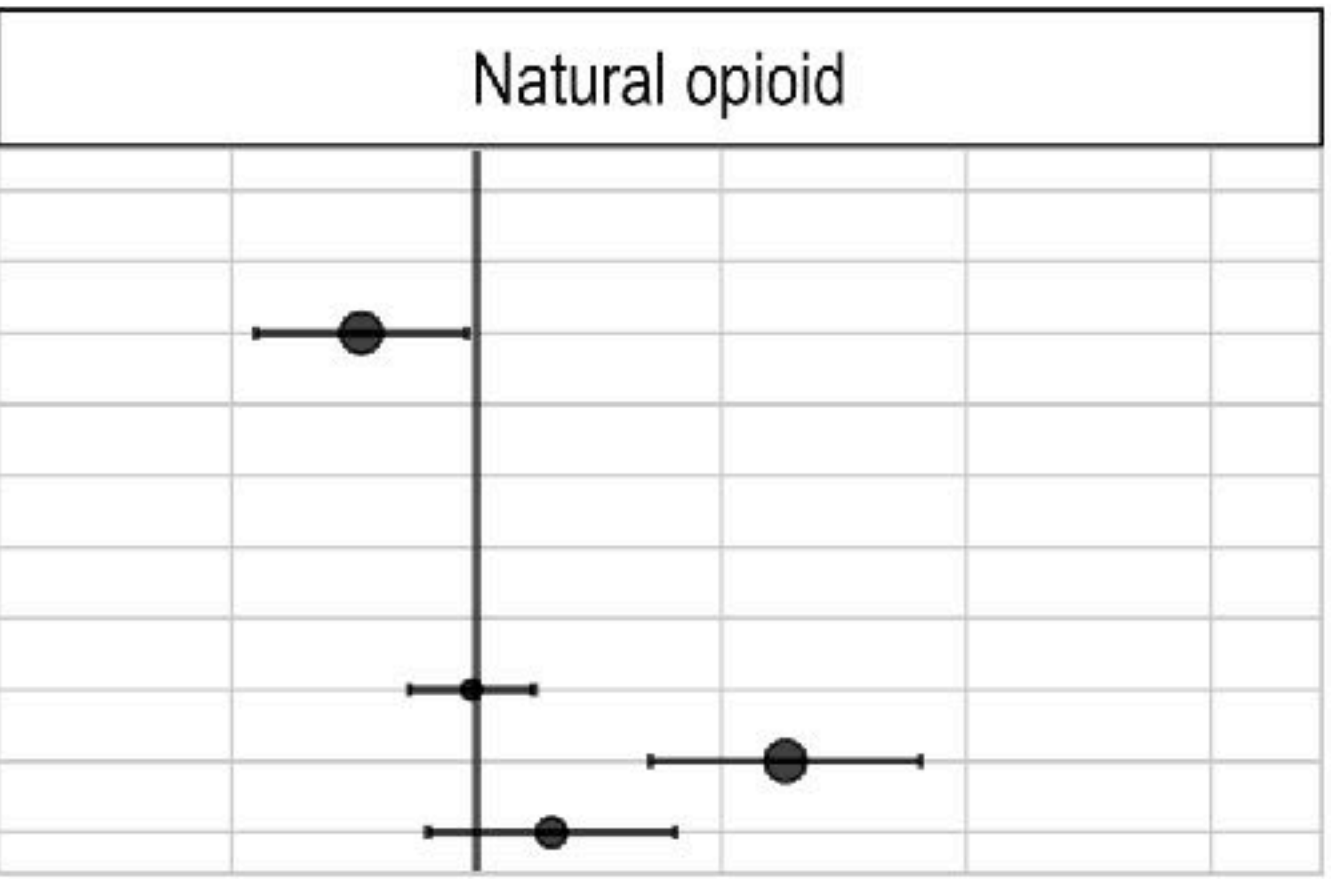
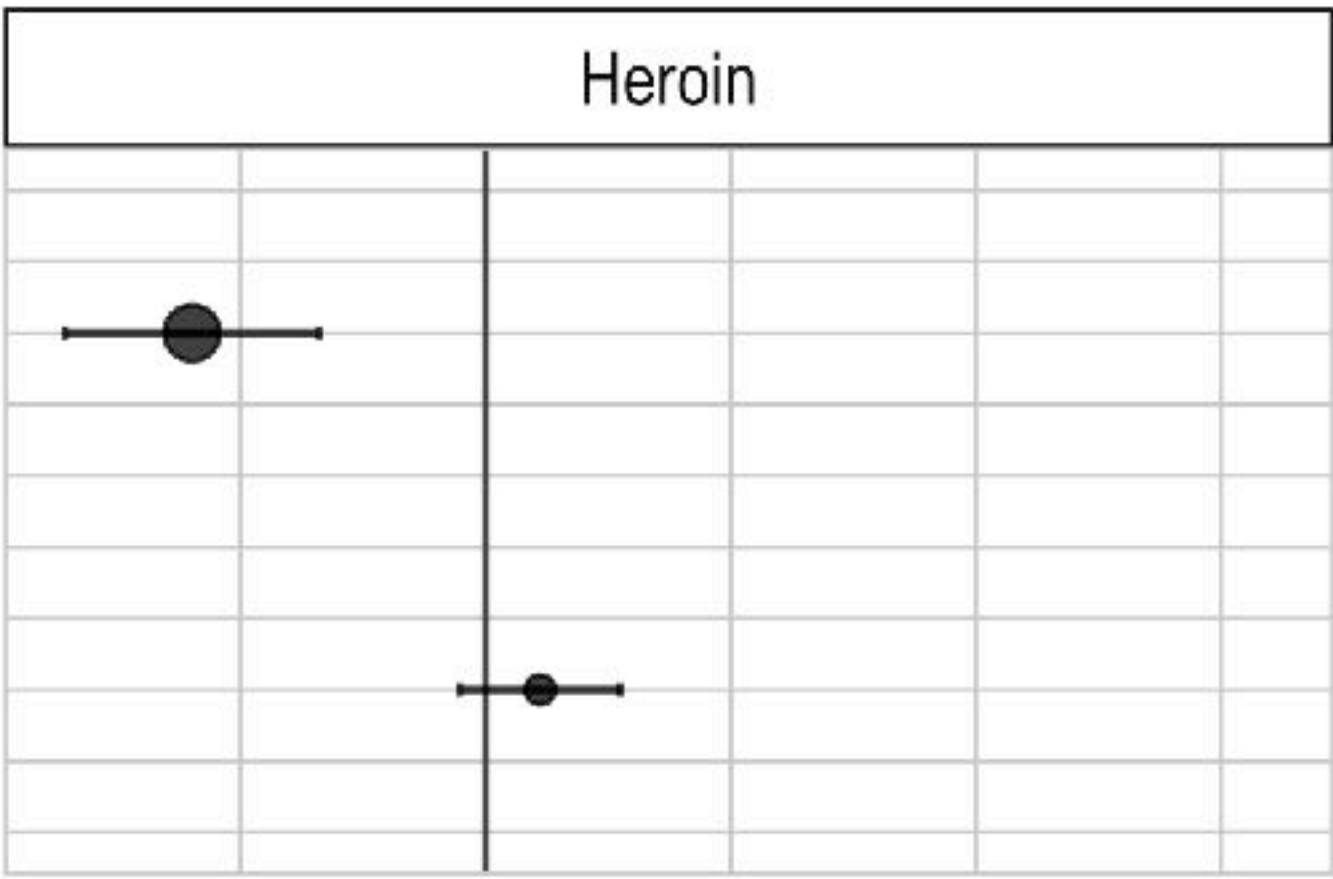
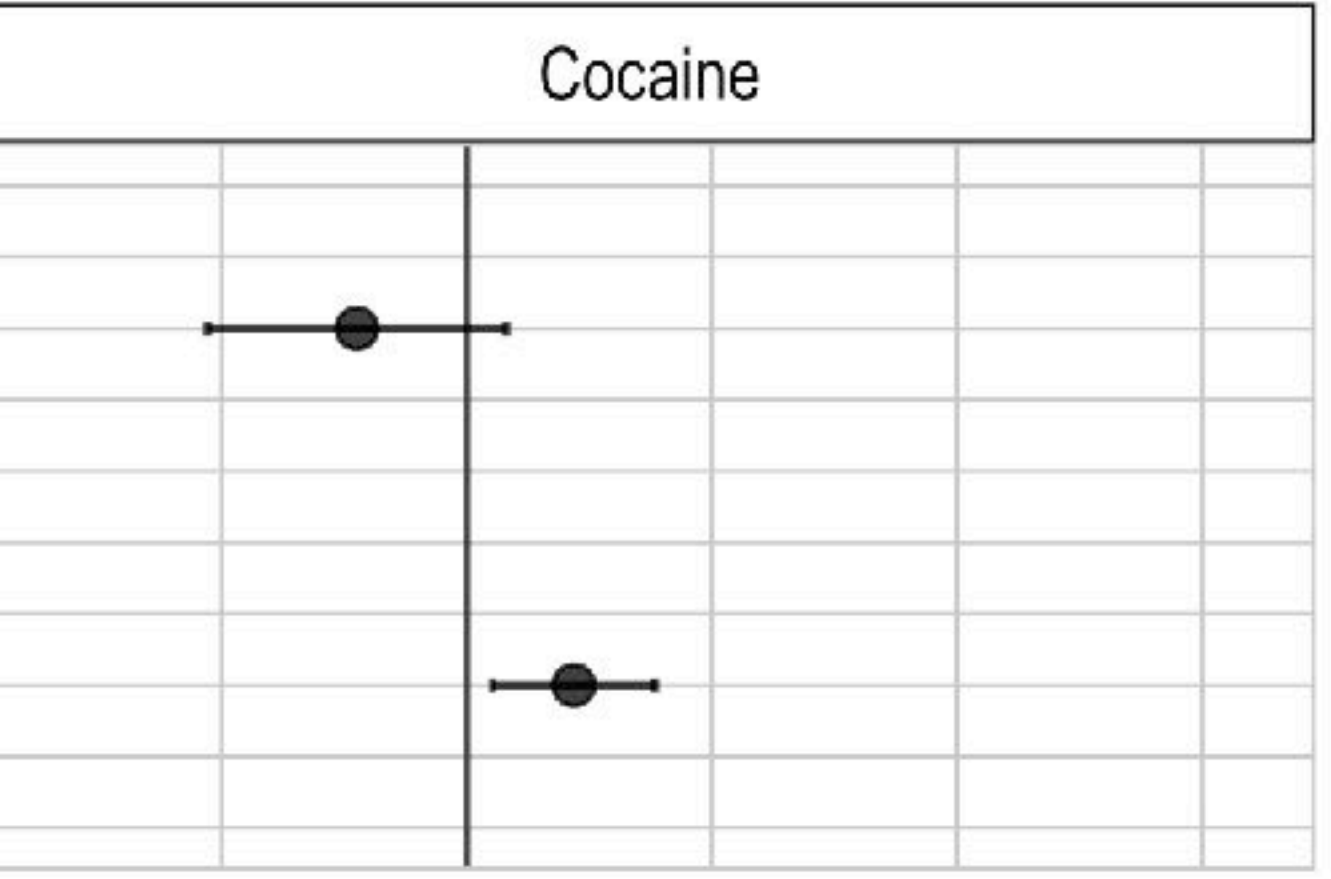
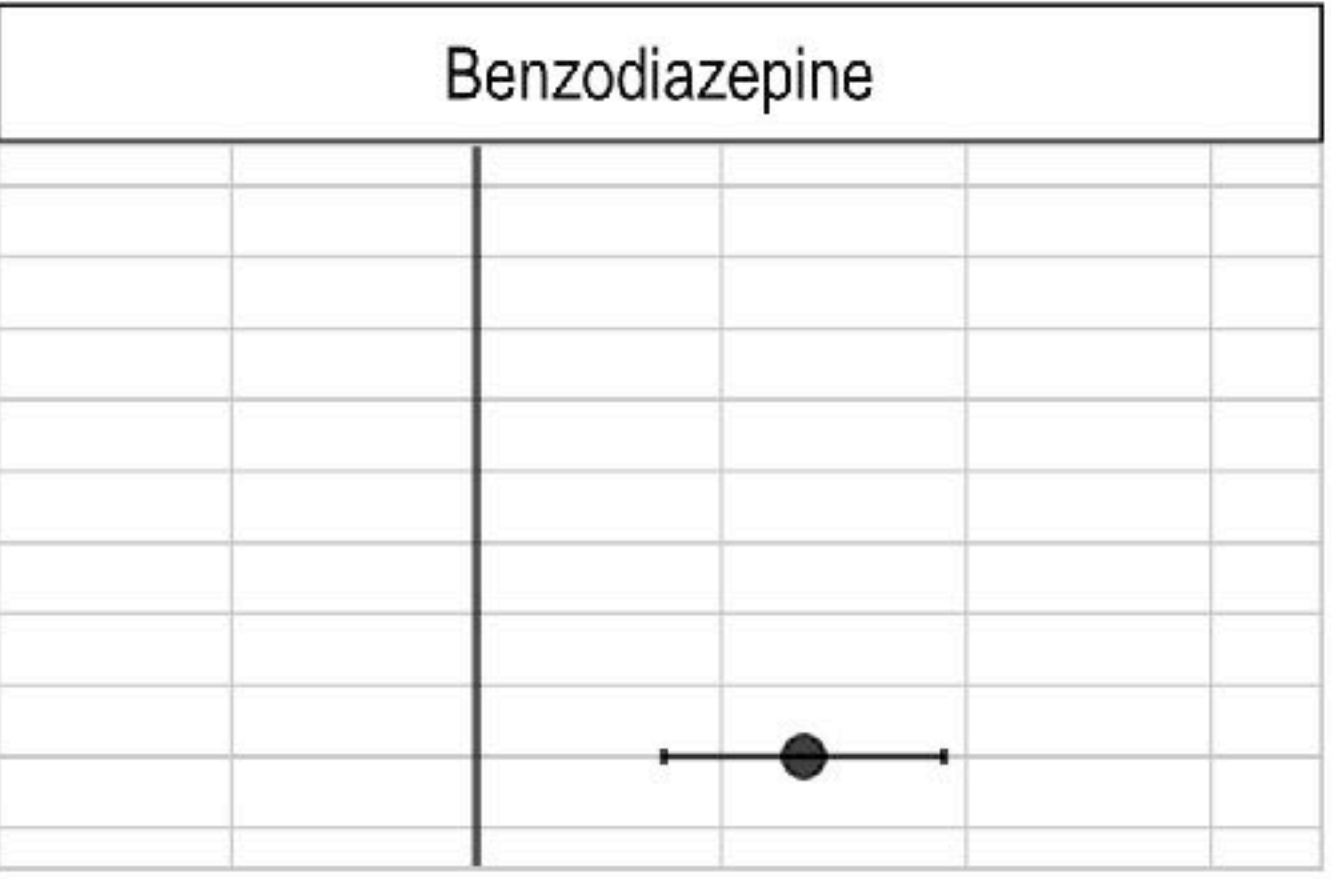
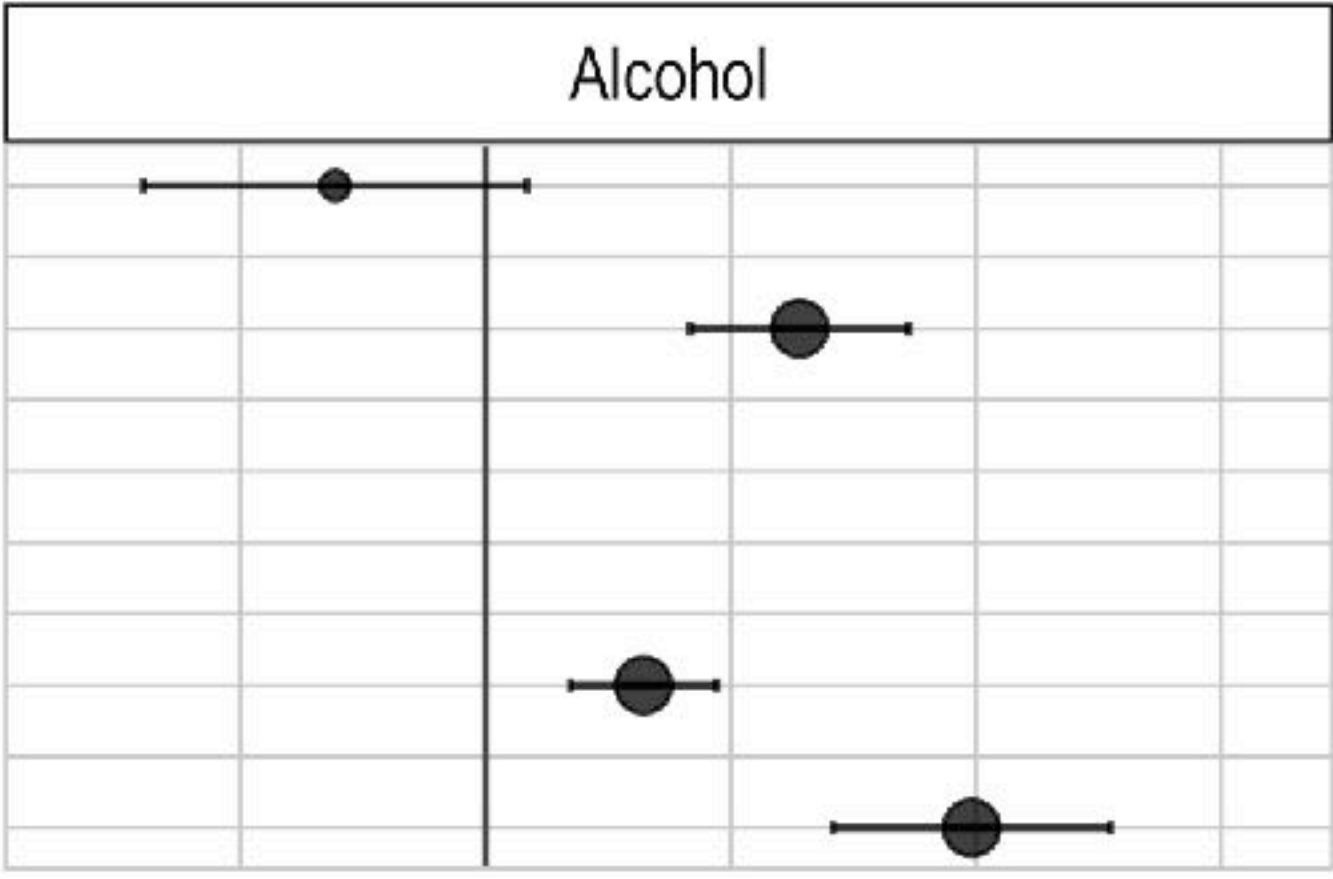


Type of death



California Region (ordered by latitude)

Superior California
North Coast
San Francisco Bay Area
Northern San Joaquin Valley
Central Coast
Southern San Joaquin Valley
Inland Empire
Los Angeles County
Orange County
San Diego - Imperial



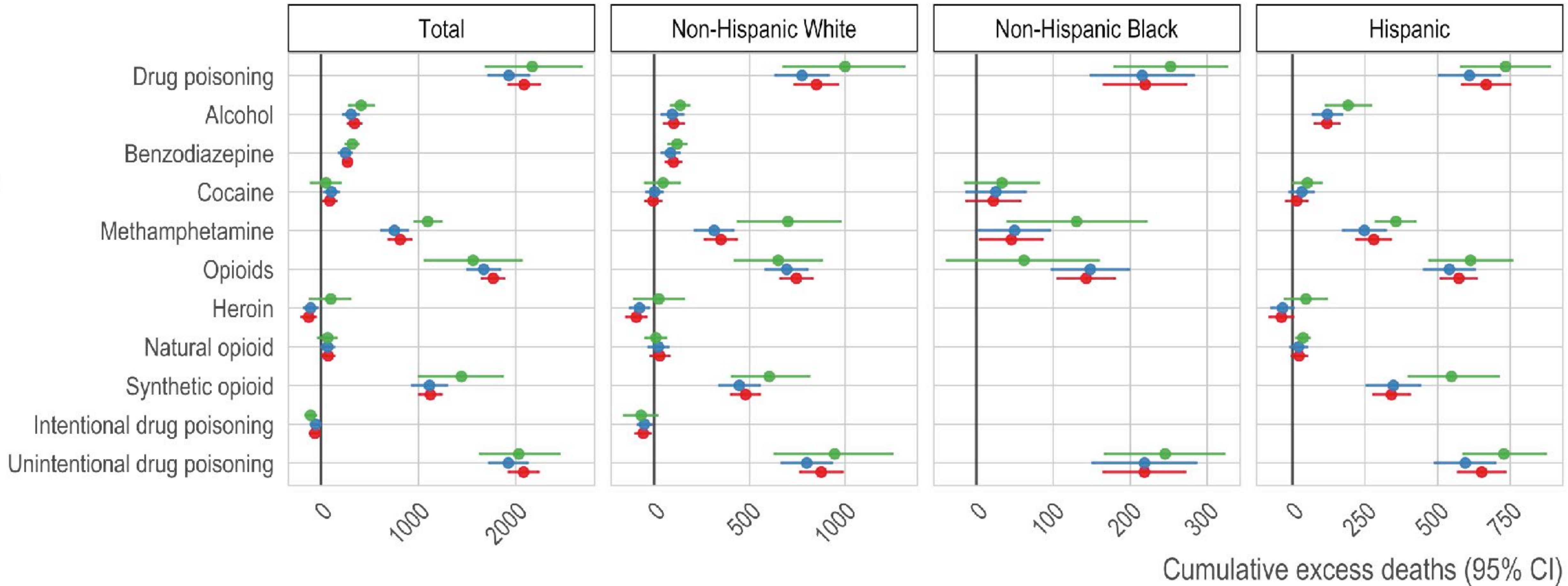
Cumulative excess deaths per 100,000 population (95% CI)

Absolute number of excess deaths



By race and ethnicity

Type of death



Estimation method ● Main (Poisson weekly) ● Poisson monthly ● ARIMA

By educational

